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DISSERTATION

AN ARCHITECTURAL MODEL FOR SOFTWARE COMPONENT SEARCH

by

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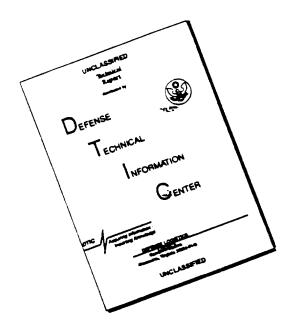
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ABSTRACT

An important problem in software development process is to make better use of software libraries by improving the search and retrieval process, that is, by making it easier to find the few components you may want among the many you do not want. The problem with the current production approaches is that they do not consider the behavior of components as a part of the retrieval process. As the result, it is impossible to obtain high recall and precision. In contrast, research approaches using syntactic and specification can be used to improve upon recall and precision. However, these approaches require a lot more computational effort. Without a library structure to support a retrieval process, they would be impractical. This dissertation concentrates on two themes. First, how to provide efficient and effective retrieval capabilities and an interactive friendly interface to support users to search for software components. Second, how to construct a library that can assist the librarian with cataloging software components and help to facilitate the search process. The first prototype has been implemented to verify the proposed ideas. Several studies have been performed in to measure the system performance. The result confirms and strongly supports the proposed ideas.

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I. INTRODUCTION

Billions of dollars are spent each year on computer software. Much of this effort is spent on creating and testing new source code. In order to save money, increase productivity, and improve reliability, the Department of Defense is constructing repositories of reusable software components that can be used across applications. Devising an effective way to retrieve components from software libraries, referred to as the *Software Component Search* problem (or simply, the *Search Problem*), is of increasing importance for many applications. For example, rapid prototyping has been used to validate and refine system requirements, and check the consistency of proposed designs, before undertaking a full implementation. Automated retrieval of relevant reusable software components is important for this area.

The problem with the current production approaches is that they do not consider the behavior of components as part of the retrieval process. As the result, it is impossible to obtain high recall and precision. In contrast, the research approaches using syntactic and specification can be used to improve upon recall and precision. However, they require a lot more computational effort. Without a library structure to support a retrieval process, these approaches would be impractical. This dissertation concentrates on two themes. First, how to provide efficient and effective retrieval capabilities and an interactive friendly interface to support users to search for components. Second, how to construct a library that can assist the librarian with cataloging components and help to facilitate the search process.

In practice, there may be no component in the software base that does exactly what is wanted, but there may be some component that can be easily modified to do the job. This implies that given a query, we do not just seek components that match it exactly, but instead we seek a set of approximate candidates, ordered by how well they match the query. In other words, the choice set should consist of ranked *partial matches*.

These considerations motivate the following requirements for solutions to the search problem:

- The retrieval process should be *automated*, since a software library may contain thousands of components, so that it would be virtually impossible for a human being to identify the desired component(s) quickly and accurately.
- The retrieval process should be *accurate*, in the sense that the choice set should include the closest match, if there is one.
- The search process should be *effective*, in that it should be fast, and the choice set should not be too large.
- The user interface should allow *flexible*, *easy* query formulation, and should provide helpful *feedback* to the user.

Professor Luqi [19, 22] has suggested associating a semantic specification with each module in the software base to support retrieval against semantic queries, as has Professor Goguen [7]. This idea has been shown viable in work reported in [21, 32, 33], where the algebraic specification language OBJ3 [6, 10, 16] was used in software search experiments in the context of the Computer Aided Prototyping System (CAPS) project. Recent work [14] has carried this further by showing how to treat generic modules, how to use semantic information in a limited efficient way, and how to rank candidate modules by their likelihood of success (see [33] for discussion of an earlier ranking method). Ranking modules by how well they satisfy the query makes the search process

more *robust*, that is, better able to tolerate errors in the query and in how components are classified. We must expect such errors in practice.

Given a query Q and a component M with corresponding specification T_M , then M is a correct answer for the query Q if there is a translation of the syntax of Q into the syntax of T_M such that each translated equation from Q is a consequence of T_M . Finding a correct answer in this sense is really a theorem proving task that could take too much time to be practical if not limited. However, finding candidates that satisfy adequate necessary conditions for being a correct answer is a practical goal. This will allow many irrelevant candidates to be rejected, resulting in a more focused search and raising the confidence in the components found.

A brief summary of related work is given in Chapter II. An overview of our software architecture for automated component retrieval is given in Chapter III. Background information on algebraic specification, including basic definitions, is given in Appendix A. Chapters IV and V describe syntactic and semantic filtering, respectively. Examples illustrating the search process are given in Chapter VI, while Chapter VII gives an overview of the structure of the design of the prototype. Chapter VIII provides the experimental results. Finally, Chapter IX summarizes the dissertation and proposes directions for further work.

^{1.} Such consequences may be either equational consequences or inductive consequences, depending of whether a "loose" or an "initial" semantics is given to the specification T_M (these terms are explained in [26]). An advantage of our approach is that it is insensitive to which of these semantics is assumed.

II. BACKGROUND AND RELATED WORK

Previous work on reusable software component retrieval can be classified as classical, facet oriented, AI, or pure specification. More information may be found in [5, 4, 17, 19, 25, 29]. We do not attempt to survey the entire relevant literature here, but instead we first describe some publications that seem most closely related to the present work.

A. CLASSICAL APPROACHES

The most classical approach to retrieval is to classify items by keywords, and then search for items that have certain given keywords [23]. Experience shows that this works poorly for retrieving software components from even moderately large libraries. One problem is that the user must be familiar with both the classification scheme and the particular library. Also, it is very difficult to get both high precision and high recall². This suggests that for ranked filtering, it would be most appropriate to use a small number of keywords.

Another classical approach is browsing. Browsing systems depend on links among the items to be searched, and upon the user following those links to find the desired item. Experience shows that browsing through large structures can be very frustrating and time-consuming. Often, existing links seem random or even perverse, while the links you really want may not be present.

^{2.} Precision and recall are classical terms from information retrieval. Let Q be the set of items that should be returned in answer to the query and let R be the choice set actually returned. Then the **precision** of R is defined to be $|R \cap O|/|O|$ while the **recall** of R is $|R \cap O|/|R|$.

B. THE FACET APPROACH

Prieto-Diaz [30] has proposed using *facets*, which are groups of related terms in a subject area. For example, a facet to describe the functions performed by components might use terms chosen from *find*, *compare*, *sort*, *update*, *send*, *receive*,..... A scheme is developed in [30] to describe Unix components using four facets: the function performed by the component, the objects that are manipulated, the data structure used, and the system to which the function belongs. This provides a better description of Unix components than a pure keyword approach due to its well-structured. However, it still relies on an informal description of components, using a limited set of facets and terms. Facet is also suffering the same problem as Keyword approach. Namely, it also tends to miss potentially useful components because the people who classify the components in the library cannot anticipate all potential applications of each component.

C. AI APPROACHES

AI-based work includes [3,27] and some recent work by Henninger [18], which uses a knowledge-base and statistical information to retrieve reusable components, based on keyword search from texts describing the components. However, because the characterization of the component behavior is completely informal, the behavior is unpredictable.

D. SPECIFICATION-BASED APPROACHES

Recent work using semantics for software component retrieval is reported in [19, 25]. The primary aim is to check that retrieved components yield the behavior specified in the user's query, therefore increasing the precision of retrieval. Using formal

specifications as search keys has two main problems. The first problem is practical: not all users are sophisticated enough to write formal specifications, much less correct ones. The second problem is that semantic matching is very time consuming, because some form of theorem proving must be done.

The Venari³ project at Carnegie Mellon University, headed by Prof. Jeannette Wing, is devoted to retrieving components from software libraries, and has produced a number of interesting publications. Here we will not discuss their work on transactions and other infrastructural support for retrieval, but only their work on the search problem.

Rollins and Wing [31] discuss signature matching for retrieving higher-order functions from an MetaLanguage (ML) library⁴, using λ Prolog for matching user queries to component signatures. λ Prolog is used to implement various matching modulo theories, in order to support (what we call) partial matches⁵. They also use λ Prolog to check simple pre- and post- conditions for ML functions. Although this paper demonstrates that higher-order logic is useful for such applications, we feel that higher-order logic is more powerful and expressive than necessary, and that higher-order logic tools like λ Prolog are too inefficient. Of course, a higher-order language like ML requires the use of higher-order types, but these are first-order expressions, so that first-order matching could be used. Rollins and Wing point out that equational reasoning

^{3.} This name is from the Latin verb "to hunt".

^{4.} For these authors, the word "signature" refers to the rank of a higher-order function, rather than to the syntactic specification of a software module, as in the algebraic tradition.

^{5.} The Venari project uses the term "partial match" in a more restricted sense than we do; their term corresponding to our "partial match" is "relaxed match".

could dramatically increase precision, and they also discuss the possibility of specification matching.

Zaremski and Wing [34] extend this work. First, they consider signatures in two different senses, as the rank of a function, and as the interface of a module; the second sense involves search and retrieval of modules, not just of functions. Second, they consider a wider variety of matching procedures and their combinations, although some of these are needed only because of the awkwardness of the higher-order encoding of operation ranks (e.g., uncurrying). Third, they implemented their matching procedures in ML, experimented with retrieving functions from actual ML libraries, and presented some interesting statistics on these experiments.

In more recent work, Zaremski and Wing [35] focus on specification matching, using the Larch/ML interface language to express pre- and post-conditions in first order logic, and the Larch prover to verify that candidate components satisfy these conditions. Various senses of matching are defined, but neither ranking nor partial semantic matching are considered. This approach has not resulted in a practical automated method for specification based retrieval.

E. THE CAPS APPROACH

The CAPS project at the Naval Postgraduate School, headed by Professors Luqi and Valdis Berzins, supports rapid prototyping for hard real time embedded systems. CAPS consists of an integrated set of software tools that help design, translate and execute prototypes. These tools include an execution support system, a syntax directed graphical editor, an evolution control system, a change merge facility, automatic

generators for schedule and control code, and facilities to support retrieving reusable components from a software base. The execution support system includes dynamic and static schedulers, a translator, and a debugger.

PSDL is the Prototyping Description Language of CAPS [20]; it is used to specify both prototypes and production software, and has data flow like semantics. PSDL programs have two kinds of objects, corresponding to abstract data types and abstract state machines; they localize the information for analyzing, executing and reusing independent objects. Executable Ada modules can be associated to atomic PSDL objects, and then CAPS can automatically generate "glue" code that composes these modules into a system having the structure described by PSDL. This generated code includes a schedule and tests for all real time constraints that have been declared. The system can then be compiled, executed, and tested. Error messages are produced during execution if constraints are violated. Figure 1 illustrates a prototyping life-cycle. It shows two places where component search can be used in such a life-cycle: in constructing a prototype system and in constructing a production system.

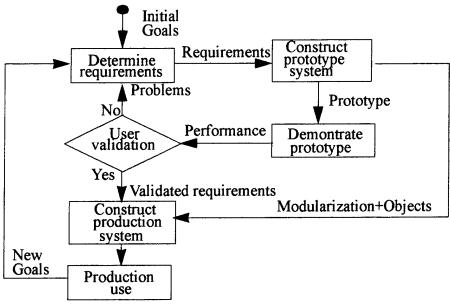


Figure 1. A Prototyping Lifecycle

The remainder of this subsection concentrates on work done in the CAPS project on retrieving software components. The use of specifications in retrieving software components was originally suggested by Professor Luqi [19]. This suggestion was refined in later work, including [32] and Steigerwald's Ph.D. thesis [33]. In [33] it is assumed that each component has a fully expanded⁶ algebraic specification written in OBJ3 [6, 10, 16], and that the user's query is also a fully expanded algebraic specification that the desired component should satisfy. A Prolog program was written using symbolic representations of signatures to find syntactic matches between the signature of the query and the signatures of components. For each match found, a semantic validation was done by evaluating patterns that represent the functions in the

This means that the results of any module expressions inside a module are substituted into the module.

signature, first in the query specification⁷, and then (after translation) in the specifications of the matched components; the results of these two evaluations are compared to determine the quality of each match. The approach developed in this series of papers is the inspiration for the approach taken in the present dissertation.

The system described in [33] has certain technical limitations. Its semantic basis is not well developed. Also, evaluating patterns with variables gives limited information about the semantic satisfaction of a syntactic match. In addition, since patterns can involve variables that may or may not be eliminated by rewriting, depending on syntactic peculiarities of the equations, it seems possible to have semantically equivalent specifications for which pattern evaluation would give conflicting answers, so that the match in question will appear not to satisfy its semantic requirements even though it really does. In addition, the approach is limited to total syntactic matches and to unparameterized components.

Ozdemir's master's thesis [28] describes a component retrieval system for the CAPS software base that uses keyword search and a browser. Both of these use PSDL for queries and for components. Ozdemir also provides a graphical user interface and facilities for integrating retrieved components into prototype systems, including techniques for transforming retrieved modules. A better developed version of these ideas appears in the master's thesis of Dolgoff [2]. This work is including retrieval of generic modules and handling of subsort matching.

^{7.} These patterns are terms that involve those functions, plus some variables, constants, and constructors, such that all other functional expressions are instances.

F. DISCUSSION

In comparing the approach of this dissertation with other approaches, the following points may be noted: (1) Our approach focuses on comparing formal specifications of components using ground equation test cases as queries. (2) Users do not need to deal with formal specification notation, but instead can express queries in a standard programming notation, which is automatically translated into algebraic notation. (3) We seek to achieve both efficiency and effectiveness by imposing a series of increasingly stringent filters that use both syntactic and *partial* semantic information about components. (4) A rank is provided on components in the choice set, measuring how well they fit the user's query. (5) We allow generic modules in the software base. (6) Our approach not only focuses on the problem of retrieving components, but also deals with structuring the software base to facilitate search. (7) Users can give *selection criteria* to control the search and display of retrieved components. (8) Besides returning the ranked components, we also report information to help the user reformulate the query in case no suitable component was found. (See Figure 2 in Chapter III)

III. ARCHITECTURE OF THE SEARCH PROCESS

This dissertation proposes an approach to the automated retrieval of reusable software components from a software base, continuing work reported in [14, 19, 21, 32, 33, 7]. The approach is based on the following assumptions: (1) the components in the software base are written in a modern programming language, e.g., Ada, that has strong typing, can package together a number of operations over common data representations, and allows generic modules having a number of parameter types and operations; (2) each component has an algebraic specification⁸ with equations that are Church-Rosser and terminating⁹; and (3) the user's query is a partial algebraic specification, typically consisting of a signature and some ground equations. Assumption (2) is not really limiting, because specifications need not completely characterize the behavior of components, and simple partial specifications are usually Church-Rosser and terminating 10. Similarly, assumption (3) is not limiting, because there is no need for users to be familiar with algebraic specification: query signatures can be expressed as declarations in some familiar programming or specification notation, and the query can be described in terms of the results of executing simple programs. Note that the software base may contain generic modules, and queries may seek to identify a generic module having certain semantic properties.

^{8. [26]} describes an approach where components do not need associated algebraic specifications.

^{9.} These terms are explained in Appendix A.

^{10.} Note that any set of ground equations with distinct irreducible left sides is automatically Church-Rosser and terminating.

In our approach, search is organized as a series of increasingly stringent filters on candidate components. We first filter components by comparing their signatures with that of the query. This is accomplished by signature matching, which looks for maps that translate the type and function symbols of the query into corresponding type and function symbols of candidate components. A first stage of signature filtering can compare pre-computed syntactic profiles of components with the profile of the query. These profiles are special data structures that support an efficient approximation of signature matching. Signature matches can be partial, in that only part of the functionality the user seeks may actually be available. Traditional search methods, such as keyword search, could also be used as early filters, if the appropriate information is available. Profile matching should be followed by full signature matching.

Finally, semantic filters rank components by how well they satisfy the equations in the query. In this process, equations that are logical consequences of the query specification are translated through the signature matches into equations whose proof is attempted in the candidate specifications. For greatest efficiency, it is desirable to restrict queries to be ground equations; these correspond to simple straight line programs. The candidates in the choice set are ranked according to their likelihood of success. If the closest match is partial, the user will need to modify the closest matching component. This whole process can be made iterative.

^{11.} The precision difficulty with keyword search mentioned in Chapter II.1 does not apply in this case, because we are only using it as a filter to reduce the search space.

Our present knowledge indicates that profile and keyword filtering should be applied first in order to eliminate as many components as possible with the lowest possible cost. Therefore syntactic filtering, and keyword filtering, should come before any semantic filtering is attempted. It is also clear that pre-computed catalogues (i.e., indexes) should be used, instead of pulling all the components out of the library for each search. The experiment E in Chapter VIII confirms this conjecture. Figure 2 shows this multi-level filtering architecture; the top line is to indicate user modification of the query in light of the final filtering results.

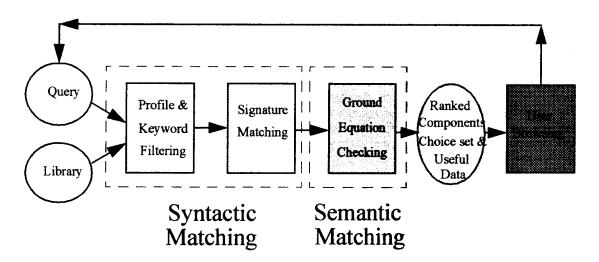


Figure 2. An Organization Model for Software Component Search

IV. SYNTACTIC FILTERING

Syntactic filtering uses non-behavioral information about components, such as keywords and interface declarations. Our approach involves two levels of syntactic filtering. First, profile filtering computes indexes which partitions the software library in a way that speeds up signature matching. These partitions contain the candidate components. Next, a Profile and Keyword Matching Ratio values are computed for each candidate component. These values will be then combined with this component Signature Matching Ratio, computed by the signature matching next, to prune components which do not meet the user selection criteria. Secondly, signature matching finds the maps that translate the type and function symbols of the query into the corresponding type and function symbols of the candidate components.

A. KEYWORD MATCHING

Despite its weaknesses, keyword search is still useful, because it is easy to use, inexpensive to implement, and good for indexing components. However, we use keyword filtering cautiously, with a limited number of general keywords that are controlled by a system administrator. Keywords describe categories of components and their relationships to the other components. Sample categories might be data structures, mathematical functions, sort/search routines, and navigation functions.

We use the following function to measure how close the keywords of a query, Kw_O , are to the keywords of a component, Kw_M :

^{12.} This combined value is referred as KPS which stands for the product of Keyword, Profile, and Signature matching ratio. Chapter VI formally defines the KPS.

$$KeywordMatchRatio(Kw_Q, Kw_M) = |Kw_Q \cap Kw_M| / |Kw_Q|$$
.

Note that this function measures recall. The numerator represents the number of relevant retrieved keywords while the denominator represents the total number of relevant keywords in a query.

B. SIGNATURE MATCHING

This subsection introduces and illustrates the basic concepts of signature matching, under the assumption that there are no subsort¹³ relations; the more complex situation when S has subsorts (i.e., a partial order containment relation \leq on data types) is discussed in Sections IV.3 and IV.4 below. We assume¹⁴ that each component M in the library has an associated algebraic specification T_M of the form (S', Σ', E') , where (S', Σ') is a signature with a set S' of sorts and a set Σ' of functions whose arguments and results have sorts in S', and where E' is a set of equations stating properties that the functions in Σ' should satisfy. We also assume that query, Q, is an algebraic specification of the form (S, Σ, E) where these symbols mean the same as T_M . The following illustrates these notions, using the notation of OBJ3; definitions for signature, specification, etc., can be found in Appendix A.

Example 1 The algebraic specification for a module defining list of identifiers in our library might have a sort set S containing the sorts Id, List, and Bool, and a signature

^{13.} Note that algebraic specification theory and OBJ3 use the world "sort" instead of the word "type".

^{14.} We will see how to relax this assumption later.

 Σ of functions consisting of the empty list, denoted nill, an append operation *, and a function to test whether an element is in the list, with the following syntax:

```
sorts Id Bool List
op nill: -> List.
op _*_: Id List -> List.
op _in_: Id List -> Bool.
```

The equations in the specification might be:

```
I in nil = false.
I in (I' * L) = if (I == I') then true else I in L fi.
```

We also assume that: the library has a set of **basic sorts**¹⁵ for commonly used types like Booleans, identifiers, integers, and floating point numbers; that the names of these basic types and their associated basic operations are identical in the specifications and in the code; and that the library modules and the algebraic specifications for the basic types also have the same names.

Definition 1 Given two signatures (S, Σ) and (S', Σ') , a permutative signature map $V: (S,\Sigma) \to (S',\Sigma')$ consists of injective functions $V: S \to S'$ and $V: \Sigma \to \Sigma'$ such that for each function symbol $f: s_1...s_n \to s$ in Σ , there is a permutation π such that $V(f): V(s_{\pi(1)}) ...V(s_{\pi(n)}) \to V(s)$ is a function symbol in Σ' . A partial signature match $V: (S,\Sigma) \to (S',\Sigma')$ is a permutative signature map $V: (S_o,\Sigma_o) \to (S',\Sigma')$ where (S_o,Σ_o) is a subsignature of (S,Σ) ; it is total if $(S_o,\Sigma_o) = (S,\Sigma)$.

^{15.} This dissertation will use the words "sort" and "type" interchangeably, and will also use the words "function" and "operation" interchangeably.

The assumption that V is injective on both sorts and operations is reasonable if there is no subsort relations, because otherwise the user would be asking for two or more things that are not actually different.

Definition 2 Given a library and a query $Q = (S, \Sigma, E)$, the **signature choice** set for Q consists of all signature matches $V: (S, \Sigma) \to (S', \Sigma')$ where $T_M = (S', \Sigma', E')$ is the specification of some component M, and where each match V is the identity mapping when restriction to the set of basic types and their basic function symbols. Note that the semantic information in the equations is ignored in syntactic matching. To simplify notation and make explicit the module specification associated with a signature match, we may write $V: Q \to T_M$ for a signature match $V: (S, \Sigma) \to (S', \Sigma')$ such that $T_M = (S', \Sigma', E')$ is the specification of a component M.

The more complex situation when S has subsorts (i.e., a partial order relation \leq) is discussed in Sections IV.3 and IV.4 below.

Example 2 Assume that a user wants to find a module for sets of identifiers, where the sort **Id** of identifiers and the sort **Bool** of Booleans are basic sorts. Suppose that the signature for such a query includes an empty set, functions for adding and deleting an identifier from a set, and a function to test whether a given identifier is in the set. This can be expressed in OBJ3 notation as follows:

```
sorts Id Bool Set.

op null: -> Set.

op _+_: Set Id -> Set.

op _-_: Set Id -> Set.

op _in_: Id Set -> Bool.
```

(Note that the "underscore" characters "_" are place holders, indicating where the arguments should go in "mixfix" functions.)

Suppose that the library, among other things, contains a list of identifiers module whose specification has the signature shown in Example 1. The set of all signature matches from the query to this module has 17 elements. The least defined element V_I is the identity map on Id and Bool and is undefined elsewhere. V_2 extends V_I by mapping Set to List. The maps V_3 - V_6 each extend V_2 by respectively sending **null** to **nil**, sending __+_ to _*_, sending _-_ to _*_, and sending _**in**_ to _**in**_. The rest are obtained as unions of V_3 - V_6 satisfying the requirement of being injective, as follows:

•
$$V_7 = V_3 \cup V_4$$
;

•
$$V_8 = V_3 \cup V_5$$
;

•
$$V_9 = V_3 \cup V_6$$
;

•
$$V_{10} = V_4 \cup V_6$$
;

•
$$V_{11} = V_5 \cup V_6$$
;

•
$$V_{12} = V_3 \cup V_4 \cup V_6$$
;

•
$$V_{13} = V_3 \cup V_5 \cup V_6$$
;

Our intuitive knowledge of the behavior of sets and lists tells us that the best possible match is V_{12} .

For the illustration purpose, a Hasse diagram for the signature maps refinement relation \subseteq is shown next page:

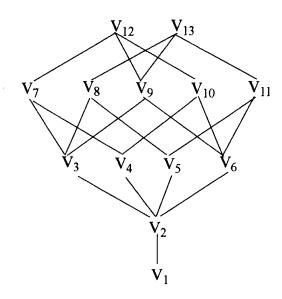


Figure 3. A Hasse Diagram for the Signature Map Refinement Relation ⊆

Note that only the maximal elements V_{12} and V_{13} in this partial ordering are interest - all the others will be strictly less useful. This provides a pruning criterion for signature matching.

C. PROFILE MATCHING

The computations for signature matching would be very expensive if it were necessary to try all possible ways of pairing the functions and sorts of queries with those of components. It is therefore highly desirable to cut down the search space. This can be

done. For example, if a query has a function $f: AAB \rightarrow B$ and a component has a function $g: ABC \rightarrow D$, then it is obvious that these functions cannot match, because their arguments have different sort patterns; there is no need to compute all possible sort maps to draw this conclusion.

The purpose of profile matching is to speed up signature matching. Profile matching is actually an efficient approximation of signature matching. A profile is a sequence of numbers that describes how the sorts associated with an operation are organized. We can quickly determine whether two given operations could possibly match by comparing their profiles, and hence quickly identify query operations and test cases that will necessarily fail. Profile matching uses pre-computed profile indexes to partition the library, and profile values are used as search keys in seeking components having suitable signatures.

We now introduce some concepts to help us define profiles. The **sort groups** of an operation are bags (i.e., multisets) consisting of two or more sort occurrences from the rank (i.e., the argument plus value sorts) of the operation that are related under the relation \equiv , which is the transitive-symmetric closure of the ordering \leq on sorts. The **unrelated sort group** is the bag (actually a set) of all sort occurrences that are not in any sort group.

Definition 4 The **profile** of an operation is a sequence of integers, defined as follows:

- 1. The first integer is the total number of occurrences of sorts.
- 2. If the total number of sort groups, N, is greater than 0, then the second to

(1 + N) th integers are the cardinalities of the sort groups, in descending order.

- 3. The $(2+N)^{th}$ integer is the cardinality of the unrelated sort group.
- 4. The $(3+N)^{th}$ integer is:
 - 0 if the value sort is different from any of the argument sorts; and

1 if the value sort belongs to some sort group.

A signature map can relate two operations only if they have the same profile (i.e., the same number of sort occurrences, the same number of sort groups, the same sort group cardinalities, and the same unrelated sort group cardinality).

Example 3 Some sample profiles are shown in Table 1, where A, A', B, C, E, F, G are sorts, and A' is a subsort of A:

Operation	Profile
$\rightarrow A$	110
$EF \rightarrow G$	330
$AA \rightarrow B$	3210
$ABBCA \rightarrow C$	622201
$CCBAA \rightarrow B$	622201
$CCBAA \rightarrow A$	63211
$CCBAAA' \rightarrow A$	724211

Table 1: Some Operations and their Profiles

We are now ready to introduce a theorem which is very useful for the structuring the software library, retrieving candidate components, and performing signature matching. This theorem is stated below and verified through the Experiment C in Chapter VIII. The

formal proof is also provided in Appendix E. Appendix E also shows = as an equivalence relation.

Theorem 1 Given a query operation and a component operation with their correspond profile values, if these profile values are not equal, then these operations can not be possibly matched.

1. Software Base Partitioning with Profiles

Each component C in the software base, L, has an implementation part and a specification part. The implementation part is implementation language source code, while the specification part is written in the CAPS prototyping language PSDL with embedded OBJ3 axioms. For each component C, let b(C) denote the multiset of profiles of all operations that occur in the signature of C; this information may be extracted either from the source code of C, or from the PSDL or OBJ3 specification of C, and is called the **profile of** C.

If S is a multiset of profiles, let P(S) denote the set of all components C in the software base L such that the profile value of C is S, i.e., let

$$P(S) = \{C \in L \mid S = b(C)\}$$

Let P be the set of all profiles that occur in the software base, and let Π denote the set of all subsets S of P such that P(S) is non-empty. Then Π is a partially ordered set under set inclusion, and it induces a partition for the set of components in the software base. Π can be represented graphically as a so-called **Hasse diagram**, having as its

nodes the elements of Π , with an edge upward from S_1 to S_2 iff $S_1 \subset S_2$ and there is no node S_3 such that $S_1 \subset S_3 \subset S_2$.

Given a profile p in P, we define the **frequency** of p to be the number of profiles S in Π that contain p, i.e.,

$$Freq(p) = |\{ S \in \Pi \mid p \in S\}|$$

Let us call sets S' such that |S'| = 1 bottom nodes, and define Π ' to be Π plus all bottom nodes S' not already in Π , again ordered by set inclusion. This is the structure actually used in the implementation. Note that we can still talk about the frequency of profiles in Π ', and that Freq(p) can be computed by recursively following edges upward in the Hasse diagram, starting from the bottom node $\{p\}$.

Example 4 To illustrate the above concepts, assume a small software base such that:

$$b(C1) = b(C2) = b(C3) = \{p_1, p_2\},$$

$$b(C4) = b(C5) = \{p_p, p_2, p_3\},$$

$$b(C6) = b(C7) = b(C8) = \{p_p, p_2, p_4, p_6\},$$

$$b(C9) = b(C10) = \{p_4, p_5\},$$

$$b(C11) = b(C12) = b(C13) = \{p_1, p_2, p_3, p_4\},$$

$$b(C14) = b(C15) = \{p_1, p_2, p_4, p_5\}.$$

Then

$$P = \{p_1, p_2 p_3, p_4, p_5, p_6\},$$

and if we assume

$$S_1 = \{p_1, p_2\}$$
, $S_2 = \{p_1, p_2, p_3\}$, $S_3 = \{p_1, p_2, p_4, p_6\}$, $S_4 = \{p_4, p_5\}$,

$$S_5 = \{p_1 p_2, p_3, p_4\}, S_6 = \{p_1 p_2, p_4, p_5\},$$

$$S'_1 = \{p_1\}, S'_2 = \{p_2\}, S'_3 = \{p_3\}, S'_4 = \{p_4\}, S'_5 = \{p_5\}, S'_6 = \{p_6\}$$

then we have that

$$\Pi = \{S_1, S_2, S_3, S_4, S_5, S_6\} .$$

$$\Pi' = \{S'_1, S'_2, S'_3, S'_4, S'_5, S'_6, S_1, S_2, S_3, S_4, S_5, S_6\} .$$

and also that

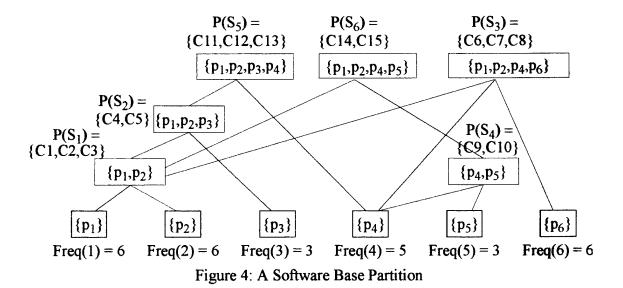
$$P(S_1) = \{C1, C2, C3\}, P(S_2) = \{C4, C5\},$$

 $P(S_3) = \{C6, C7, C8\}, P(S_4) = \{C9, C10\},$
 $P(S_5) = \{C11, C12, C13\}, P(S_6) = \{C15, C16\}.$

Let us also assume that

$$Keywords = \{A, B, C, D\},\$$
 $Kw(C1) = ... = Kw(C5) = \{A, B\},\$
 $Kw(C6) = ... = Kw(C10) = \{B, C\},\$
 $Kw(C10) = ... = Kw(C15) = \{C, D\}.$

Figure 4 shows the software base partition for this data.



In our implementation, each block of the partition is described as a set of pointers to indexes in the *ComponentLookupTable*, which has a cell for each component, containing the keywords for the component, and a pointer to physical disk location of the component. These pointers are called *ComponentIDs*. Finally, the software base keeps a separate keyword table for storing keyword identifications (*KeywordIDs*), called the *KeywordTable*. Figure 5 shows the software base index structure for the data in Example 4.

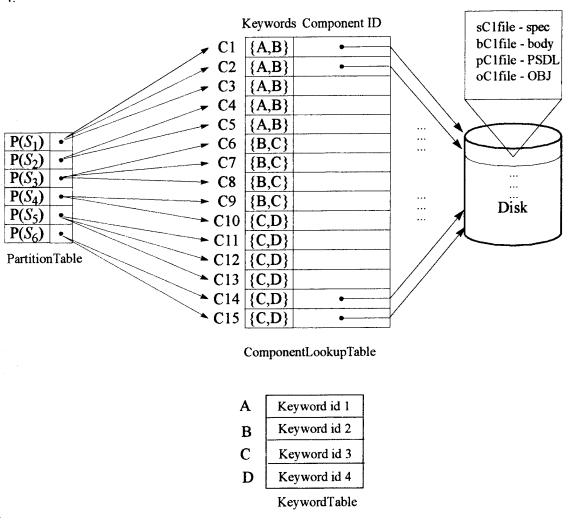


Figure 5: A Software Base Index Structure

There are two important data that reside on the physical disk. First, the data used for matching. Second, the data used for importation to a user's prototype. The data used for matching are specified by item (a) and (b) below. Once a component is selected by the user, the data used for importation to user's prototype is specified by item (a), (c), and (d). Therefore, we organize the physical file representation of a software base component as follows:

- a. A file containing a PSDL specification, for the translation and scheduling for a prototype using the component.
- b. A file containing a OBJ3 specification, used for both signature and semantic matching.
- c. A file containing an Ada specification, which is imported to become an atomic operator's Ada specification in a prototype, after some modifications.
- d. A file containing an Ada body, corresponding to the semantic part. It is imported to a prototype, to become an atomic operator's Ada body, after some modifications.

This organization supports traditional graph search algorithms, such as depth first search, to implement DBMS operations such as initialize, delete, add, and retrieve. There could also be a file for compiled code, which could replace the use of OBJ3 for some queries.

Given a query profile S_Q and component profile S_C , we define the ratio ProfileMatchRatio to measure how close the query profile is to the component profile as follows:

$$Profile Match Ratio(S_Q, S_C) = |S_Q \cap S_C|/|S_Q|$$
.

This is again a recall measure. The numerator represents the number of relevant retrieved profiles while the denominator represents the total number of relevant profiles in a query.

2. Retrieving Components with Profile Matching

The following algorithms find the candidate components in a software library:

Algorithm 8 FindCandidateComponents

Input:

 $Q = (S,\Sigma,E).$

 $Kw_O = \{Query Keyword Ids\}.$

G = (P,R) where $P = \{Partitions\}$ and $R = \{Inclusive relations\}$.

ComponentLookupTable = Array of 2-field records: Component Keywords and Component Pointer.

Output:

CandidateTable = Array of 3-field records: Component Id, Keyword Matching Ratio, and Profile Matching Ratio.

Invalid Operations = {Invalid Operations}

- (1) Compute profile value, p, for each operation in $Q.\Sigma$.
- (2) For each profile p, verify against the bottom nodes in G. If Freq(p) = 0, then store p in *Invalid Operations*.
- (3) For each ground equation i in Q.E, identify its associated profiles using the correspond operation's profile values found in step (1). Store these associated profiles in a variable called Gp_i . (Note: Gp_i is a multiset). After that store each of Gp_i into Gp.
- (4) Let N be the set of starting nodes contains every node indexed by profile multi-set of size one that is included in the query profile.
- (5) For each n in N, call DepthFirstSearchForward.
- (6) Report invalid operation(s) in *Invalid Operations*.

Algorithm 9 DepthFirstSearchForward

Input:

G = (P,R) where $P = \{Partitions\}$ and $R = \{Inclusive relations\}$.

v = An element of P.

CandidateTable = Array of 3-field records: Component Id, Keyword Matching Ratio, and Profile Matching Ratio.

 $Gp = \{Gp_is, \text{ where } Gp_i \text{ is a multiset of profile in a ground equation i in } Q.E\}$ ComponentLookupTable = Array of 2-field records: Component Keywords and Component Pointer.

Output:

CandidateTable = Array of 3-field records: Component Id, Keyword Matching Ratio, and Profile Matching Ratio.

- (1) Mark v visited. Assign P_v with Partition v's profile values.
- (2) For each Gp_i in Gp, If Gp_i ⊆ P_v then
 Calculate the Profile Match Ratio.

 For each component pointer at node v do
 Index to an element in ComponentLookupTable.
 Calculate the Keyword Match Ratio.

Store Profile and Keyword Match Ratios and

ComponentID in CandidateTable.

(3) For each vertex *n* adjacent and above *v* do

If *n* not visited then *DepthFirstSearchForward*.

D. SIGNATURE MATCHING ALGORITHM

The signature matching algorithms seek to find good partial signature maps V: $(S,\Sigma) \to (S',\Sigma')$, where (S,Σ) is the signature of the query Q and (S',Σ') is the signature of a component M. Recall that the basic sorts are those common to all modules. The algorithms below take advantage of the following requirements for a signature map V, with sort map $V_S \colon S \to S'$ and operation map $V_\Sigma \colon \Sigma \to \Sigma'$:

- 1. V_S must be injective.
- 2. V_S must preserve the subsort relation, i.e., $s_1 \le s_2$ in S implies $V(s_1) \le V(s_2)$ in S.
- 3. V_S must preserve basic sorts.
- 4. V_{Σ} must be injective.
- 5. V_{Σ} must preserve basic operations.
- 6. The profile of each operation f in Σ must be the same as the profile of $V_{\Sigma}(f)$ in Σ' .
- 7. If an operation f in Σ has argument sorts $s_1, ..., s_n$, and if $V_{\Sigma}(f)$ in Σ' has argument sorts $s'_1, ..., s'_n$, then there must be a permutation π of $\{1, ..., n\}$ such that $V(s_{\pi(i)}) \equiv s'_i$ for i = 1, ..., n, and such that $V(s) \equiv s'$.

This generalizes Definition 2 to the case where there are subsorts. Dolgoff [2] made some initial studies of signature matching with subsorts.

Given a signature match V, the measure of how close the signature of the query Q is to a component signature is given by the following:

SignatureMatchingRatio $(V, Q) = |V.\Sigma|/|Q.\Sigma|$,

where $Q.\Sigma$ is the signature of the query and $V.\Sigma$ is the subsignature of $Q.\Sigma$ that is actually matched by V.

The following three algorithms provide the method for signature matching. The algorithm SignatureMatch computes V_{Σ} , CalculateSortAssignment computes V_{S} , and SortAssignable determines whether a sort assignment can be made.

Algorithm 10 SignatureMatch Input:

Query signature, (S,Σ) . Component signature, (S',Σ') .

Output:

```
Signature maps, V = \{ Signature Maps \}.
where Signature map = ( {Sort Maps}, {Op Maps})
Sort Map = (s \rightarrow s'), s in S and s' in S'
and Op Map = (op \rightarrow op'), op in \Sigma and op' in \Sigma'.
Variables:
Stack is a FIFO stack for storing/retrieving \theta.
i, j are indexes to query and component operations.
Temp Sort Map is a temporary Sort Map
(1) Set V = \{\}.
  Initialize state variable \theta = (Sort Maps, Op Maps, Operation Mark List = {}), and
   Operation Occupied List = \{Falses\}. Set i = 1, m = 1.
(2) While True do:
       j = find an available component index(i, Operation Occupied List,
       Operation Mark List).
       If j = Invalid and i = Invalid then
          If i = |\Sigma| then — Both i and j are finished
             If Stack is Empty then
                Exit:
              Else
                If (Sort Maps, Op Maps) is not a submap in V and preserve
                 subsort relation then
                    V = V \cup (Sort Maps, Op Maps).
                   \theta = \text{Pop(Stack)}.
              End If
          Else
               Clear all previous visit operations(i,Operation Occupied
              List, Operation Mark List).
              i = i + 1;
          End If.
      Else -- i is not finished
           Operation Occupied List(j) = True; Operation Mark List(j) = i.
          If Profile(i) = Profile(i) then -- If their profile are the same
              Clear previous visit operation(i,j,Operation Occupied List,
              Operation Mark List);
              Calculate Sort Assignments(Argument Sorts(i), Argument Sort(i)
              , Range Sort(i), Range Sort(j), Sort Assign Table, Map Num).
              If Map Num > 0 Then -- There is possible sort maps
                   Push(\theta, Stack);
```

```
Op Maps = Op Maps \cup (Symbol(i) \rightarrow Symbol(j)).
        For n = 1 to Map Num do -- Save all possible maps on Stack
            Temp Sort Maps = Sort Maps.
            Sort Maps = Sort Maps \cup (Sort Assign Table(n)).
            Update \theta and Push(\theta,Stack. -- Save on Stack
             Sort Maps = Temp Sort Maps.
        \theta = \text{Pop(Stack)}; -- \text{Now get one}
        If i < |\Sigma| then
            i = i + 1.
        Else -- Keep i constant
            If (Sort Maps, Op Maps) is not a submap in V and preserve
            subsort relation then
                V = V \cup (Sort Maps, Op Maps).
                \theta = \text{Pop(Stack)}.
        End If
    End If
End If
```

In discussing the algorithms below, we will use the following terminology: A non-basic sort of the component is **confined** if it is the image of some sort of the query under V, or is related to a confined sort under =; a non-basic sort that is not confined is called **unconfined**. Two sorts s, s' that are not related under V are called **unrelated**, written s not = s'. These algorithms try to map unassigned sorts to appropriate values, and to assign appropriate values to the parameters of generic components.

Algorithm 11 Calculate_Sort_Assignments Inputs:

End If

```
S_d is the argument sort set of the query operator.

S'_d is the argument sort set of a component operator.

s_r is the value sort of a query operator.

s_r, is the value sort of a component operator.

Sort Maps = {Sort Maps}, current sort maps.

Sort Map = (s \rightarrow s'), s in S and s' in S'
```

Output:

Sort Maps' = {Sort Maps}.

Variables:

Temp Sort Maps is temporary Sort Maps.

SVL is the sort visiting list, for storing pairs of indexes of element in S_d and S'_d .

i,j are the indexes to argument sort of S_d , S'_d .

 $p_{j'}$ is the previous j index that is being occupied by i.

Lds is a list of flags indicating whether argument sorts in S'_d are occupied or not.

 β is state variable consists of TempSortMaps, SVL, j, Lds.

- (1) Initialize β with $TempSortMaps \leftarrow SortMaps$; SVL, $Lds \leftarrow Null$; $i \leftarrow 1$. Initialize $Lds \leftarrow Falses$, $SAL \leftarrow Null$.
- (2) If Sort assignable(Sort(s_r), Sort(s_r)) then

 $TempSortMaps \leftarrow TempSortMaps \cup (s_r, s'_r)$.

Otherwise, return

- (3) Find j such that $Lds_j \neq True$ and $SVL_j \neq i$. Find a $p_{j'}$ such that $SVL_{p_i} = i$.
- (4) If j = Invalid, then check the Stack.

If it is Null, then return

Otherwise, $\beta \leftarrow pop(Stack)$. Return to step (3).

(5) Otherwise, if $p_{j'} \neq Invalid$, then $Lds_{p_{j'}} \leftarrow False$.

$$Lds_j \leftarrow True, SVL_j \leftarrow i$$

(6) If Sort_assignable(sort(i),sort(j)), then $Stack \leftarrow push(\beta_i, Stack)$.

TempSortMaps \leftarrow TempSortMaps \cup (sort(i), sort(j)). i = i + 1. If i > |S| then

 $SortMaps' \leftarrow SortMaps' \cup TempSortMaps, \beta \leftarrow pop(Stack)$.

(7) Return to step 3.

Algorithm 12 SortAssignable

Input:

 q_s is a query sort.

 c_s is a component sort.

Output:

Aflag is a Boolean, true if and only if an assignment can be made.

- (1) Determine the sort relation between q_s and c_s by consulting a row of Table 2.
- (2) Determine the sort type of q_s and c_s by consulting a column of Table 2.
- (3) Look up the result in Table 2 and assign that value to Aflag.
- (4) If Aflag is True then

Aflag is True

Else

Aflag is False

(5) Return Aflag

$q_s \rightarrow c_s$	q_s not $\equiv c_s$	$q_s \equiv c_s$
Basic → Confined	F	Т
$Basic \rightarrow Unconfined$	T	N/A
Basic → Basic	F	Т
Confined → Basic	F	Т
$Confined \rightarrow Unconfined$	F	N/A
Confined → Confined	F	T
Unconfined → Basic	Т	N/A
$Unconfined \rightarrow Confined$	F	N/A
$Unconfined \rightarrow Unconfined$	Т	N/A

Table 2: Sort Assignments Table

V. SEMANTIC FILTERING

The choice set of signature matches for a query can be further narrowed by semantic filtering. Under certain very reasonable assumptions, this can be done efficiently by checking satisfaction of certain semantic conditions that are necessary for any correct answer to the query.

We discuss only unparameterized specifications here. In addition, we assume throughout that the specifications associated with components have equations that are Church-Rosser and terminating. This means we can apply the equations from left to right to simplify a term to a unique simplest possible form, called its canonical form, which can be regarded as the result of evaluating the term. For example, the canonical form of the term.

using the equations in Example 1 is true.

Our semantic validation procedure takes ground equations t=t' from the query specification Q and tests them for satisfaction in the candidate specifications. Ground equations, that is, equations whose terms have no variables, are particularly useful here, because any ground equation provable from an equational theory Q is satisfied by the standard model of such a theory, i.e., the initial algebra T_Q of Q, so that those equations are also satisfied under the initial (standard) interpretation of Q.

This is important because either the query Q or the component specifications T_M may have an initial interpretation, so that proving the semantic correctness of a signature

match $V: Q \to T_M$ could require complex theorem proving to check inductive consequences. A special property of ground equations is that their translations V(t) = V(t') must be provable from T_M in order for V to be correct, regardless of whether Q and T_M are interpreted initially or loosely. Therefore, we can use them under either interpretation to further restrict the search for correct answers to the query Q. The great advantage of ground equation is that we can automatically settle the issue of whether V(t) = V(t') is provable from T_M by comparing the irreducible forms of V(t) and V(t') after rewriting them with the equations in T_M , since T_M is assumed to be Church-Rosser and terminating. This results in an efficient decision procedure for behavior queries expressed in this form.

The next subsection explains how to rank members of the choice set based on semantic filtering.

A. ORDERING SEMANTIC MATCHES

Since many signature matches for a query might be found in a large library, it is important to narrow the search by using whatever semantic information is available at each filtering stage, either from the specification T_M , the compiled component M, or both. For this, a sound way of ordering the matches according to their relative degree of semantic correctness is needed. We define below two measures that can be used for this purpose. These measures assign a value to each pair (V, I_V) consisting of a signature match V for the query Q, and whatever information I_V is available at that stage about

equations that have passed or failed the semantic checks. Such measures can be used independently or in combination to define choice sets.

Given a match V, the information I_V available for it may be either syntactic or semantic. Syntactic information will include the functions in the query's signature for which the match is defined and their translation under such a match. Semantic information will include the results of checking correctness of ground equations after translating them through V. For each such ground equation and match V three things can happen:

- The translated equation is well defined and, after reducing each side to normal form using the equations in the specification of the module matched by V, yields an *identity*; therefore this equation has *succeeded* for this match;
- The translated equation is well defined and, after reducing each side to normal form using the equations in the specification of the module matched by V, yields an equation whose two sides are different; therefore this equation has failed for this match;
- The equation could not be translated, because the match V was undefined for some of the functions appearing in the terms of the equation; this is also a kind of *failure*.

Note that we can associate each equation with a function symbol, namely the top function symbol of its left side. Therefore, we can assume that the semantic information in I_V is organized by function symbol so that for each such symbol f in the query's signature we have a set of ground equations for it, and information about their success or failure for the match V.

The first measure μ assigns to each pair (V,I_V) a real-valued function $\mu_{(VJ_V)}$: $\Omega \to \Re$, where Ω is the signature of the query Q, defined as follows:

- If V(f) is undefined, then $\mu_{(V,I_v)}(f) = 0$.
- V(f) is defined but has no ground equations associated with it, then $\mu_{(VJ_{\nu})}(f) = 1$.
- Otherwise, $\mu_{(V,I_v)} = \frac{Success(f)}{Equation(f)}$, where success(f) is the number of successful checks for ground equations t = t' with t having f as its top function symbol reported in I_v , Equations(f) is the total number of such equations.

Consider now two different matches V and V' for the same query Q, and suppose that the same ground equations from Q have been tried for V and for V'. Then we can compare the degree of success of these matches on an operation by operation basis. If for each operation symbol f we have $\mu_{(VJ_V)}(f) \ge \mu_{(V'J_W)}(f)$, then V is an altogether better match than V'. The ideal situation is of course when we find a match that is better than all other matches in exactly this sense. However, such an absolutely better match may not exist in the library and we may only get matches that are maximal in their degree of success, that is, no other match is better than them for all functions. This can happen when a query is large enough that two or more parts of the required functionality are available, but their combination is not. In such a case we will find several maximal signature matches that are each best for some fragment of the functionality, but are incomparable among themselves under the μ ordering. An appropriate environment could use this information to help the user synthesize an optimal combined component

out of actual components whose corresponding signature matches have maximal μ -measures.

The second measure SemanticMatchRatio is cruder. It is obtained from the first by assigning to each pair (V,I_V) a real number defined by the equation:

$$SemanticMatchRatio(V, I_{V}) = \sum_{f \in \Omega} \mu_{(V, I_{V})}(f) ,$$

where Ω is the signature of the query Q.

Once we obtain a SemanticMatchRatio of a component, we can compute the overall ComponentRank. Since Semantic Matching Ratio is the most significant information and derivable from Profile Matching and Signature Matching, it is important that we order the component base on this. Keyword Match Ratio is the second important piece of information due to how well a user can specify the keywords. The ComponentRank is then a 2-tuple of matching ratios with lexicographic ordering and is defined as follows:

- A component which has a higher SemanticMatchRatio is ordered first. ComponentRank would be included its SemanticMatchRatio and KeywordMatchRatio.
- Any components which have the same SemanticMatchRatios, then a component with a higher KeywordMatchRatio will be used to order the components.
 Again ComponentRank would be included its semanticMatchRatio and KeywordMatchRatio.

VI. IMPLEMENTATION

A. CHOICE OF LANGUAGES AND SUPPORT SYSTEMS

This chapter describes the implementation of the Architectural Model for Software Component Search. The prototype of this model is written in Ada programming language. The whole program is about 3280 lines of code. With the intention to improve and port this prototype to the CAPS environment for usage, the author chooses Ada as the primary implementation language. In the future, this work will be also integrated with [36]. This work would include an Ontos data base for storage and retrieval of software components. These data base functions will be written in C++ with Ada bindings to enable them to be used from an Ada main program. All components specifications in the software base are written in the OBJ3 language. All of these processes are executed by a main module called Software Component Search (or SCS). The implementation of each of these processes is described in the coming sections. The component OBJ3 specifications are provided in Appendix B. The Ada source codes are provided in Appendix C. The Unix utilities files to executive OBJ3 environment and support the compile/build of the SCS are provided in Appendix D. Figure 6 next page provides a data flow diagram of the SCS model.

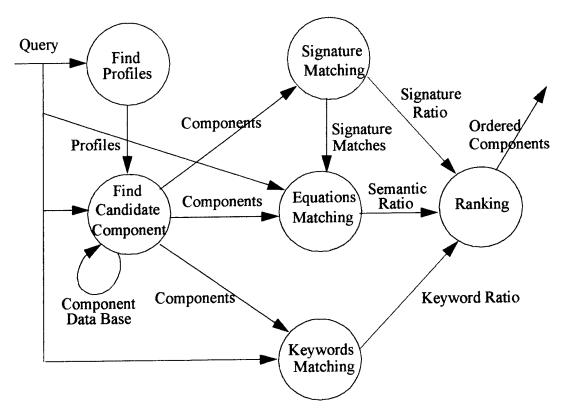


Figure 6. An Architectural Model for Sofware Component Search

B. QUERY SUBMISSION AND PROFILE GENERATION

Figure 7 (next page) shows the high level structure of Query Submission and Profile Generation processes. These two processes are implemented by an Ada module called GetQuery. This module is executed first by the SCS. It reads in a user's query specification which consists of a partial specification, keywords, and selection criterion. This partial specification consists of the signature and ground equations. The keywords specify a search path where a user thinks the desired components resided. Finally, a selection criterion is the is the preference conditions imposed by a user to allow a user to control the search process.

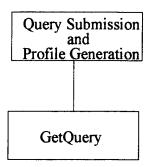


Figure 7. Structure of the Query Submission and Profile Generation

There are two variables. The first one is the product of Keyword, Profile, and Signature Match Ratios (or KPS) which is defined as follows:

 $KPS = KeywordMatchRatio \times ProfileMatchRatio \times SignatureMatchRatio$

The purpose of using this KPS value is to allow a user to zoom in a particular range of components which has a particular range of a retrieval syntactic rank's values. This is useful when the number of candidate components is very large. The second one is the block of signature maps that a user is interested in to retrieve. For the current implementation, each block consists of 85 maps. Since the number of maps generated by the SignatureMatch per query can be large, the program needs to establish the map collection points (start and stop points) so that no memory constraint exception would be raised. In this dissertation we refer this as a Mapping Block Number (MBN).

Together, these inputs represent the *what* (specification), *where* (keywords), and *how* (selection criteria) questions for a query.

C. RETRIEVAL OF CANDIDATE SOFTWARE COMPONENTS

Figure 8 shows the high level structure of Retrieval Of Candidate Software Components process. This process is implemented through FindCandidateComponents, IntializeSwb, UpdateCandidateTable, LookupBlockIndex, DetermineProfileIntersection, DepthFirstSearchForward, and InitComponentData.

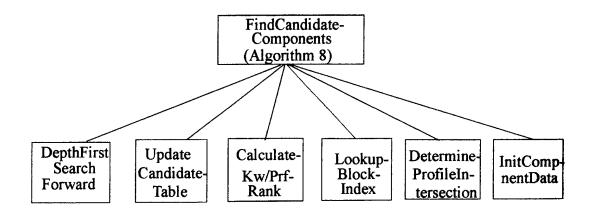


Figure 8. Structure of the Retrieval of Candidate Software Components

FindCandidateComponents is the main component of the retrieval of candidate software components. It executes the rest of the modules below it. DepthFirstSearchForward performs a depth-first search on the Hasse diagram to find any whose profiles cover the set of profiles of operation in a ground equation in the query. The module DetermineProfileIntersection determines this condition. If any block satisfies this condition, UpdateCandidateTable is called to include the components of the identified block in a buffer containing the output, called CandidateTable. CalculateKw/Prf-Rank computes KeywordRank and ProfileRank for each CandidateComponent. Finally, InitComponent-

Data sets up a CandidateComponent specification for signature-matching against the user query's specification.

D. SIGNATURE MATCHING

Figure 9 shows the high level structure of Signature Matching process. It is implemented by SignatureMatch, FindCompOpIdx, VerifyUpdateRank, ResetPreviousVisit, SortAssignment, Push/Pop Stack operations, UpdateOal modules.

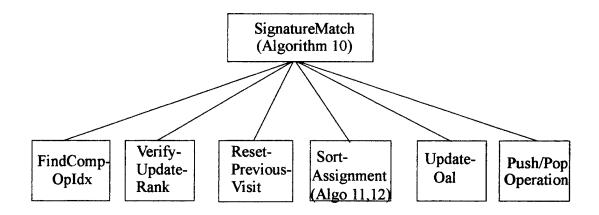


Figure 9. Structure of the Signature Matching

SignatureMatch is the main executive. It controls all the modules below it. Find-CompOpIdx finds an index which points to an available component operation so that its profile can be compared against a query profile. Before storing a signature map into a buffer, VerifyUpdateRank verifies the following conditions prior to storing a map into the SignatureMapTable. They are as follows:

- A Signature map must not be duplicated.
- A Signature map must not be a sub-map of any another signature map in the SignatureMapTable when it is inserted into this table.

• Lastly, the product of Keyword, Profile, and Signature Match Ratios (KPS) of a CandidateComponent must exceed a user specified threshold. This allows a user to control the amount of retrieved components.

ResetPreviousVisit resets the VisitingFlags of a query index operation point to a component index to a free state so that other query operations can be assigned to. SortAssignment determines whether a query sort can be assigned to a component sort. If a sort assignment can be made the SortAssignmentTable will be updated to reflect this. UpdateOal updates the OperationAssignmentTable if the profile and sort of a query operation are compatible with a component operation. Finally, the Push/Pop operations are used as stack operations for storing and retrieving of state variables such as OperationAssignmentTable, SortTableAssignment, VisitingFlags, and component and query indexes during the course of execution of the SignatureMatch.

E. GROUND EQUATION CHECKING

Figure 10 shows the high level structure of Ground Equation Checking. It is implemented by TranslateGroundEquation, ExecuteTestCase, SemanticRank.

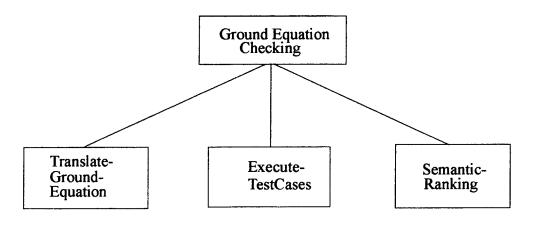


Figure 10 Structure of the Ground Equation Checking

TranslateGroundEquation translates query ground equations into component ground equations using all the possible signature maps found by the SignatureMatch module (discussed previously). This module sets the translation flag to indicate whether a ground equation was successfully translated. ExecuteTestCase issues an instantiation statement (OBJ3 Make Statement) if the component is a generic one. It then appends the translated ground equations at the end of the component along with the comments that explain which of the possible signature maps is used along with the original query ground equation. Finally, it invokes OBJ3 to perform term rewriting on these translated ground equations. This invocation is performed through a Unix Script file called *Runobj*. The result of this execution is then redirected to an output file called *Testrun.dat*. SemanticRank reads the result from Testrun.dat and computes the SemanticRank for a component using the equations stated in the Ordering Semantic Matches section. Chapter VIII will provide detailed examples describing these steps.

F. RANKING FORMULATION

Figure 11 shows the high level structure of Ranking Formulation process. This is a simple process. Namely, the ComponentRank is calculated for all the possible maps of the component by evaluate the SemanticMatchRatio and KeywordMatchRatio tuple. The current implementation will keep the highest value along with its map id. The module CalculateTotalRank performs this function.

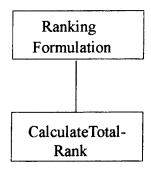


Figure 11. Structure of the Ranking Formulation

G. USER INSPECTION AND SELECTION

Figure 12 shows the high level structure of the User Inspection and Selection process. It is implemented by DisplayInvalidOperations and SortDisplayResult. DisplayInvalidOperation displays the invalid operations which do not have the corresponding profile in the current software library. It displays the actual invalid operation names so that a user can be easily isolate the corresponding ground equation in order that a new query formulation can be made. The SortDisplayResult sorts the CandidateComponents in an order high to low and displays them. It displays the map id, Keyword Match Ratio and Semantic Match Ratio for a user evaluation. A log file under module name (with a file extension "tc") is also available for a user to review. It has all the possible maps along with the translated equations.

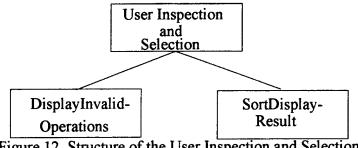


Figure 12. Structure of the User Inspection and Selection

VII. EXAMPLES

A. SOFTWARE COMPONENT RETRIEVAL EXAMPLES

This chapter provides three examples of the Software Component Search method. The reason for including these examples is to illustrate how that the system works and to reinforce the concepts described earlier. Each of the examples presents a query specification, signature maps, results of the runs submitted against the OBJ3 environment, and the final results of the retrieval process. For the purpose of illustration, let us assume that the software base consists of components for generic stack, generic queue, generic bag and list of natural numbers (a non-generic component). The specifications for these components are shown in Appendix B. We also suppose that keywords have been assigned to each component as follows:

```
Keyword(G-Stack2) = {Booch, Data-Structure, Stack},
Keyword(G-Queue) = {Booch, Data-Structure, Queue},
Keyword(G-Bag) = {Booch, Data-Structure, Bag},
Keyword(N-List) = {Booch, Data-Structure, List}
```

Example 5. Query for a stack component:

Suppose that a user submits a query containing the following information:

- The keywords are: Booch, Data-Structure, Stack.
- The partial specification is:

```
Package Stack-Of-Nat is Type Stack;
-- Query operations
function Empty(Out: Stack).
function Top(In: Stack; Out: Nat).
function Push(In: Nat, Stack; Out: Stack).
function Pop(In: Stack; Out: Stack).
-- Query ground equations
Top Push(1,Empty) = Top Pop(Push(6,Push(1,Empty))).
Pop Push(7,Push(1,Empty)) = Push(1,Emty).
End of Package Stack-Of-Nat;
```

• The selection criterion is to choose a component that has a KPS from 0.50 to 1.0. The MBN is selected to be 0 (first block).

The program scans the query to compute the following profile table:

Operation	Profile
Empty	110
Тор	220
Push	3211
Pop	2201

Table 3: Profile of Operations in Stack-Of-Nat

We now compute Gp. Gp is the set that contains set S_i , where i is a ground equation in Q. Let S_i contains profiles of all the operations in a ground equation i in Q. We have $Gp = \{S_1, S_2\}$, where S_I and S_2 are as follows:

$$S_1 = \{220, 3211, 110, 2201\}, S_2 = \{2201, 3211, 110\}$$

Next, the program finds the KeywordIds for the query keywords. The program now executes the FindCandidateComponent and DepthFirstSearch algorithms to search for any nodes whose profile set covers either S_1 or S_2 . For such nodes, the program uses the ComponentLookupTable to find the corresponding components's KeywordIds and ComponentId. Using this information, the program calculates the ProfileMatchRatio and KeywordMatchRatio, and forwards the components in the node to the signature matching procedure. When the query signature is matched against the signature of G-Stack2, G-Queue, G-Bag, N-list, the following signature maps are obtained:

Query vs. Stack2:

```
V_1: Q.S \rightarrow G\text{-}Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_1: Q.\Sigma \to G\text{-}Stack2.\Sigma' = \{(Top \to top), (Push \to push),\}
       (Pop \rightarrow pop), (Empty \rightarrow create)
V_2: Q.S \rightarrow G\text{-}Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_2: O.\Sigma \rightarrow G-Stack2.\Sigma' = \{ (Top \rightarrow stacksize), (Push \rightarrow push), \}
       (Pop \rightarrow pop), (Empty \rightarrow create)
V_3: Q.S \rightarrow G\text{-}Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_3: Q.\Sigma \to G\text{-}Stack2.\Sigma' = \{(Top \to top), (Push \to push),\}
       (Pop \rightarrow clear), (Empty \rightarrow create)
V_4: Q.S \rightarrow G-Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_4: Q.\Sigma \rightarrow G-Stack2.\Sigma' = \{ (Top \rightarrow stacksize), (Push \rightarrow push), \}
       (Pop \rightarrow clear), (Empty \rightarrow create)
V_5: Q.S \rightarrow G\text{-}Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_5: Q.\Sigma \to G\text{-}Stack2.\Sigma' = \{(Top \to top), (Push \to push),\}
       (Pop \rightarrow pop), (Empty \rightarrow emptyerror) \}
V_6: Q.S \rightarrow G-Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_6: Q.\Sigma \to G\text{-}Stack2.\Sigma' = \{ (Top \to stacksize), (Push \to push), \}
       (Pop \rightarrow pop), (Empty \rightarrow emptyerror) \}
V_7: Q.S \rightarrow G\text{-}Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_7: O.\Sigma \rightarrow G-Stack2.\Sigma' = \{ (Top \rightarrow top), (Push \rightarrow push), \}
       (Pop \rightarrow clear), (Empty \rightarrow emptyerror)
V_8: Q.S \rightarrow G-Stack2.S' = \{ (Stack \rightarrow Stack), (Nat \rightarrow Elt) \}
V_8: Q.\Sigma \rightarrow G-Stack2.\Sigma' = \{ (Top \rightarrow stacksize), (Push \rightarrow push), \}
       (Pop \rightarrow clear), (Empty \rightarrow emptyerror)
```

Query vs. Queue:

$$V_{1}: Q.S \rightarrow G-Queue.S' = \{ (Stack \rightarrow Queue), (Nat \rightarrow Elt) \}$$

$$V_{1}: Q.\Sigma \rightarrow G-Queue.\Sigma' = \{ (Top \rightarrow frontof), (Push \rightarrow add.q), (Pop \rightarrow pop.q), (Empty \rightarrow empty) \}$$

$$V_{2}: Q.S \rightarrow G-Queue.S' = \{ (Stack \rightarrow Queue), (Nat \rightarrow Elt) \}$$

$$V_{2}: Q.\Sigma \rightarrow G-Queue.\Sigma' = \{ (Top \rightarrow lengthof), (Push \rightarrow add.q), (Pop \rightarrow pop.q), (Empty \rightarrow empty) \}$$

$$V_{3}: Q.S \rightarrow G-Queue.S' = \{ (Stack \rightarrow Queue), (Nat \rightarrow Elt) \}$$

$$V_{3}: Q.\Sigma \rightarrow G-Queue.\Sigma' = \{ (Top \rightarrow frontof), (Push \rightarrow add.q), (Pop \rightarrow clear.q), (Empty \rightarrow empty) \}$$

$$V_{4}: Q.S \rightarrow G-Queue.S' = \{ (Stack \rightarrow Queue), (Nat \rightarrow Elt) \}$$

```
V_4: Q.\Sigma \rightarrow G\text{-}Queue.\Sigma' = \{(Top \rightarrow lengthof), (Push \rightarrow add.q), (Pop \rightarrow clear.q), (Empty \rightarrow empty)\}
V_5: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
V_5: Q.\Sigma \rightarrow G\text{-}Queue.\Sigma' = \{(Top \rightarrow frontof), (Push \rightarrow add.q), (Pop \rightarrow pop.q), (Empty \rightarrow underflow)\}
V_6: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
V_6: Q.\Sigma \rightarrow G\text{-}Queue.\Sigma' = \{(Top \rightarrow lengthof), (Push \rightarrow add.q), (Pop \rightarrow pop.q), (Empty \rightarrow underflow)\}
V_7: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
V_7: Q.S \rightarrow G\text{-}Queue.S' = \{(Top \rightarrow frontof), (Push \rightarrow add.q), (Pop \rightarrow clear.q), (Empty \rightarrow underflow)\}
V_8: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
V_8: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
V_8: Q.S \rightarrow G\text{-}Queue.S' = \{(Stack \rightarrow Queue), (Nat \rightarrow Elt)\}
```

Query vs. N-list:

```
V_1: O.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_1: Q.\Sigma \to N\text{-}List.\Sigma' = \{ (Top \to head of), (Push \to cons), \}
       (Pop \rightarrow tailof), (Empty \rightarrow nil)
V_2: O.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_2: Q.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow length of), (Push \rightarrow cons), \}
       (Pop \rightarrow tailof), (Empty \rightarrow nil)
V_3: Q.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_3: O.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow head of), (Push \rightarrow cons), \}
       (Pop \rightarrow clear), (Empty \rightarrow nil)
V_4: Q.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_4: Q.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow length), (Push \rightarrow cons), \}
       (Pop \rightarrow clear), (Empty \rightarrow nil)
V_5: O.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_5: Q.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow head of), (Push \rightarrow cons), \}
       (Pop \rightarrow clearhead), (Empty \rightarrow nil)
V_6: Q.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_6: Q.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow length of), (Push \rightarrow cons), \}
       (Pop \rightarrow clearhead), (Empty \rightarrow nil)
V_7: Q.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
V_7: O.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow head of), (Push \rightarrow sethead), \}
       (Pop \rightarrow tailof), (Empty \rightarrow nil)
V_8: Q.S \rightarrow N-List.S' = \{ (Stack \rightarrow List), (Nat \rightarrow Nat) \}
```

```
V_8: Q.\Sigma \rightarrow N-List.\Sigma' = \{ (Top \rightarrow lengthof), (Push \rightarrow sethead), (Pop \rightarrow tailof), (Empty \rightarrow nil) \}
```

Query vs. Bag:

```
\begin{split} &V_1: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_1: Q.\Sigma \rightarrow G\text{-}Bag.\Sigma' = \left\{ (Top \rightarrow lengthof), (Push \rightarrow add), (Pop \rightarrow clear), (Empty \rightarrow empty) \right\} \\ &V_2: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_2: Q.\Sigma \rightarrow G\text{-}Bag.\Sigma' = \left\{ (Top \rightarrow uniqueExtentOf), (Push \rightarrow add), (Pop \rightarrow clear), (Empty \rightarrow empty) \right\} \\ &V_3: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_3: Q.S \rightarrow G\text{-}Bag.\Sigma' = \left\{ (Top \rightarrow lengthof), (Push \rightarrow remove), (Pop \rightarrow clear), (Empty \rightarrow empty) \right\} \\ &V_4: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_4: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_4: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Stack \rightarrow Bag), (Nat \rightarrow Elt) \right\} \\ &V_4: Q.S \rightarrow G\text{-}Bag.S' = \left\{ (Top \rightarrow uniqueExtentOf), (Push \rightarrow remove), (Pop \rightarrow clear), (Empty \rightarrow empty) \right\} \end{split}
```

Once the computation of signature maps is complete, the following steps are performed:

• Translate the query ground equations by applying V:

Query vs. Stack2:

```
V_1: (Q.Eq1 \rightarrow G-Stack2.Eq1):

((Top(Push(1, Empty)) = Top(Pop(Push(6, Push(1, Empty)))))) \rightarrow

((top(push(1, create)) = top(pop(push(6, push(1, create))))))

V_1: (Q.Eq2 \rightarrow G-Stack2.Eq2):

(Pop(Push(7, Push(1, Empty))) = Push(1, Empty)) \rightarrow

(pop(push(7, push(1, create))) = push(1, create))
```

Query vs. Queue:

```
V_1: (Q.Eq1 \rightarrow G-Queue.Eq1):

((Top(Push(1, Empty)) = Top(Pop(Push(6, Push(1, Empty)))))) \rightarrow

((frontof(ad\overline{a}.Q(1, empty)) =

frontof(pop.Q(add.Q(6, add.Q(1, empty))))))
```

```
V_1: (Q.Eq2 \rightarrow G-Queue.Eq2):

(Pop(Push(7, Push(1, Empty))) = Push(1, Empty)) \rightarrow

(pop.Q(add.Q(7, add.Q(1, empty))) = add.Q(1, empty))
```

Query vs. List:

```
V_1: (Q.Eq1 \rightarrow N-List.Eq1):
((Top(Push(1, Empty)) = Top(Pop(Push(6, Push(1, Empty)))))) \rightarrow
((headof(cons(1, nil)) = headof(tailof(cons(6, cons(1, nil))))))
V_1: (Q.Eq2 \rightarrow N-List.Eq2):
(Pop(Push(7, Push(1, Empty))) = Push(1, Empty)) \rightarrow
(tailof(cons(7, cons(1, nil))) = cons(1, cons))
```

Query vs. Bag:

```
V_1: (Q.Eq1 \rightarrow G-Bag.Eq1):
((Top(Push(1, Empty)) = Top(Pop(Push(6, Push(1, Empty)))))) \rightarrow
((Lengthof(add(1, empty)) =
lengthof(clear(add(6, add(1, empty))))))
V_1: (Q.Eq2 \rightarrow G-Bag.Eq2):
(Pop(Push(7, Push(1, Empty))) = Push(1, Empty)) \rightarrow
(clear(add(7, add(1, empty))) = add(1, empty))
```

The translated ground equations are only shown only here for first mapping. In the course of execution, all the translated ground equations for all signature matches will be considered for GroundEquationChecking, which also does the following:

- Instantiate the formal parameter(s) with actual parameter(s) using the OBJ3 make command. This yields an non-generic component. This step is used on G-Queue, G-Stack, G-Bag, but not N-list since it is not a generic component. The sort correspondence in the signature match is used to determine the actual parameter for the instatiation.
- Append the translated ground equations to the end of G-Queue, G-Stack, G-Bag, and N-List OBJ3 code, with the OBJ3 reduce command.

As an example, these transformations are shown below for Nat-Stack2 (G-Stack2 with Nat instantiation). Note that for the purpose of illustration, the author only

shows the first one signature map out of the total of eight: The lines starting with the symbol ("*") are comment lines.

```
obj Stack2[X :: TRIV] is sort Stack .
 protecting NAT.
 op create: -> Stack.
 op copy : Stack Stack -> Stack .
 op clear : Stack -> Stack .
 op push : Elt Stack -> Stack .
 op pop : Stack -> Stack.
 op empty : -> Stack .
 op top : Stack -> Elt.
 op depthof: Stack -> Nat.
 op isempty: Stack -> Bool.
 op isequal: Stack Stack -> Bool.
 op StackError: -> Stack.
 op StackError: -> Elt.
 var S S1 S2: Stack.
 var X : Elt .
 eq clear(S) = empty.
 eq copy(empty,S) = clear(S).
 eq copy(push(X,S1),S2) = push(X,copy(S1,S2)).
 eq top(empty) = StackError.
 eq top(clear(S)) = StackError.
 eq top(push(X,S)) = X.
 eq pop(empty) = StackError.
 eq pop(clear(S)) = StackError.
 eq pop(push(X,S)) = S.
 eq pop(create) = StackError.
 eq depthof(empty) = 0.
 eq depthof(create) = 0.
 eq depthof(push(X,S)) = 1 + depthof(S).
 eq isempty(S) = if (S == create) or (S == empty) then true else false fi.
 eq isequal(S1,S2) = if S1 == S2 then true else false fi.
endo
make testobi is Stack2[NAT] endm
*** Map #
               1
*** Sort Assignment:
*** Stack
                 ->Stack
*** NAT
                  ->Elt
*** Operator Assignment:
*** Empty
                  ->create
*** Push
                 ->push
*** Pop
                 ->pop
*** Top
                 ->top
```

```
***GrdEq:Top(Push(1,Empty)) == Top(Pop(Push(6,Push(1,Empty)))).
reduce top(push(1,create)) == top(pop(push(6,push(1,create)))).

***GrdEq:Pop(Push(7,Push(1,Empty))) == Push(1,Empty).
reduce pop(push(7,push(1,create))) == push(1,create).
```

This specification now is ready to be given to OBJ3 by a Unix script file called *Runobj* (see Appendix D). The result of this execution directed to a file called *Testrun.dat*. Note that the real OBJ3's output file also contains other things, such as the OBJ header. This information is removed. The final result is stored in Testrun.dat. This file contains the following data:

Bool: true Bool: true Bool: true Bool: false Bool: false Bool: false Bool: false Bool: true Bool: true

The first two Bool statements correspond to the first signature map for the two translated ground equations (shown previously). They are term-rewritten to be true. The rest of the Bool statements correspond to the rest of the term-rewritten translated ground equations for the rest of the signature maps. Next the program reads this data to compute the SemanticRank. Finally, the ComponentRank for each component is computed. The result of a retrieval session for the Stack-Of-Nat query is shown below:

The result of your retrieval session is:

Find component: Stack2.obj Using Map Number: 1

The ComponentRank: (2.0E+00,1.0E+00)

Find component: list.obj
Using Map Number:

The ComponentRank: (2.0E+00,6.7E-01)

Find component: queue.obj

Using Map Number:

2

The ComponentRank: (1.0E+00,6.7E-01)

(1.0L 100,0.7L-01)

Find component: bag.obj

Using Map Number:

The ComponentRank: (0.0E+00,6.7E-01)

We note here that the ComponentRank is a 2-tuple value. The first field of the 2-

tuple represents the SemanticMatchRatio and the second field is the KeywordMatchRatio.

There is only one component that fully meets the query, namely, G-Stack2. N-List is

ranked second, since it has a lower KeywordMatchRatio. However, it fully meets the

SemanticMatchRatio. G-Queue is ranked third since it has the lowest SemanticMatchRa-

tio. Finally, G-bag is ranked fourth since it completely fails the semantic evaluation. The

end result of the retrieval session suggests that we can use G-Stack2 or N-list for the

Stack-Of-Nat query.

Example 6. Query for a set component:

In this example, we are adding a new generic set component into our library. The

specification for this set component is shown in Appendix B. Let us suppose that a user

submits a query which consists of the following operations:

• Union: Given two sets, form a set containing the items that are members of the

first set or the second set.

• Subset: Return true if the first set is a subset of the second set.

• Intersection: Given two sets, form a set containing the items that are members

of the first set and the second set.

• Insertion: Insert an item as a member of the set.

• Cardinality: Return the current number of items in the set.

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- Equal: Return true if the two given sets have the same state and false otherwise.
- Clear: Remove all the items from the set and make the set empty.
- Create: A set constant.
- Copy: Copy the items from one set to another set.

A user further wants to look for a component that has the following semantic samples:

- Eq 1: Clearing an non-empty set is the same as copying an empty set to a set.
- Eq 2: A set that contains elements of another set is a subset of that set.
- Eq 3: An empty set should be a result of applying an intersection operation on two disjoint sets.
- Eq 4: The result of the union of two sets is equal to a set that contains their elements.
- Eq 5: The cardinality of a set is the occurrences of the elements in that set.

Formally, these semantic samples are expressed as ground equations together with their operations in a partial specification below:

```
Package Set-Of-Nat is Type Set;
-- Operations:
Function: Union(In: Set, Set; Out: Set) .
Function: Subset(In: Set, Set; Out: Boolean).
Function: Intersection(In: Set, Set; Out: Set).
Function: Cardinality(In: Set; Out: Boolean).
Function: Insert(In: Nat, Set; Out: Set).
Function: Equal(In: Set, Set; Out: Boolean).
Function: Create(Out: Set).
Function: Clear(In: Set;Out: Set).
Function: Copy(In: Set, Set; Out: Set).
-- Ground equations:
Eq1: Clear(Insert(1, create)) = Copy(create, Clear(Insert(1, Create))).
Eq2: Subset(Insert(1,Insert(2,Create)),Insert(1,Insert(3,Insert(2,Create)))) = True \ .
Eq3: Equal(Create,Intersection(Insert(1,Create),Insert(3,Insert(2,Create))) = True .
Eq4: Equal(Insert(1,Insert(2,create)),Union(Insert(1,Create),Insert(2,Create))) = True.
Eq5: Cardinality(Insert(1,Insert(2,Insert(3,Insert(4,Insert(5,Create)))))) = 5.
End of Package Set-Of-Nat;
```

A user further chooses the following Keywords: Booch, Data-Structure, and Set. Having a high confidence in finding this component, a user chooses a KPS from 0.9 to 1.0. Finally, a MBN of 0 is also selected for retrieval. The following is the actual output of the SCS program given the query data above:

The result of your retrieval session is:

Find component: set.obj
Using Map Number: 15

The ComponentRank: (4.0E+00,1.0E+00)

This result says that we have found a full match. The KeywordMatchRatio is equal to 1.0 since every thing is matched. Due to the equations 3 and 4 having the same top function "Equal", the SemanticMatchRatio is 4.0 instead of 5.0 (for 5 ground equations). This is exactly equal to the semantic ranking scheme that we have proposed early in section 5.1. This result is obtained using a signature map number 15 from log file called Set.obj.tc. It is as follows:

*** ++++++++++++ *** Map # 15 *** +++++++++++ *** Sort Assignment: *** Set ->Set *** NAT ->Elt *** BOOL ->BOOL *** Operator Assignment: *** Create ->create *** Insert ->add *** Cardinality ->cardinality *** Clear ->clear *** Union ->union *** Equal ->isequal *** Intersection ->intersection *** Subset ->subsetof *** Copy ->copy

If we look closer at the sort and operation assignment, they look almost the same.

The result of this retrieval session says that we have successfully located a reusable component call Set.

Example 7. Query for a Ring component:

In our final example, a Ring component is added into the library. The specification of this Ring component is shown in Appendix B. Ring data structure is a sequence of zero or more items arrange in a circular fashion. Because this structure wraps around itself, it is highly symmetrical and has many useful applications ranging from manipulation of polynomials to user interface. Suppose now that a user is interested in a Ring Component. The operations requested are:

- Forward: Forward Direction (clockwise).
- Empty: Ring constant represent an empty string.
- Adding: Add an item at the top of the ring.
- Pop: Remove an item at the top of the ring.
- Rotation: Rotate the ring in a given direction.
- Cardinality: Return the current number of items in the ring.
- TopofRing: Return the item at the top of the ring.
- Testing: This operation is used only for the testing of an operation that is not valid under a software library.

A user further wants to look for a component which has the following semantic samples:

- Eq1: Adding an element to a top of an empty ring and removing it results in an empty ring.
- Eq2: The top element of a ring should be the most recently added one.
- Eq3: The element in a ring is the number of elements added in an empty ring.

- Eq4: The forward rotation of a 3 element ring should move each element two positions clockwise.
- Eq5: This equation is used for testing of an unknown operation (invalid profile) in a software library.

The information above can be formalized as a partial specification as follows:

```
Package Ring-Of-Nat is Type Ring,
Import Type Direction;
-- Operations:
Function: Forward(Out: Direction).
Function: Empty(Out: Ring).
Function: Cardinality(In: Set; Out: Boolean).
Function: Adding(In: Nat,Ring; Out: Ring).
Function: Pop(In: Nat,Ring; Out: Ring).
Function: Rotation(In: Direction,Ring; Out: Ring).
Function: TopofRing(In: Ring; Out: Nat).
Function: Testing(In: Ring,Ring,Ring,Ring; Out: Ring).
-- Ground equations:
Eq1: Pop(Adding(1, Empty)) == Empty.
Eq2: TopofRing(Adding(1,Adding(2,Adding(3,Empty)))) == 1.
Eq3: Extentof(Adding(2,Adding(3,Adding(1,Empty)))) == 3.
Eq4: Rotation(Forward, Adding(1, Adding(3, Adding(2, Empty)))) ==
   Adding(3,Adding(2,Adding(1,Empty))).
Eq5: Testing(Empty,Empty,Empty,Empty) = Empty.
End Of Ring-Of-Nat;
```

This time a user chooses the following keywords: Booch, Data-Structure, and Ring. Since a user is also interested in partial matching, a KPS of 0.6 to 1.0 is selected. Two retrieval sessions will be shown for this query due to the number of partial mappings being very large. The result of the first retrieval session is as follows: (we are using a MBN of 0 for the first 85 maps)

The result of your retrieval session is:

Find component: stack1.obj Using Map Number: 14

The ComponentRank: (3.0E+00,6.7E-01)

Find component: Stack2.obj Using Map Number: 2

The ComponentRank: (3.0E+00,6.7E-01)

Find component: ring.obj

Using Map Number:

The ComponentRank: (2.0E+00,1.0E+00)

The following operation(s) is unknown: Testing

We further review how the results are formulated by looking at maps number 2 and

14 in the log files for Stack1.obj.tc and Stack2.obj.tc. This data shows that ground equa-

tions 1, 2, and 3 were term-rewritten to be true. However, equation 4 can not be translated

due to some of the operations in this equation being undefined. Even though the Keyword-

MatchRatio is high, component Ring ranks second (both Stack1 and Stack2 rank first) due

to a low SemanticRank. Next, we go further by looking at the block 1 of the signature

maps (the next 85 maps). The retrieval result of the second retrieval session using exactly

the same query formulation is as follows:

The result of your retrieval session is:

Find Component: ring.obj

Using Map Number:

The ComponentRank: (4.0E+00,1.0E+00)

The following operation(s) is unknown: Testing

This result indicates that Ring component is a better matched component than

stack1 or Stack2 since the Ring's ComponentRank is much higher than both. This is so

because the SemanticMatchRatio value is higher than the previous session. Further

reviewing of the result in the log file of the Ring component indicates that the first four

ground equations are rewritten to be true. The final result also warns a user that operation

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"Testing" from the query formulation is not visible in the current software library. This is reported in both retrieval sessions.

In conclusion, the end result of these three examples shows the system can:

- Retrieve reusable software components.
- Discriminate between components in order to provide to a user an indication of
 which component is a better match. The system can tell the user how close or
 further apart the retrieved component is relative to a query.
- Provide useful information to explain how the result is formulated at the end of the retrieval session.
- The formulation of the query is clear, friendly enough and not so difficult that a user would not be able to use and comprehend.
- Isolate invalid operations that will help a user to reformulate a new query if needed.
- Retrieve both generic and non-generic components.

VIII. EXPERIMENTATION

A. INTRODUCTION

This chapter provides the important experimentation results to assess the practical usefulness of the proposed method for retrieving reusable software components. Five different experiments were performed. The first experiment evaluates the user's competence in
formulating the ground equations for retrieval of software components. The second and
third experiments deal with the performance of the system in relation to the Signature
Matching Algorithms. The fourth experiment describes the analysis and performance of
the software library using the Hasse Diagram as a model. The fifth experiment provides
some results regarding the retrieval performance of the system.

B. EVALUATION USING PARTIAL SPECIFICATIONS AS QUERIES

As proposed in this dissertation, using partial specifications (test cases) as a query for software components is a relatively easy task that can be performed by a typical software engineer. For a software component retrieval task, formal specification is considered by the author as overkill, unfriendly, time consuming, and inflexible for reformation of queries. Because it is easy to comprehend and simple to construct, partial specification as query could help to overcome some these difficulties. The experiment describes below is a measurement to check the aforementioned conjectures.

An assignment was given to CS-4520 (Advance Software Engineering class at NPS) students to: (1) write two formal specifications for the two software components in the Booch software library, (2) verify the correctness of these specifications by formulat-

ing test cases (ground equations) using only ground terms, (3) evaluate the following assessments:

- Comparing the difficulty in writing formal specification to ground equations.
- Assess whether a software engineer without the knowledge of formal specification could write ground equations for the retrieval of software component task.
- Provide some guide lines to help the user in formulating queries.
- Assess whether OBJ3 can be used for specifying reusable software components.

The result from these assessments are as follows:

- 83% of the students believe that the formulation of ground equations is significantly easier than writing the complete specification for modules. Most students claimed having difficulties in formulating axioms in the beginning of the writing formal specifications due to a change of mind set from procedural languages to rewrite rules. Some others students have some difficulty in formulating axioms due to the involvement with recursiveness in some problems.
- 66% of students believe that a software engineer can formulate such ground equations without the knowledge of algebraic specification. This assumes that he/she knows what are the operations required, and understand the desired behavior of the sought component(s) with respect to these operations.
- The important guidelines to supporting the users in formulating the query through ground equations are as follows:
 - A user should start with the most basic primitive operations and then incrementally test other complex operations. This is like description in a piece-meal fashion. A user learns more about the search components as the search process continues.
 - Per query, a user ought to keep a manageable size of operations and ground equations such that he/she can keep track of the semantics of the search component(s).
 - To further discriminate between components, a user should form ground equations that check on boundary conditions as well as representative samples.

- A user should avoid using too many repeated terms in order to reduce the amount of term rewriting. This will speed up the term rewriting process.
- A user should differentiate between constructors and accessors in order that ground equations can be formulated correctly.
- 83% of students believe that OBJ3 has a real potential usage in specify reusable software components. One big problem is that writing the OBJ3 specification is as error prone as programming. If this scheme is chosen, an OBJ3 specification must be well documented, tested and approved by a committee before insertion into a software library. The second problem with OBJ3 is that its error messages come back to the user are difficult to comprehend and misleading sometimes.

C. SIGNATURE MATCHING ALGORITHMS PERFORMANCE

As described earlier, SignatureMatch algorithm uses the profile definition as a way to eliminate a useless component operation when a query operation is being matched against it. This is indeed an approximate signature matching process. This experiment serves three purposes:

- To verify the correctness of this approximation to assure that no component operation is eliminated wrongly when it is matched against a query operation.
- To measure the efficiency in the reduction of the number of computational operations required when profile definition is used.
- To validate Theorem 1 stated in Chapter IV and proved in Appendix E.

One approach for verifying this experiment is to eliminate the profile equality check in Chapter V (also see item six of the Signature Matching Requirements) of the SignatureMatch algorithm. By doing this, we allow any query operation to pair with any component operations with only the remaining 6 restrictions mentioned in section IV.4. To verify the correctness, two separate executions were made, one with and one without pro-

file approximation. The end results of the two retrieval sessions were compared to see if the retrieved components chosen from the two executions are the same. In addition to this, their corresponding rankings and signature maps were also compared for equality. This experiment is performed using the same query as in Example 7 of Chapter VI. This query was executed together with two separate Signature Matching Algorithms. The first one, SMatch1, uses approximation while the second one, SMatch2, does not. Finally, a counter was inserted into these algorithms to count the number of the pairs of query and component operation that must be evaluated with and without including profile as equality check. The result of this experiment is summarized as follow:

Algorithm	Stack2	Bag	Queue	Stack 1	N-List	Ring
SMatch1	302	494	500	674	1037	1722
SMatch2	2937	57677	11042	16910	27152	1251649

Table 4: Number of the Pais of Query and Component Operation Performed for SMatch1 and SMatch2 Using the Query from Example 7

Once this result is obtained, the retrieved component of both SMatch1 and SMatch2 are compared and evaluated. It turns out that both SMatch1 and SMatch2 produce the same result. Only Ring component was retrieved. The Ring's SemanticRanks for both SMatch1 and SMatch2 have the same value. In addition, the signature maps that were used to calculate the ComponentRank for the Ring component were exactly the same. The second part of this experiment was to come up with some timing information in order that we can appreciate the effort in using approximation for signature matching process. This experiment concludes that by using profile definition to approximate the signature match-

ing process, we are able to produce the same result in a very much shorter time (about 56 times faster than using no approximation). This result also confirms Theorem 1 stated in Chapter IV.

D. REDUCTIONS OF USELESS MAPS

A goals of this dissertation is not only to demonstrate a proof of concept but to also try to make it into as practical a tool as possible. A challenge for the SignatureMatch algorithm is trying to retain only the useful maps and to discard the useless ones. This helps to reduce the storage capacity and to improve the speed of the retrieval process. This experiment provides statistical data to demonstrate that this reduction indeed helps with this process. The current prototype uses two different filtering stages to eliminate useless maps. The first stage rejects maps that are either duplicates or sub-maps of the maps that are currently residing in the SignatureMapTable. The second stage eliminates maps that do not have at least one translatable "top" function. For the purpose of efficiency, these map filtering stages are implemented as short-circuit operators (in Ada) to speed up the execution. To assure that no map is eliminated wrongly, this experiment was performed on separate executions using the query in Example 5. The first one, Exec1, included both elimination of redundant/sub-maps and nontranslateable "top" function map. The second one, Exec2, involved only the elimination of redundant/sub-map maps. Finally, the third,

Exec3, involves no elimination of maps. The following table summarizes the results of these executions:

	Stack1	Stack2	Queue	Bag	N-List	Ring
Exec1	12	8	8	17	48	72
Exec2	12	8	8	17	49	74
Exec3	168	125	126	81	351	298

Table 5: Number of the Maps Include as Part of the Three Executions Using the Query from Example 5.

In the same fashion as in Experiment 2, the end results of these executions were compared. As expected, the prototype was able to retrieve the same components for the three executions. However, Exec3, took longer to complete than Exec2 and Exec1, because all of the useless maps need to be evaluated before the final result can be produced. This is confirmed with given number of maps shown in row 3 in Table 5 above. Table 5 also indicates that there is some reduction from Exec2 to Exec1, but it is not very much.

This experiment also gives a rough idea of a number of maps that a Signature-Match algorithm produced. It provides a significant improvement for the system in terms of maps storage and execution. However, even with these reduction techniques, some test data indicates that the number of maps can possibly go up to 400 maps when all possible maps were considered. This is the worst case when all the partial maps were chosen.

E. MODEL OF A SOFTWARE LIBRARY

Another issue address by this dissertation is how a software library can be constructed so that it helps with the retrieval process. Without a software library model, the approach proposed in this dissertation would be too costly if every single component from a library must be evaluated through signature and semantic matching before a system can produce the result. There must be a way such that these matching procedures can be directed to only work on the candidate components that are highly desired by a user (and not the useless ones). To satisfy this requirement, an approach has been proposed in Section IV.3. In this chapter, a smaller scale model of a library is constructed to analyze, test and verify the theory of this proposed model. The currently ongoing work of [36] and [37] will implement and carry this idea further.

1. General Discussion of the Software Library Components

For this experiment, a collection consisting of twelve useful data structures from the Booch reusable software library [39] was selected. They are as follows: Array, Bag, Binary Tree version 1, Binary Tree version 2, Deque, Queue, List version 1, List version 2, Set, Stack version 1, Stack version 2, and Ring. These modules were written in OBJ3 language by the students (including the author) from the CS-4520 class as a course project. After that, the author further refined the specification to: (1) unify the syntax so that the prototype can work with, (2) make minor corrections for improvement, (3) include documentation, (4) collect their profile definition, and (5) finally, populate them into the

1.0			T			T			
De- que	3	-	4	-		-			-
Ring	4	8	9	9		2			
List2	3	8	3	7	-	-	-		
List1	3	3	3	2	-		-		
Bag		1	4	3	2	2	3		
Апау	4	3	3	_	_	2	-		
Set	2	1	2	2	1	3			
Queue	3	2	4			_			
Bint2	5		2	2			,	3	-
Bint 1	2	2	8				_		
Stack 2	2	2	3						
Stack 1	4	7	3	-		-			
Opera- tion pattern	<i>Y</i> ←	$A \rightarrow A$	$A \rightarrow B$	$AB \rightarrow A$	$AB \rightarrow C$	$AA \rightarrow A$	$AA \rightarrow B$	$ABB \rightarrow B$	$ABC \rightarrow B$
Pro- file id	P1= 110	P2= 2201	P3= 220	P4= 3211	P5= 330	P6= 3301	P7= 3210	P8= 4311	P9= 4221

Table 6: Profile Definitions for Twelve Software Components

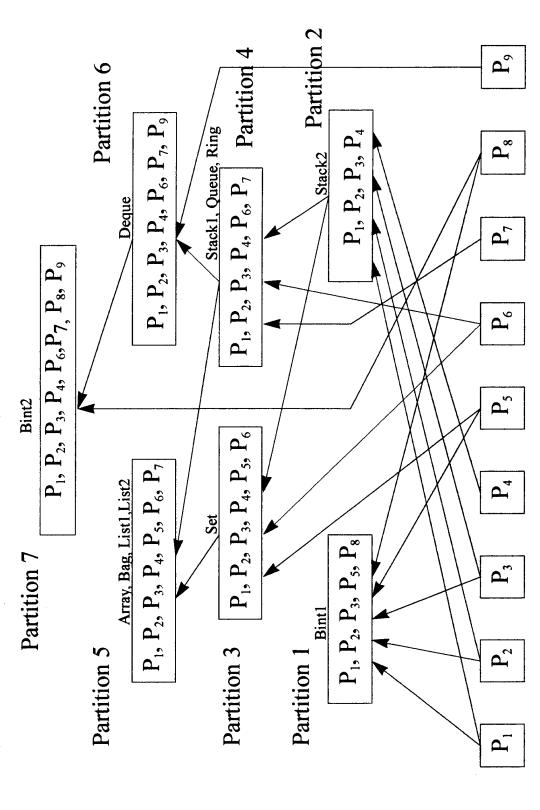


Figure 13. A HasseDiagram Represents a Software Base Partition

Table 6 summarizes the profile values with respect to the components. Figure 13 models a software library for the twelve components using a Hasse diagram.

2. Analysis of Software Library using Hasse Diagram

Algorithm DepthFirstSearchForward is responsible for the retrieval process of software components. As a depth-first search-based algorithm, its traversal time complexity is O(P+R) using an adjacency list. P represents the number of partitions and R represents the inclusive relations in the Hasse diagram. The time complexity of retrieval of candidate component is $O((|P| \times MaxProfileSet) + |MatchedComponents|)$. The product of $(|P| \times MaxProfileSet)$ is the cost for finding partitions that contain candidate components. The cardinality of |MatchedComponents| is the cost for outputting the matched components. The space complexity is as follows:

O(|P| + |Profile| + MaxProfileSetSize + |Components| + |R|)

3. A Simulation Study and Evaluation

Suppose, a user enter a following query:

Package Set-Of-Nat is Type Set;

-- Operations:

Function: Union(In: Set, Set; Out: Set).

Function: Subset(In: Set, Set; Out: Boolean).

Function: Intersection(In: Set, Set; Out: Set).

Function: Cardinality(In: Set; Out: Boolean).

Function: Insert(In: Nat, Set; Out: Set).

Function: Equal(In: Set, Set; Out: Boolean).

Function: Create(Out: Set).

Function: Clear(In: Set;Out: Set) .

Function: Memberof(In: Nat, Set; Out: Bool).

-- Ground equations:

Eq: Member of(1, Insert(1, Create)) = True.

End of Package Set-Of-Nat;

Given this query, the system computes the profile values for the query operations.

After that it identifies the profile values for the MemberOf, Insert, and Create. They are 330 (P5), 3211 (P4), and 110 (P1) (see Figure 13 and Table 3). Next FindCandidateComponents calls DepthFirstSearchForward to look for any partition which has a set of profiles containing 330, 3211, and 110. There are two partitions that satisfy this condition. These partitions are 3 and 5 (see Figure 13). They include in the following components: Set, Array, Bag, List1, and List2. The rest of the modules are not retrieved since they do not belong to a partition which contains profile 330. The following is the actual result collected from an execution:

The result of your retrieval session is:

Find Component: set.obj

Using Map Number:

The ComponentRank: (1.0E+00,1.0E+00)

Find Component: array.obj

Using Map Number: 2

The ComponentRank: (1.0E+00,6.7E-01)

Find Component: list2.obj

Using Map Number: 8

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: list1.obj
Using Map Number:

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: bag.obj

Using Map Number:

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The ComponentRank: (0.0E+00,6.7E-01)

The result from this execution indicates that Set is the best component. It has a full match value for Keyword and Semantic Match Ratios. The component such as Array is partially matched. List1, List2, and Bag are the worst ones because they fail the semantic check. That is why their ComponentRank is 0.0.

To convince ourselves that these components retrieved above are indeed the

correct ones, all twelve components are selected and executed against the SignatureMatching and Ground Equations. The results are correlated with the previous execution to check that we did not discard any potential candidate component. Here is the result of this execution:

The result of your retrieval session is:

Find Component: set.obj

Using Map Number:

The ComponentRank: (1.0E+00,1.0E+00)

Find Component: array.obj Using Map Number: 3

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: bint1.obj Using Map Number:

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: deque.obj Using Map Number: 42

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: ring.obj
Using Map Number: 80

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: list2.obj
Using Map Number: 83

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: list1.obj
Using Map Number: 83

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: bag.obj Using Map Number: 63

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: queue.obj Using Map Number: 42

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: bint2.obj
Using Map Number: 42

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: stack1.obj Using Map Number: 42

The ComponentRank: (0.0E+00,6.7E-01)

Find Component: stack2.obj
Using Map Number: 23

The ComponentRank: (0.0E+00,6.7E-01)

This result confirms that the components which have not been selected in the previous execution, such as Bint1, Stackt2, Stack1, Bint2, Queue, Ring, and Deque have a SemanticMatchRatio of 0.0 because no translated equation could be was produced for them. These components do not have a profile value of 330 or 3211. That is why they are excluded from the first execution. We have eliminated the useless components which would be wasteful and costly (in term of execution time) if they had been included in the retrieval session. This elimination makes the method useful and practical when the number of software components in the library becomes large.

Our final study with the software library is to see how a partial match of a component can be obtained. So far, for demonstration purposes, we only have one ground equation. Suppose now, a user adds in another ground equation as follows:

Eq: Subset(Insert(1,Insert(2,Create)), Insert(1,Insert(3,Insert(2,Create)))) = true.

With this new ground equation, an additional set of profiles is computed. This set has the following elements: 3210, 3211, and 110. We begin to search for the Candidate-Components in the library; this set of value will be checked against the partitions in the library. If any component which belongs to a partition that contains either {3210, 3211, 110} or {330, 3211, 110} (the previous ground equation) will be considered as a candidate component. In this case, looking at Figure 5, the components Stack1, Queue, Ring, Deque,

and Bint2 will be considered as candidate components in addition to the components selected in the last session. Here is the execution to verify this:

The result of your retrieval session is:

Find Component: set.obj Using Map Number:

The ComponentRank: (2.0E+00,1.0E+00)

Find Component: array.obj Using Map Number: 1

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: deque.obj
Using Map Number: 42

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: queue.obj Using Map Number: 83

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: bint2.obj Using Map Number: 74

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: stack1.obj
Using Map Number: 83

The ComponentRank: (1.0E+00, 6.7E-01)

Find Component: ring.obj Using Map Number: 80

The ComponentRank: (0.0E+00, 6.7E-01)

Find Component: list2.obj
Using Map Number: 83

The ComponentRank: (0.0E+00, 6.7E-01)

Find Component: list1.obj
Using Map Number: 83

The ComponentRank: (0.0E+00, 6.7E-01)

Find Component: bag.obj Using Map Number: 63

The ComponentRank: (0.0E+00, 6.7E-01)

Find Component: stack1.obj

The ComponentRank: (0.0E+00, 6.7E-01)

From this example, we can see that additional components are included due to the

second ground equations. It turns out that these components have a very low ranking and may not contribute much to a user's expectation. However, the system should be able to provide a user with such partial matches in case a user is not satisfied with the better matches. Since a user has control over the search process via the selection criteria, he/she can specify how well the components are matched against his/her query. This would limit the number of matched components to a manageable size so that a user can make a selection with ease. The execution above was executed using a KPS value of 0.0 to 1.0 to allow all components to be evaluated. If a user has chosen a KPS of 0.8 to 1.0, then only the Set component would show up.

F. RETRIEVAL PERFORMANCE

In this section we perform the retrieval measurement for this model. Here we do not try to do an extensive large scale measurement but rather a study to see how the system stands up against two well known critical evaluations [4]. They are *Recall* and *Precision*. Recall is defined as:

$$Recall = \frac{|RelevantComponentsRetrieved|}{|RelevantComponentsInLibrary|}$$

Precision is defined as:

$$Precision = \frac{|RelevantComponentsRetrieved|}{|ComponentsRetrieved|}$$

1. Experimental Description

There are 18 different query sessions performed for this experiment using the same simulated software library discussed in the previous experiment. These sessions consist of

6 different query formulations using 3 different KPS scenarios. The 6 queries are designed to retrieve the following components: Bag, List, Queue, Set, Ring, and Stack. Each query consists of a set of keywords, operations, and a ground equation that characterizes an individual component. The 3 KPS scenarios are chosen with Low (0.0-1.0), Medium (0.6-1.0), and High (0.9-1.0). Once a retrieval session is complete, the ComponentRanks are tabulated in Table 7. For each query, the retrieved components are evaluated to determine their relevance and cross-checked against the expected ones. Finally, the recall and precision values are computed for this query session. They are also tabulated in the same table (column 2). Note that the left most column of Table 7 identifies the a user query. The "-1", "-2", and "-3" represents the KPS scenarios: Low (0.0-1.0), Medium (0.6-1.0), and High (0.9-1.0).

Query Specifi	Recall/ Precision	Stack 1	Stack 2	Bint1	Bint2	Onene	Set	Аттау	Bag	List1	List2	Ring	De- que
Bag-1	1.0 / 0.1		0.53		0.53	0.53	0.53	0.53	2.0	0.53	0.53	0.4	0.53
Bag-2	1.0 / 1.0								2.0				
Bao-3	1.0 / 1.0								2.0				
List-1	1.0 / 0.5	1.3	1.3	0.38		1.3		0.5	0.17	2.0	2.0	1.3	1.3
List-2	1.0 / 0.71	1.3	1.3			1.3				2.0	2.0	1.3	1.3
List-3	0.4 / 1.0									2.0	2.0		
Queue-	1.0 / 0.54	1.0	1.3	0.2	1.3	2.0	1.3	0.5	1.3	1.3	1.3	1.0	
Queue-	1.0 / 0.75		1.3		1.3	2.0	1.3		1.3	1.3	1.3		
Queue-	0.16/1.0					2.0							
Rino-1	1.0 / 0.11	0.3	0.53		0.67	0.53	0.4		0.4	0.53		2.0	0.53
Ring-2	1.0 / 1.0											2.0	
Ring-3	1.0 / 1.0											2.0	
Set-1	1.0 / 0.4						2.0	0.44	1.3	1.3		0.44	
Set-2	1.0 / 0.66						2.0		1.3	1.3			
Set-3	0.5/1.0						2.0						
								J. D. C.	SQ 71	scenarios			

Table 7: Recall/Precision Measurements for 3 Different KPS scenarios

De-	1.3	1.3	
Ring	1.3	1.3	
List2	1.3	1.3 1.3	
List1	1.3	1.3	
Bag	0.5 0.17		
Аггау	0.5		
Set			
Queue	1.3	1.3	
Bint2			
Bint 1	0.38		
Stack 2	2.0 2.0	2.0	2.0
Stack 1		2.0	2.0
Recall/ Precision	Stack-1 1.0 / 0.5	Stack-2 1.0 / 0.71	Stack-3 0.4/1.0 2.0 2.0
Query Specifi cation	Stack-1	Stack-2	Stack-3

Table 7: Recall/Precision Measurements for 3 Different KPS scenarios (Continue)

2. Experimental Evaluation

We showed the recall and precision performance of the 18 retrieval sessions using the 3 different KPS scenarios in Table 7. This table indicates that for a Low scenario KPS, we have a very high recall for all queries. a perfect score of 1.0 for all queries. However, its precision is very low: it starts at 0.1 to 0.5. This is due to the fact that we have stressed coverage. Here we have considered very minimal partial matches as well as full matches. In opposite, for a High KPS scenario, we had a high precision performance but we lost some recall performance at the same time. This is due to the fact that we are have asked the system to look only for full matches. The precision values have a perfect score of 1.0 and the recall measurement is in the range of 0.16 to 1.0. Balance recall and precision is achieved using the Medium KPS scenario. From Table 7, we see that the recall values stays constant at 1.0 while the precision varies from 0.66 to 1.0. This is a better selection criterion since it balances between our recall and precision measurements.

In comparing with a study by [14], for precision, we see that the High KPS scenario is in the same class with Faceted approach 16. However, it recall performance is outperformed by Faceted approach by a small factor of 0.15 on the low side. Our Medium KPS has a better recall performance but has a lower precision than the Faceted approach. It is about the same class as the Attribute-Value approach.

^{16.} Faceted approach is ranked highest in precision among Attribute-value, Enumerated, Keyword. Note here that we are not considering the analysis of variance for precision as stated in [14].

We note that the study in [14] is a much bigger scale evaluation. However, we can see that this study gives us some indications about the performance of the system as well as how our selection criteria can effect the precision and recall measurement of the system. In addition to this, we also conclude that, through a conservative selection criterion (Medium KPS scenario), we can possibly obtain a balanced recall and precision retrieval which improve on the recall and precision obtainable by other search techniques. This is due to the fact that we allow a user to have control over the search process through the selection criterion option. This also fits to our assumption that search can be made an iterative process.

IX. SUMMARY AND SUGGESTIONS FOR FUTURE RESEARCH

A. INTRODUCTION

This chapter summarizes the contents of the dissertation, identifying those areas that are contributions to the state of the art, and then offers suggestions for future research. Section B contains the dissertation summary. Section C discusses system modifications to improve its performance. Section D describes the system extensions and suggestions for future research. Section E describe changes to the implementation required to get a production quality realization of the method that can be integrated with the CAPS system.

B. DISSERTATION SUMMARY

This dissertation has described in detail a technique for retrieving reusable soft-ware components from a software library using a partial specification. A prototype has been built with an intention to improve and port it to the Computer Aided Prototyping System (CAPS). The goal of CAPS is to provide the software engineer with an environment to support rapid prototyping for hard real embedded systems. CAPS uses a prototype language PSDL to specify both prototypes and production software. The retrieval reusable components can help to improve the prototyping process and produce quality code.

In our approach, the search for software components is organized as a series of increasingly stringent filters on software library components. We first filter components by comparing pre-computed syntactic profiles of components with the profile of the query. The inclusion relation from a Hasse diagram has been used to facilitate this retrieval process. The result of this process is a set of candidate components with their *Profile* and *Key*-

wordMatchRatio. Secondly, we filter these components by seeking to find type-consistent translations from the query signature to the component signatures. This is accomplished by signature matching, which looks for maps that translate the sort and operation symbols of the query into corresponding sort and symbols of candidate components. This matching process also uses profiles to reduce the computational effort required. Signature matches calculated can be partial, in that only part of the functionality the user seeks may actually be available. Third, the semantic filtering ranks components by how well they satisfy the ground equations in the query and eliminates the components that do not satisfy any of the ground equations. In this process, equations that are logical consequences of the query specification are translated through the signature matches into equations whose validity is checked with respect to the candidate specifications. Finally, the candidates in the choice set are ranked according to their likelihood of success. The final output represents this choice set as well as how it is computed. Invalid information is also reported to help a user to reformulate a new query if needed. This whole process can be made iterative.

This dissertation makes contributions to the state of the art in reusable software component retrieval.

- A theory of query by partial specification through a multi-level search of software components by comparing between specifications based on syntactic (profile/keyword, signature matching) and semantic information.
- A new method, algorithms, and corresponding implementation that optimizes
 the signature matching process (for full and partial matches) to produce a set of
 optimized maps (no duplication or sub-maps). This method is also considers
 subsort relation for handling component matching.
- A new model for organization of a software library using a Hasse diagram to facilitate of the retrieval process. This model can play an important role in supporting the cataloging of components through semi-automation.

- A new multi-level ranked scheme to order components in terms of their closeness to the user query.
- A new and unique way for classification of program operations in terms of the profiles for approximate signature matching and classification of software components.
- Evidence that a large scale reuse is feasible, avoiding the limitations of informal methods (i.e using keywords or facets) and complexity of formal methods (having the user query using a complete formal specification). The system proposed also can handle both non-generic as well as generic software components. This is a real practical requirement for a retrieval system. The system can also provide useful data to help the user to formulate a new query if needed.
- The ideas proposed in this dissertation may have implications for software testing. In particular, the techniques for generating test cases to be used in matching queries could also be used to test the correctness of code that is supposed to
 implement a module.

C. SYSTEM MODIFICATIONS TO ENHANCE PERFORMANCE

This section suggests the modifications that would help the system to improve its performance. These modifications should be relative easy to implement, and they require only simple verifications.

1. User Interface

As a prototype, the current prototype system has a very limited user interface capability. It would be nice to develop a front end graphical user interface for the system. On top of this, a syntax directed editor can be used to assist a user with the query formulation process. This would also assure that the partial specification entered by a user is syntactically correct before the retrieval process is started. The output of the prototype should also be improved and automated so that the user can view the desired retrieval information and the selected components with ease. Finally, it would be a good idea to store previous que-

ries in a database so that a user can reuse them in the future. The verification here is to check for the system for the ability to input query via menu. The output of the retrieval process can also be used to verify for input data.

2. Incremental Retrieval of Software Components

The current prototype can work with a single selected block of signature maps (85 maps) per execution. For a production system, it should allow a user to backtrack or go forward to any particular block of maps desired. The same approach should be the used for allowing the user to view components with any KPS value. This option would add more flexibility for a user in controlling the search process. To verify this process, we can evaluate the output of the retrieval process such as the map ids and the Keyword, Profile, and Signature Match Ratios, and ComponentRank of the retrieved components.

3. Loading of OBJ3 Environment

For the semantic filtering process, the current implementation load OBJ3 environment every time a component is being checked for its ground equation. This loading can take some additional time off from the retrieval speed. For the purpose of efficiency, this OBJ3 environment should be loaded only one time during the retrieval process. To verify this, we can look at the OBJ3 process id and status as it executes. The Unix command "ps" would allow us to do that.

D. SUGGESTIONS FOR FUTURE RESEARCH

1. Environment for Evaluation of Test Cases in Queries

The current prototype uses OBJ3 's term rewriting capability to evaluate the ground equations. A suggestion for future research is to compare the cost these test cases

to the cost of directly in compiled code for the component implementations. Since the number of test cases per query is likely to be small and since new code will have to be generated, compiled, and loaded to invoke the components chosen by semantic matching, this overhead could overwhelm the speed advantage of compiled code over term rewriting, especially since one call to OBJ3 could handle a batch of several specifications with their reductions. The costs involved here should be checked experimentally. The difference between these approaches should be measured to help decide if it is worth the effort of associating formal specifications with each component in the software base.

2. The Choice for Rank Functions

So far all ground equations are assumed to have equal importance. Some equations that may be more significant to a user than the others. For such situations, we can attach weights reflecting the relative importance of different equations. This should be evaluated experimentally. The proper weighting of the importance of the number of equations that match for a given operation relative to the number of operations that are supported by a given number of test cases should also be further explored. Using the relation \equiv in section 4.4 means that some operation matches will be better that others; the definition of match ratio of the signature match could be modified to take account of this, and then it would be interesting to see if this helps with retrieval.

3. Possible Improvements for the Signature Matching Algorithm

The current SignatureMatching algorithm can match a query constant to a component constant as long as their sort assignment is allowable. In the experiment components, there are two kind of constants. They are generator constants and exception error con-

stants. During the course of testing and evaluation of the SignatureMatching algorithm, many useless maps that were created because the system tries to match a query generator constant with an exception constant from the component or vice versa. This kind of matching is unrealistic, and it should not be included in any signature maps. We should only match query generator constants with the generator constants from the component. The same would be true for exception error constants. One possible way to improve the matching process is to have a user explicitly declare exception constants in the specification (the Ada programming language also requires users to declare exceptions in the specifications). Given this information, the SignatureMatching algorithms could know the difference between the two and would not try to cross-assign them with one another.

The second possible improvement is to order the query and component operations in some fashion using their profile values. From here the SignatureMatching process can sequentially step through these ordered operations and match them. This would should reduce the number of combinations to be checked. We should note here that this matching process may not be linear due to multiple operations with same profile involved from the query and component (i.e., duplication of operation's profiles in the query but not in the component). This needs experimentally evaluated and compared with the current approach.

4. Experimentation with other Components from other Libraries

The experiments completed so far indicate that it works well with small subset of the Booch library components, namely Data Structure components. The author believes that additional testing should be performed in a larger setting and include more variety of components from a different domains such as navigation, business, and mathematical components. Using this setting, more available data can be collected and compiled for recall and precision measurements.

5. Exploring other Specification Languages

In addition to OBJ3, it would be useful to explore using other languages to represent the formal specifications. For example, it would be interesting to see if the techniques suggested here would work for FOOPS, which is an extension of OBJ that handles states, and for Eqlog, which extends OBJ with some features of logic programming. It would be interesting to assess the value of Eqlog for matching, and to explore the trade-offs between expressive power and computational requirements. Eqlog has been implemented by Diaconescu [1] as an extension of the OBJ3 interpreter.

E. SUGGESTION CHANGES TO GET A PRODUCTION QUALITY

To get a production quality of the current implementation, the following points are recommended:

- Replace integer constants in Gldef.a and Swbdef.a with enumeration types for
 ease of maintenance and debugging purposes. Replace string variables from
 bounded size to unbound size.
- Incorporate the actual library system to replace the simulated Hasse diagram modules swb.a and swbdef.a.
- Incorporate the user interface procedure Getquery with a more friendly graphical user interface module. Also replace the module SortDisplayResult to output text data in a friendly graphical form. This would provide a better interaction between the system and user.
- Re-implement the current design so that OBJ3 environment can be load only once for each query session. This would save some execution time.
- The MBN option could be removed. In this way the system would require to

- search through all possible maps for the best possible maps instead stopping at current limit which is 85 maps. This would be a better solution to current implementation since a user is provide less input with the query.
- Include an option to allow a user to view all the signature maps from the log files (component name with extension "tc") for evaluation if he/she desires so. These signature maps can be also incorporated as inputs to a wrapper program for the CAPS prototype.

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APPENDIX A - BACKGROUND INFORMATION

In this chapter we provide some background information and necessary definitions. These materials are not intended as a tutorial, but rather to indicate what the reader needs to know in understanding the technical aspects of our work, especially in Chapter IV. Interested readers can refer to [10,15,16,17] for more information.

A. OBJ3 AND ALGEBRAIC SPECIFICATION

OBJ3 is a functional programming language rigorously based on order sorted logic and can be used to describe the syntactic and semantic properties of sequential processes. The rigorous semantics of the language also allows specifications to be written as programs that are declarative in style and mirror the structure of an algebraic specification. This property makes it possible for OBJ3 to be used as a theorem prover for validating and implementing algebraic specifications. Finally, OBJ3 supports parameterized programming which is one of the powerful features that support our work in handling generic modules.

In OBJ3, an algebraic specification for objects consists of two parts: a signature and a set of axioms. The signature defines the sorts (or types) being specified, the operation symbols, and their functionality in an object. It is denoted as (S, Σ) where S and Σ are a sort set and an operation symbol set, respectively. The axioms are expressed as equations describing the semantics (or behavior) of an object.

B. GROUND EQUATION

In our user query specification, an equation which contains no variables is referred to as a ground equation. It illustrates an example of an object's behavior by describing

how the operations are interacted with one another using only appropriate ground terms. we assume that the set of ground equations in the query has distinct left-hand sides and is complete, in the sense of being terminating and Church-Rosser; it does not need to be "complete" in the sense of completely describing the desired component.

C. TERM REWRITING

In order that a specification can be executed to determine that the intended properties follow the stated axioms, a technique called Term Rewriting is used. In term rewriting, each axiom is interpreted as a left-to-right rewrite rule that states the left hand side (LHS) can be rewritten to its corresponding right hand side (RHS). Given terms t_i , t_j , and t_k , a set Ψ of rewrite rules is *Church-Rosser* if whenever

$$t_i \Rightarrow * t_j \text{ and } t_i \Rightarrow * t_k$$

then there is a term t_l such that $t_i \Rightarrow *t_l$ and $t_k \Rightarrow *t_l$, where $\Rightarrow *$ denotes successive application of rewrite rules. Ψ is terminating if there is no infinite chain of rewrite applications. Ψ is canonical if it is Church-Rosser and terminating. Given term t and t', if $(t \Rightarrow *t')$ and t' can not be further reduced through any of rewrite rules, then t' is referred to as the normal form of t. For canonical specification, each ground term has a unique normal form, called its canonical form. Term rewriting is implemented in OBJ3 in terms of a feature called "Reduce" that reduces an expression to its normal form.

D. OPERATIONS

Let A be a nonempty set, then the n-ary operation op is a function from A^n to A and is written op: $A^n \rightarrow A$. A nullary operation op: A0, corresponds to a constant

value that is a member of the set A while a unary operation is a function from A into A, that is op: $A \rightarrow A$. Operations are also referred to as Functions. [38]

E. ACCESSOR AND CONTRUCTOR OPERATIONS

An operation whose range sort that is not a principle sort is defined to be an accessor operator. For example, in our stack example, the Top operation is an accessor since it does not return a result of sort stack (the main sort). An operation whose range sort that is a principal sort is defined to be a constructor operation. The values of an abstract data type are built up using constructor operations. Constructors can further break down into atomic and nonatomic operators. For example, in a Stack component, operations create and push are atomic constructors while the pop operator is a nonatomic constructor operator. The rationale here is that whatever the value constructed by the pop can also be performed by using push and create operators.

APPENDIX B - OBJ3 COMPONENTS

This appendix contains the OBJ3 source code for the twelve Booch data structure

Components. They are as follows:

```
*************************
*** This is a list1 obj3 (Generic Version)
*** Keywords: Booch, Data-Structure, List
*** Function: To perform list data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
*********************
obj list1[X :: TRIV] is sort List.
protecting NAT.
op nil: -> List.
op cons: Elt List -> List.
op headof: List -> Elt.
op tailof: List -> List.
op clear: List -> List.
op clearhead: List -> List.
op contains: List Elt -> Bool.
op lengthof: List -> Nat.
op sethead: Elt List -> List.
op isnull: List -> Bool.
op isequal: List List -> Bool.
op listerror: -> List.
op elterror: -> Elt.
op copy: List List -> List.
var I, J: Elt.
var L: List.
var Nl: List.
eq copy(nil,nil) = nil.
eq copy(L,nil) = L.
eq copy(nil,L) = nil.
eq copy(cons(J,L),cons(I,Nl)) = cons(J,copy(L,Nl)).
eq lengthof(nil) = 0.
eq lengthof(cons(I,L)) = 1 + lengthof(L).
eq isequal(nil,nil) = true.
eq isequal(L,nil) = if not length of(L) == 0 and length of(nil) == 0
           then false else true fi.
eq isequal(nil,Nl) = if lengthof(nil) == 0 and not lengthof(Nl) == 0
           then false else true fi.
eq isequal(cons(J,L),cons(I,NI)) = if J == I and isequal(L,NI)
                    then true else false fi.
```

```
eq clear(L) = nil.
 eq clearhead(nil) = nil.
 eq clearhead(cons(I,L)) = L.
 eq isnull(L) = if length of(L) == 0 then true else false fi.
 eq headof(nil) = elterror.
 eq headof(cons(I,L)) = I.
 eq tailof(nil) = nil.
 eq tailof(cons(I,L)) = L.
 eq sethead(I,nil) = listerror.
 eq sethead(I,L) = cons(I,clearhead(L)).
 eq contains(nil,I) = false.
 eq contains(cons(J,L),I) = if J == I then true else contains(L,I) fi.
endo
*** This is a list2 obj3 (List of Natural number)
*** Keywords: Booch, Data-Structure, List
*** Function: To perform list data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
                                          *****************
obj list is sort List.
 protecting NAT.
 op nil: -> List.
 op cons: Nat List -> List.
 op headof: List -> Nat.
 op tailof: List -> List.
 op clear: List -> List.
 op clearhead: List -> List.
 op contains: List Nat -> Bool.
 op lengthof: List -> Nat.
 op sethead: Nat List -> List.
 op isnull: List -> Bool.
 op isequal: List List -> Bool.
 op listerror : -> List .
 op elterror: -> Nat.
 op copy: List List -> List.
var I, J: Nat.
var L: List.
var Nl: List.
eq copy(nil,nil) = nil.
```

```
eq copy(L,nil) = L.
  eq copy(nil,L) = nil.
  eq copy(cons(J,L),cons(I,Nl)) = cons(J,copy(L,Nl)).
  eq length of (nil) = 0.
 eq lengthof(cons(I,L)) = 1 + lengthof(L).
 eq isequal(nil,nil) = true.
 eq isequal(L,nil) = if not length of(L) == 0 and length of(nil) == 0
              then false else true fi.
 eq isequal(nil,Nl) = if lengthof(nil) == 0 and not lengthof(Nl) == 0
              then false else true fi.
 eq isequal(cons(J,L),cons(I,NI)) = if J == I and isequal(L,NI)
                       then true else false fi.
 eq clear(L) = nil.
 eq clearhead(nil) = nil.
 eq clearhead(cons(I,L)) = L.
 eq isnull(L) = if length of(L) == 0 then true else false fi.
 eq headof(nil) = elterror.
 eq headof(cons(I,L)) = I.
 eq tailof(nil) = nil.
 eq tailof(cons(I,L)) = L.
 eq sethead(I,nil) = listerror.
 eq sethead(I,L) = cons(I,clearhead(L)).
 eq contains(nil,I) = false.
 eq contains(cons(J,L),I) = if J == I then true else contains(L,I) fi.
endo
*** This is a bint1 obj3 (Binary Tree Data structure version 1)
*** Keywords: Booch, Data-Structure, Binary-Tree
*** Function: To perform binary tree data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
object bint 1 [X :: TRIV] is sort Bintree.
 protecting NAT.
 protecting INT.
 op empty: -> Bintree.
 op left : Bintree -> Bintree .
 op right : Bintree -> Bintree .
 op isempty: Bintree -> Bool.
 op node: Bintree -> Elt.
 op isin: Elt Bintree -> Bool.
 op naterror : -> Elt .
```

```
op make : Elt Bintree Bintree -> Bintree .
  op max: Nat Nat -> Nat.
 op depth: Bintree -> Nat.
 op height: Bintree -> Nat.
 var m: Elt.
 var l,r: Bintree.
 var n: Elt.
 var i: Nat.
 var j: Nat.
 eq left(empty) = empty.
 eq left(make(n,l,r)) = 1.
 eq right(empty) = empty.
 eq right(make(n,l,r)) = r.
 eq node(empty) = naterror.
 eq node(make(n,l,r)) = n.
 eq isempty(empty) = true.
 eq isempty(make(n,l,r)) = false.
 eq isin(n,empty) = false.
 eq isin(m,make(n,l,r)) = if n == m then true else isin(m,l) or isin(m,r) fi.
 eq max(i,j) = if i > j then i else j fi.
 eq depth(empty) = 0.
 eq depth(make(n,l,r)) = 1 + \max(depth(1), depth(r)).
eq height(make(n,l,r)) = depth(make(n,l,r)) - 1.
                   ****************
*** This is a bint2 obj3 (Binary Tree Data structure version 2)
*** Keywords: Booch, Data-Structure, Binary-Tree
*** Function: To perform binary tree data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj bint2[X :: TRIV] is
sorts Tree Child Node.
protecting NAT.
subsort Node < Tree.
op null -> Tree.
op left: > Child.
op right: -> Child.
op node: Elt Tree Tree -> Tree.
```

```
op copy. T2: Tree Tree -> Tree.
 op clear.T: Tree -> Tree.
 op construct.T: Elt Tree Child -> Tree.
 op setitem.T: Elt Tree -> Tree.
 op swapchild.T1: Child Tree Tree -> Tree.
 op swapchild.T3: Child Tree Tree -> Tree.
 op isequal: Tree Tree -> Bool.
 op isnull: Tree -> Bool.
 op itemof: Tree -> Elt.
 op childof: Child Tree -> Tree.
op treeisnull: -> Tree.
op treeisnull: -> Elt.
var T T1 T2 T3 T4: Tree.
var C C1 C2: Child.
var I I1 I2: Elt.
eq copy.T2(T1, T2) = T1.
eq clear. T(T) = null.
eq construct. T(I,T,C) = if C == right then node(I,null,T)
                      else node(I,T,null) fi .
eq setitem. T(I,null) = treeisnull.
eq setitem. T(I2, node(I1, T1, T2)) = node(I2, T1, T2).
eq swapchild.T1(C,node(I,T1,T2),T3) =
             if C == left then node(I,T3,T2)
                    else node(I,T1,T3) fi.
eq swapchild.T3(C,node(I,T1,T2),T3) = if C == left then T1
                              else T2 fi.
eq isequal(T1,T2) = if T1 == T2 then true else false fi.
eq isnull(T) = if T == null then true else false fi.
eq itemof(null) = treeisnull.
eq itemof(node(I,T1,T2)) = I.
eq childof(C,null) = treeisnull.
eq childof(C,node(I,T1,T2)) = if C == left then T1 else T2 fi.
endo
             ****************
*** This is a deque obj3 (Deque Data structure)
*** Keywords: Booch, Data-Structure, Deque
*** Function: To perform deque data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
**********
obi LOCATION is
 sort Location.
 ops Front Back : -> Location .
endo
obj deque[X :: TRIV] is
 sort Deque.
```

```
*** Import predefined types
protecting LOCATION.
protecting NAT.
*** Generator
op empty: -> Deque.
*** Other constructors/properties
op copy: Deque Deque -> Deque.
op clear : Deque -> Deque .
op add: Elt Location Deque -> Deque.
op pop: Location Deque -> Deque.
op isequal: Deque Deque -> Bool.
op lengthof: Deque -> Nat.
op isempty: Deque -> Bool.
op frontof: Deque -> Elt.
op backof: Deque -> Elt.
*** Exception
op underflow: -> Deque.
op underflow: -> Elt.
*** Variable declarations
var D D2: Deque.
var L: Location.
var E: Elt.
*** Equations
eq copy(empty,D) = empty.
eq copy(add(E,Front,D),D2) = add(E,Front,copy(D,D2)).
eq clear(D) = empty.
eq add(E,Back,D) = if D == empty then add(E,Front,empty) else
           add(front of(D), Front, add(E, Back, pop(Front, D))) \ fi \ .
eq pop(L,empty) = underflow.
eq pop(Front,add(E,Front,D)) = D.
eq pop(Back,add(E,Front,D)) = if D == empty then D else
                 add(E,Front,pop(Back,D)) fi .
eq isequal(D,D2) = if D == D2 then true else false fi.
eq lengthof(empty) = 0.
eq lengthof(add(E,L,D)) = 1 + lengthof(D).
eq isempty(D) = if D == empty then true else false fi.
eq frontof(empty) = underflow.
eq frontof(add(E,Front,D)) = E.
eq backof(empty) = underflow.
```

```
backof(pop(Front,D)) fi .
endo
 *** This is a Set obj3 (Set Data structure)
*** Keywords: Booch, Data-Structure, Set
*** Function: To perform Set data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj set[X :: TRIV] is sort Set.
  protecting NAT.
*** basic set operations
*** constructors
                     -> Set .
  op create
              : Set -> Set .
  op clear
  op copy
              : Set Set -> Set.
              : Elt Set -> Set.
  op add
  op remove
              : Elt Set -> Set .
               : Set Set -> Set .
  op union
  op intersection: Set Set -> Set.
*** assessors
  op cardinality: Set -> Nat.
  op isequal : Set Set -> Bool.
  op isempty
              : Set -> Bool .
  op memberof : Elt Set -> Bool .
  op subsetof : Set Set -> Bool.
  op prosubsetof: Set Set -> Bool.
*** exception
 op seterror : -> Set .
*** variables declaration
 var S S1 S2 S3 S4 : Set .
 var E E1 E2: Elt.
*** axioms
```

eq backof(add(E,Front,D)) = if D == empty then E else

eq clear(S) = create.

```
eq cardinality(create) = 0.
  eq cardinality(add(E,S)) = if member of(E,S) then cardinality(S) else 1 + \text{cardinality}(S) fi.
  eq remove(E, create) = seterror.
  eq remove(E,add(E1,S1)) = if E == E1 then S1 else union(add(E1,create),remove(E,S1)) fi.
  eq subsetof(create,S1) = true.
*** eq subsetof(add(E1,create),add(E2,create)) = if E1 == E2 then true else false fi.
  eq subsetof(add(E1,S1),add(E2,S2)) = if memberof(E1,add(E2,S2)) then subsetof(S1,add(E2,S2)) else
false fi.
  eq prosubsetof(S1,S2) = if subsetof(S1,S2) and cardinality(S2) > cardinality(S1) then true else false fi.
  eq memberof(E, create) = false.
  eq memberof(E,add(E1,S1)) = if E == E1 then true else memberof(E,S1) fi.
  eq isequal(create, create) = true.
  eq isequal(add(E,S1),add(E,S2)) = if S1 == S2 then true else false fi .
 eq copy(S1,S2) = S1.
 eq isempty(create) = true.
 eq isempty(add(E,S1)) = false .
 eq union(create,S) = S.
 eq union(S,create) = S.
 eq union(add(E1,S1),S2) = if memberof(E1,S2) then union(S1,S2) else add(E1,union(S1,S2)) fi.
 eq intersection(create,S) = create.
 eq intersection(S,create) = create.
 eq intersection(add(E1,S1),S2) = if memberof(E1,S2) then add(E1,intersection(S1,S2)) else
intersection(S1,S2) fi.
endo
```

```
*** This is a bag obj3 (bag Data structure)
  *** Keywords: Booch, Data-Structure, Bag
 *** Function: To perform bag data structure operations.
 *** Component History: Components from CS4520 Project.
 *** Modify syntax to work with SCS prototpe.
 obj bag[X :: TRIV] is sort Bag.
   protecting NAT.
 *** CONSTUCTORS:
  op copy : Bag Bag -> Bag.
 *** Empty the bag:
  op clear : Bag -> Bag .
 *** Empty bag (constant)
  op empty : -> Bag.
 *** Represents a singlton bag:
  op singlton : Elt -> Bag .
 *** Adds an element to a bag:
  op add : Elt Bag -> Bag .
 *** removes an element from a bag:
  op remove : Elt Bag -> Bag .
*** The following 3 ops represent the bags union, intersection, and difference
*** respectivly:
 op union : Bag Bag -> Bag.
 op and : Bag Bag -> Bag
 op diff: Bag Bag -> Bag.
*** SELECTORS:
*** The following operation returns the total number of elements in a bag.
*** More than one occurences of an element is allowed in a bag.
 op lengthof: Bag -> Nat.
*** The uniqueExtentOf operation returns the number of elements of a bag
*** counting only one occurence of each element if threre are more than
*** one (The bag is treated like a set by this operation):
 op uniqueExtentOf: Bag -> Nat.
*** The number of operation gives the number of occurences of a given
```

```
*** element in the bag:
 op numberof : Elt Bag -> Nat .
*** The following operations are self explanatory:
            : Elt Bag -> Bool.
 op in
 op isequal
             : Bag Bag -> Bool.
 op subset
              : Bag Bag -> Bool.
 op propersubset : Bag Bag -> Bool .
              : Bag -> Bool .
 op isempty
***
*** Exception:
 op bagerror : -> Bag .
*** SUPPORTING OPERATIONS:
*** A bag supporting operation used by most other bag operations:
 op _+_ : Bag Bag -> Bag .
*** A bag supporting operation used to remove only the first occurence of
*** an element that belongs to the bag:
 op removeOne : Elt Bag -> Bag .
*** VARIABLES:
 var B B1 B2 : Bag.
 vars E E1: Elt.
 var X : Elt .
*** AXIOMS:
eq empty +B = B.
eq B + empty = B.
eq copy(B1,B2) = B1.
eq clear(B) = empty.
eq add(X,B) = singlton(X) + B.
```

```
eq in(X,empty) = false.
 eq in(X, singlton(E)) = (X == E).
 eq in(X,(singlton(E) + B)) = if X == E then true else in(X,B) fi.
 eq and(empty,B) = empty.
 eq and(singlton(E),B) = if in(E,B) then singlton(E) else empty f_i.
 eq and(singlton(E) + B,B1) = if in(E,B1) then
  singlton(E) + and(removeOne(E,B),removeOne(E,B1)) else and(B,B1) fi .
 eq union(empty,B) = B.
 eq union(singlton(E),B) = (singlton(E) + B).
 eq union((singlton(E) + B),B1) = singlton(E) + union(B,B1).
 eq diff(empty,B) = empty.
 eq diff(singlton(E),B) = if in(E,B) then empty else singlton(E) fi.
eq diff((singlton(E) + B),B1) = if number of(E,B) < number of(E,B1) then
  diff(B,B1) else singlton(E) + diff(B,B1) fi.
eq isempty(B) = (B == empty).
eq isequal(empty,B) = false.
eq isequal(B,empty) = false.
eq isequal(singlton(E), singlton(E1)) = if E == E1 then true else false fi.
eq isequal(singlton(E),B) = if in(E,B) and (lengthof(B) == 1) then true
  else false fi.
eq isequal((singlton(E) + B),B1) = if number of (E,((singlton(E) + B))) = 
  number of (E,B1) then
  isequal(remove(E,B),remove(E,B1)) else false fi.
eq subset(empty,B) = true.
eq subset(singlton(E),B) = in(E,B).
eq subset((singlton(E) + B),B1) = if
  numberof(E,(singlton(E) + B)) \le numberof(E,B1) then
  subset(B,B1) else false fi.
eq propersubset(B,B1) = subset(B,B1) and not isequal(B,B1).
eq lengthof(empty) = 0.
eq lengthof(singlton(E)) = 1.
eq lengthof((singlton(X) + B)) = 1 + lengthof(B).
eq remove(E,empty) = bagerror.
eq remove(E, singlton(E1)) = if E == E1 then empty else singlton(E1) fi.
eq remove(X, singlton(E1) + B) = if X == E1 then
 remove(X,B) else (singlton(E1) + remove(X,B)) fi.
eq uniqueExtentOf(empty) = 0.
eq uniqueExtentOf(singlton(E)) = 1.
eq uniqueExtentOf((singlton(X) + B)) = if in(X,B) then
  uniqueExtentOf(B) else 1 + uniqueExtentOf(B) fi.
eq number of (E, empty) = 0.
```

```
eq number of (E, singlton(E1)) = if E == E1 then 1 else 0 fi.
 eq number of (E, (singlton(E1) + B)) = if E == E1 then
   1 + number of (E,B) else number of (E,B) fi.
endo
********************
*** This is a Array obj3 (Array Data structure)
*** Keywords: Booch, Data-Structure, Array
*** Function: To perform Array data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj array[X :: TRIV] is sort Array.
  protecting NAT.
  protecting INT.
*** basic string operations
*** constructors
                         -> Nat .
  op succ_
               : Nat
  op pred
               : Nat
                         -> Nat .
                         -> Array .
  op unitArray : Elt
                : Array Array -> Array .
  op abuttedTo
  op emptyArray :
                          -> Array .
               : Array Array -> Array .
  op copy
  op clear
              : Array
                         -> Array .
  op delete
              : Nat Array -> Array .
*** assessors
                  : Array Array -> Bool .
  op isEqual
                  : Arrav
                             -> Bool .
  op isEmpty
                     : Nat Array -> Elt.
  op componentOf
                            -> Nat .
  op sizeOf
                 : Array
*** exceptions
  op eltUnderflow: -> Elt.
  op natUnderflow: -> Nat.
  op arrayError : -> Array .
*** Support Operations
  op headof
                  : Nat Array -> Array .
                : Nat Array -> Array .
  op tailof
*** variable declaration
 vars A A1 A2 : Array .
  vars C1 C2 : Elt.
            : Nat .
  vars I
```

*** axioms

```
eq succ I = I + 1.
  eq pred I = if (I > 1) then (I - 1) else natUnderflow fi.
  eq headof(0,A) = A.
  eq headof(I,abuttedTo(A1,A2)) =
   if sizeOf(A1) == I then A1 else arrayError fi.
  eq tailof(0,abuttedTo(unitArray(C1),A)) = A.
  eq tailof(I,abuttedTo(A1,A2)) =
   if sizeOf(A1) == I then A2 else arrayError fi.
  eq delete(0,abuttedTo(unitArray(C1),A)) = A.
  eq delete(I,A) = abuttedTo(headof(I,A),tailof(I,A)).
 eq abuttedTo(abuttedTo(A,A1),A2) = abuttedTo(A,abuttedTo(A1,A2)).
 eq componentOf(0,unitArray(C1)) = C1.
 eq componentOf(0,abuttedTo(unitArray(C1),A)) = C1.
 eq componentOf(I,abuttedTo(unitArray(C1),A)) =
   if I > 0 then componentOf(pred I,A) else eltUnderflow fi.
 eq sizeOf(unitArray(C1)) = succ 0.
 eq sizeOf(abuttedTo(unitArray(C1),A)) = succ (sizeOf(A)).
 eq copy(emptyArray,A) = emptyArray.
 eq copy(A1,A2) = if sizeOf(A1) == sizeOf(A2) then A1 else arrayError fi.
 eq clear(A) = emptyArray.
 eq isEqual(A1,A2) = if A1 == A2 then true else false fi.
 eq isEmpty(clear(A)) = true.
 eq isEmpty(emptyArray) = true.
endo
                            ****************
*** This is a ring obj3 (ring Data structure)
*** Keywords: Booch, Data-Structure, Ring
*** Function: To perform Ring data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj DIRECTION is
 sort Direction .
 ops Forward Backward: -> Direction.
endo
obj ring[X :: TRIV] is
 sorts Ring ERing.
 subsort Ring < ERing.
 *** Import predefined type
```

```
protecting NAT.
 protecting DIRECTION.
 *** Generator
 op empty: -> Ring.
 op {_,_} : Nat Ring -> ERing .
 op {_,_} : Nat Ring -> Ring .
*** op {_,rotateerror} : Nat Ring -> Ring .
 *** Other constructor/properties
 op copy: Ring Ring -> Ring.
 op copy: ERing ERing -> ERing.
 op clear: ERing -> ERing.
 op insert : Elt Ring -> Ring .
 op insert : Elt ERing -> ERing .
 op pop: Ring -> Ring.
 op pop: ERing -> ERing.
 op rotate: Direction Ring -> Ring.
 op rotate: Direction ERing -> ERing.
 op mark: ERing -> ERing.
 op rotatetomark: ERing -> ERing.
 op isequal: ERing ERing -> Bool.
 op extentof: Ring -> Nat.
 op extentof: ERing -> Nat.
 op isempty: ERing -> Bool.
 op topof: Ring -> Elt.
 op topof: ERing -> Elt.
 op atmark: ERing -> Bool.
 *** Exceptions
 op underflow: -> Ring.
 op underflow: -> Elt.
 op rotateerror: -> Ring.
 *** Variable declarations
 var R R2: Ring.
 var A A2: ERing.
 var E E2: Elt.
 var M M2: Nat.
 *** Equations
 eq \{0, underflow\} = underflow.
 eq \{M, rotateerror\} = rotateerror.
 eq copy(empty,R) = empty.
 eq copy(insert(E,R),R2) = insert(E,copy(R,R2)).
 eq copy(\{M,R\},\{M2,R2\}) = \{M,copy(R,R2)\}.
 eq clear(\{M,R\}) = \{0,empty\}.
```

```
eq insert(E, \{M,R\}) = if R == empty then \{0, insert(E,R)\} else
                \{M + 1, insert(E,R)\} fi.
  eq pop(empty) = underflow.
  eq pop(insert(E,R)) = R.
  eq pop(\{M,R\}) = if M == 0 then \{0,pop(R)\}\ else \{p(M),pop(R)\}\ fi.
  eq rotate(Forward, empty) = rotateerror.
  eq rotate(Backward, empty) = rotateerror.
  eq rotate(Forward,insert(E,R)) = if R == \text{empty then insert}(E,\text{empty})
    else insert(topof(R), rotate(Forward, insert(E, pop(R)))) fi.
  eq rotate(Backward,insert(E,R)) = if R = \text{empty then insert}(E,\text{empty})
    else insert(topof(rotate(Backward,R)),insert(E,pop(rotate(Backward,R))))
    fi.
  eq rotate(Forward, \{M,R\}) = if M == 0
    then {p(extentof(R)),rotate(Forward,R)} else
    {p(M),rotate(Forward,R)} fi.
  eq rotate(Backward, \{M,R\}) = if M == p(extentof(R)) then
    {0,rotate(Backward,R)} else
    {M + 1,rotate(Backward,R)} fi.
  eq mark(\{M,R\}) = \{0,R\}.
  eq rotatetomark(\{M,R\}) = if M == 0 then \{M,R\} else
                  rotatetomark(rotate(Forward, {M,R})) fi.
  eq isequal(A,A2) = if A == A2 then true else false fi.
  eq extentof(empty) = 0.
  eq extentof(insert(E,R)) = 1 + \text{extentof}(R).
  eq extentof(\{M,R\}) = extentof(R).
 eq isempty(\{M,R\}) = if R == empty then true else false fi.
 eq topof(empty) = underflow.
 eq topof(insert(E,R)) = E.
 eq topof(\{M,R\}) = topof(R).
 eq atmark(\{M,R\}) = if M == 0 then true else false fi.
endo
*** This is a Stack obj3 (Stack Data structure, version 1)
*** Keywords: Booch, Data-Structure, Stack
*** Function: To perform Stack data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj stack 1 [X :: TRIV] is sort Stack.
```

```
protecting NAT.
*** CONSTUCTORS:
 op create: -> Stack.
 op copy : Stack Stack -> Stack .
 op clear : Stack -> Stack .
 op push : Elt Stack -> Stack .
 op pop : Stack -> Stack .
 op empty : -> Stack .
*** SELECTORS:
 op top : Stack -> Elt.
 op depthof: Stack -> Nat.
 op isempty: Stack -> Bool.
 op isequal: Stack Stack -> Bool
*** EXCEPTIONS:
 op StackError: -> Stack.
 op StackError: -> Elt.
*** VARIABLES:
 var S S1 S2 : Stack .
 var X : Elt .
*** AXIOMS:
 eq clear(S) = empty.
 eq copy(empty,S) = clear(S).
 eq copy(push(X,S1),S2) = push(X,copy(S1,S2)).
 eq top(empty) = StackError.
 eq top(clear(S)) = StackError.
 eq top(push(X,S)) = X.
 eq pop(empty) = StackError.
 eq pop(clear(S)) = StackError.
 eq pop(push(X,S)) = S.
 eq pop(create) = StackError.
 eq depthof(empty) = 0.
 eq depthof(create) = 0.
```

```
eq depthof(push(X,S)) = 1 + depthof(S).
 eq isempty(S) = if (S == create) or (S == empty) then true else false fi.
 eq isequal(S1,S2) = if S1 == S2 then true else false fi.
endo
*** This is a Stack obj3 (Stack Data structure, version 2)
*** Keywords: Booch, Data-Structure, Stack
*** Function: To perform Stack data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj stack2[X :: TRIV] is sort Stack.
 protecting NAT.
*** basic stack operations
*** constructors
 op create :
                    -> Stack.
 op clear : Stack -> Stack.
 op push
            : Elt Stack -> Stack .
            : Stack -> Stack.
  op pop
*** assessors
 op top
           : Stack -> Elt.
 op isempty: Stack -> Bool.
 op stacksize : Stack -> Nat .
*** exception
 op emptyerror : -> Stack .
*** variables declaration
 var S: Stack.
 var X: Elt.
*** axioms
 eq clear(S) = create.
 eq top(push(X,S)) = X.
 eq isempty(S) = if S == create then true else false fi.
 eq stacksize(S) = if S == create then 0 else 1 + stacksize(pop(S)) fi.
 eq pop(create) = emptyerror.
 eq pop(push(X,S)) = S.
endo
                                               ********
*** This is a Queue obj3 (Queue Data structure)
*** Keywords: Booch, Data-Structure, Queue
*** Function: To perform Queue data structure operations.
*** Component History: Components from CS4520 Project.
*** Modify syntax to work with SCS prototpe.
obj queue[X:: TRIV] is sort Queue.
protecting NAT.
op empty: -> Queue.
```

```
op copy.Q2: Queue Queue -> Queue.
op clear.Q: Queue -> Queue.
op add.Q: Elt Queue -> Queue.
op pop.Q: Queue -> Queue.
op isequal: Queue Queue -> Bool.
op lengthof: Queue -> Nat.
op isempty: Queue -> Bool.
op frontof: Queue -> Elt.
op underflow: -> Queue.
op underflow: -> Elt.
var Q Q1 Q2: Queue.
var E: Elt.
eq copy.Q2(Q1,Q2) = Q1.
eq clear.Q(Q) = empty.
eq pop.Q(empty) = underflow.
eq pop. Q(add.Q(E,Q)) = if Q == empty then Q else add.Q(E,pop.Q(Q)) fi.
eq isequal(Q1,Q2) = if Q1 == Q2 then true else false fi.
eq lengthof(empty) = 0.
eq lengthof(add.Q(E,Q)) = 1 + lengthof(Q).
eq isempty(Q) = if Q == empty then true else false fi.
eq frontof(empty) = underflow.
eq frontof(add.Q(E,Q)) = if Q == empty then E else frontof(Q) fi.
```

APPENDIX C - ADA SOURCE CODE

```
-- Module Name: gldef.a
-- Description: This is the global definition for variables of the
-- software component search prototype
-- Author: Nguyen Doan
-- History: Nov, 6 1995
        Verified as a first prototyped
Package Global def is
 Nill: constant := 999;
 Max_maps: constant := 85;
 Sort_id_range: constant := 30;
 Void: Constant := 1;
 Unvoid: Constant := 2;
F: constant := 0;
T : constant := 1;
Basic: constant := 1;
Confined: constant := 2;
Unconfined: constant := 3;
Rat_type : Constant := 1;
Int_type : Constant := 2;
Nat type: Constant := 3;
Bool type: Constant := 4;
Char_type : Constant := 5;
Elt_type : Constant := 12;
Unrelated: Constant := 1;
Related: Constant := 2;
Bquery_sort : Constant := 10;
Equery_sort : Constant := 20;
Type Test_case_str is new string(1..200);
Type Children_ids_type is array (1..3) of Natural;
Type Parent_ids_type is array (1..3) of Natural;
Type Ovl_type is array (1..25) of Natural;
Type Svl_type is array (1..25) of Natural;
Type Lopc_type is array (1..25) of Boolean;
Type Lds_type is array (1..25) of Boolean;
Type Symbol_name is new string(1..20);
Type Sort_type is array (1..7) of Natural;
Type Matrix is array(Positive range ◆,Positive range ◆) of Natural;
Type Sort_Rank is
```

```
Record
 MaxoverallRank: Float,
 ModuleName: Symbol name;
 SelSemanticRank: Float;
 SelSignatureRank: Float;
 SelKeywordRank: Float;
 SelProfileRank: Float;
 Mapnum: Natural;
End Record;
Type Asort Array is array(1..12) of Sort rank;
Type Testcase Status type is
Record
 Complete: Boolean;
 Mul value: Float;
 Top function: Natural;
 Translate: Boolean;
End Record;
Type Testcases_status_types is array(1..5) of Testcase_status_type;
Type Testequation_type is
Record
 evalue: Test_case_str;
End Record;
Type Testequations_types is array(1..5) of Testequation_type;
Type A_sort_table_type is
 Record
   Sort_id: Natural;
   Sort symbol: Symbol name;
   Main_sort: Natural;
   Sort_type: Natural;
   Sort_rank: Natural;
   Csortid: Natural;
   Children ids: Children ids type;
   Parent ids: Parent ids type;
   Ground_term: Symbol_name;
 End Record;
Type Sort_table_types is array(1..Sort_Id_Range) of A_sort_table_type;
Type Sort table def is
 Record
   Num of Sort: Natural;
    Sort_table: Sort_table_types;
 End Record;
Type Tstables is array(1..20) of Sort_table_def;
```

Type Q2csort is

```
Record
    Osort: Natural;
   Csort: Natural;
  End Record;
Type Q2csorts is array (1..10) of Q2csort;
Type Sal_type is
  Record
   Sort_acount : Natural;
   Sort_asgn : Q2csorts;
  End Record;
Type Sal_types is array (1..10) of Sal_type;
Type Q2cop is
  Record
   Qop: Symbol_name;
   Cop: Symbol_name;
  End Record;
Type Q2cops is array (1..10) of Q2cop;
Type Oal_type is
  Record
   Op_acount : Natural;
   Op_asgn: Q2cops;
  End Record;
Type Stack1 is
  Record
   Sal: Sal type;
   Ovl : Ovl_type;
   Oal: Oal type;
   Lopc: Lopc_type;
   fi: Natural;
   Stable: Sort_table_def;
  End Record;
Type Stack1_type is array (1..10) of Stack1;
Type Stack2 is
 Record
   Sal: Sal_type;
   Stable : Sort_table_def;
   Svl : Svl_type;
  Lds: Lds type;
  di : Natural;
 End Record;
Type Stack2_type is array (1..5) of Stack2;
Type Asig is
 Record
  Sal: Sal_type;
  Oal: Oal_type;
```

```
SignatureRank: Float;
  SemanticRank: Float;
  Testcase: Testcases status types;
  Testequations: Testequations types;
 End Record;
Type Signature_map is array(1..Max_maps) of Asig;
Type Op is
  Record
    Rs: Natural;
    Dms: Sort type;
    Symbol: Symbol_name;
    Profile: Natural;
  End Record;
Type COp_type is array(1..25) of Op;
Type QOp type is array(1..10) of Op;
Type Symbol type is
   Record
      Name: Symbol_name;
      Symboltype: Natural;
      Length: Natural;
   End Record;
Type KeywordList_def is array(1..5) of Natural;
Type ProfileList_def is array(1..11) of Natural;
Type SWC is
   Record
      Ops: COp_type;
      Num ops: Natural;
      Obj filename: Symbol_name;
      KeywordList: KeywordList_def;
      ProfileList: Profilelist def;
   End Record;
Type Ground_equation is
   Record
      Eqtext: Test_case_str;
      ProfileList: Profilelist def;
      Status: Natural;
   End Record;
Type QGround_equations is array (1..5) of Ground_equation;
Type QC is
   Record
      Ops: QOp_type;
      Num ops: Natural;
      Num_tcases: Natural;
      Geq: QGround equations;
      ProfileList : Profilelist_def;
      KeywordList_def;
```

```
End Record;
  -- For Look up table
  Sort_assignment_table: Constant Matrix:=
  ((F,T),(T,Nill),(F,T),(F,T),(F,Nill),(F,T),(T,Nill),(F,Nill),(T,Nill));
  Type CandidateTable Def is
      Record
        ComponentId: Natural;
        ProfileKeywordRank: Float;
     End Record;
 Type CandidatesTable is Array (1..14) of CandidateTable_Def;
 Type Profile_err_list is Array (1..5) of Natural;
End Global_def;
-- Module Name: scs.a
-- Description: This is the main driver for the software
-- component search prototype
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Op_Util Mods; Use Op Util Mods;
With Global_def; Use Global_def;
With Query_processing_pkg; Use Query_processing_pkg;
With Swb_pkg; Use Swb_pkg;
With Swb_def_pkg; Use Swb_def_pkg;
With Signature_match_pkg; Use Signature_match_pkg;
With Semantic_match_pkg; Use Semantic match pkg;
With Init_pkg; Use Init_pkg;
With Formulate_Result_Output_pkg; Use Formulate Result Output pkg;
With Float_io; Use Float_io;
With Integer io; Use Integer io;
With Text_io; Use Text_io;
With Integer io; Use Integer io;
Procedure Main is
 Candidates : Candidates Table;
 Profile_err : Profile_err_list := (Others => Nill);
 Q: Qc; C: SWC;
 V: Signature map;
 i : Natural := 1;
 c1: natural := 0;
 sn: natural;
 Num vmaps: Natural;
 Stable: Sort table def;
Ul,Ll: Float;
KeywordRank, ProfileRank: Float;
 SortArray: Asort_Array;
```

```
Begin
   -- Get Query input from user
  put("Enter L1,U1: ");
   get(Ll); get(Ul);
   Put("Enter Sn: ");
   get(sn);
   Get Query(Q,Stable);
   -- Retrieve components from Library using profile from test cases
  FindCandidateComponents(Q,Candidates,Profile_err);
  While True
  Loop
    If Candidates(i).ComponentId /= Nill then
     Get Query(Q,Stable);
     Initialize variables(V, Num vmaps, Stable);
    In it Component Data (Candidates (i). Component Id, C, Stable, Q, Keyword Rank,\\
    ProfileRank);
     -- Signature Match
    put("Working on :");put(String(C.Obj_filename));New_line;
    Signature Match(Q,C,V,Stable,Num vmaps,c1,sn,L1,U1,KeywordRank,
    ProfileRank);
    put("Count number of unfilter map"); put(c1);new_line;
    -- Semantic Match
    Semantic_Match(Q,C,V,Stable,Num_vmaps);
    -- Formulate Result and output to user
    Calculate_total_rank(V,Q,C,i,Num_vmaps,SortArray,
    KeywordRank, ProfileRank);
    i := i + 1;
   Else
    exit;
   End If;
  End Loop;
  Sort Display Result(SortArray,i-1);
  Display invalid operations(Q,Profile err);
End Main; -- End of main
-- Module Name: sigmat.a
-- Description: This is the signature matching procedure for the
-- software component search prototype (Algorithms 10)
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Op Util Mods; Use Op Util Mods;
With Global def; Use Global def;
With Sort assignment pkg; Use Sort assignment pkg;
With text io; Use text io;
With integer_io; Use integer_io;
```

```
Package Signature match pkg is
Procedure Signature match (Q: in QC; C: In SWC, V: In Out Signature Map;
      Stable: In Out Sort_table_def; Num_vmaps: In Out Natural;
      C1,Sn: In Out Natural;Ll,Ul,KwRank,PrfRank: Float);
End Signature match pkg;
Package body Signature match pkg is
Procedure Signature_match (Q: in QC; C: In SWC; V: In Out Signature_Map;
      Stable: In Out Sort table def; Num vmaps: In Out Natural;
      C1,Sn: In Out Natural;L1,U1,KwRank,PrfRank: Float) is
  Tsal: Sal types:
  Tstable: Tstables;
  Sal: Sal type;
  Oal: Oal_type;
  Ovl : Ovl_type;
  Lope : Lope type;
  Stack: Stack1 type;
  stk idx: Natural := 0;
 fi, pfj, fj, fip: Natural;
  Num_maps: Natural;
Begin
 Initialize state variables(Sal,Oal,Ovl,Lopc,fi);
 While True -- Loop until all maps are covered
  Loop
    fj := Find_comp_op_idx(C.Num_ops,fi,Lopc,Ovl);
    If fi = Nill and fi /= Nill then
     If fi = Q.Num_ops then -- Both fj and fi finished
       If stk_idx = 0 then -- If stack is empty, it's done
        -- Show_V(V,Num_vmaps,Stable); -- Display result;
        Exit:
       Else
         Verify Update Rank(Sal,Oal,Stable,V,Num vmaps,Q,C1,Sn,L1,U1,
        KwRank, PrfRank):
        Pop(Stack,Stk_idx,Sal,Stable,Oal,Ovl,Lopc,fi);
        If Num_vmaps = Max_maps then
          Return;
        End If;
      End if:
     Else -- fi is not finish yet
      Reset_all_previous_visit(C.Num_ops,fi,Lopc,Ovl);
      fi := fi + 1; -- Get next fi
    End If:
   Else -- fi not finish
     Lopc(fj) := True; Ovl(fj) := fi;
     Num maps := 0;
     If C.Ops(fj).Profile = Q.Ops(fi).profile then
      Reset_previous_visit(C.Num_ops,fi,fj,Lopc,Ovl);
      Sort_assignment(Q.Ops(fi).Dms,C.Ops(fj).Dms,Q.Ops(fi).Rs,
      C.Ops(fj).Rs,Sal,Stable,Tsal,Tstable,Num maps);
```

```
If Num maps > 0 then -- There's possible sort maps
        Push(Sal,Stable,Oal,Ovl,Lopc,fi,Stk_idx,Stack);
        Update Oal(Q.Ops(fi).Symbol,C.Ops(fj).symbol,Oal);
        Push Individual Sals(Num maps, Tsal, Tstable, Sal, Stable, Oal,
        Ovl,Lopc,fi, Stk_idx,Stack);
        Pop(Stack, Stk idx, Sal, Stable, Oal, Ovl, Lopc, fi);
        If fi < Q.Num ops then
         fi := fi + 1;
        Else -- Keep fi constant
         Verify\_Update\_Rank(Sal,Oal,Stable,V,Num\_vmaps,Q,C1,Sn,L1,U1,
         KwRank, PrfRank);
         Pop(Stack, Stk_idx, Sal, Stable, Oal, Ovl, Lopc, fi);
         If Num_vmaps = Max_maps then
           Return;
         End If;
        End If;
       End If;
      End If;
    End if:
   End Loop;
End Signature Match;
End Signature_Match_pkg; -- End of signature match
-- Module Name: nsa.a
-- Description: This module peforms the sort assignment for the
-- Signature Matching Algorithm.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global_def;
With So Util Mods; Use So Util Mods;
With Sort assignable_pkg; Use Sort_assignable_pkg;
With Text io; Use Text io;
With Integer_io; Use Integer_io;
Package Sort assignment_pkg is
Procedure Sort_assignment(Qsd,Csd: Sort_type;Qsr,Csr: Natural;
      Sal: Sal_type; Sort_table: Sort_table_def; Tsal: out Sal_types;
      Tstable: out Tstables; Num_maps: in out Integer);
End Sort assignment pkg;
Package body Sort_assignment_pkg is
Procedure\ Sort\_assignment(Qsd,Csd:\ Sort\_type;Qsr,Csr:\ Natural;
      Sal: Sal type; Sort_table: Sort_table_def; Tsal: out Sal_types;
      Tstable: out Tstables; Num_maps: in out Integer) is
  Svl: Svl_type;
```

```
Lds: Lds_type;
di : Natural;
dj,pdj: Natural;
Salp: Sal type := Sal;
Stable: Sort_table_def:= Sort_table;
Stk idx: Natural := 0;
Stack: Stack2 type;
Sort_exist : Boolean;
Begin
Initialize_state_variables(Svl,Lds,di);
-- First, check range sort
If Assignable(Qsr,Csr,Stable) = T then
  Sort_exist := False;
  For i in 1.. Sal. Sort acount
  Loop
   If Qsr = Sal.Sort\_asgn(i).Qsort then
     Sort_exist := True; -- Sort assignment existed
   End If;
  End Loop;
  If Sort_exist = False then
   Update_Sort(Qsr,Csr,Salp,Stable);
  End If;
  If Num_sort(Csd) = 0 then -- operator is constant
   If Sort exist = False then
    Num_maps := Num_maps + 1;
    Tstable(Num maps) := Stable;
    Tsal(Num_maps) := Salp;
    Return;
   End If;
 End If;
Else
  Return;
End If;
-- Second, check domain sorts
While True
 Loop
  dj := Find_comp_so_idx(Num_sort(Csd),di,Svl,Lds);
  pdj := Find_previous_comp_so_idx(Num_sort(Csd),di,Svl);
  If dj = Nill or di = Nill then
    If stk idx = 0 then -- If stack is empty
     Exit; -- Done
    Else
     Pop(Stack,Stk_idx,Salp,Svl,Lds,Stable,di);
    End if;
  Else
    If pdj /= Nill then
      Lds(pdj) := False;
    End if;
    Lds(dj) := True; Svl(dj) := di;
    If Assignable(Qsd(di),Csd(dj),Stable) = T then
```

```
Sort exist := False;
        For i in 1.. Sal. Sort_acount
         If Qsd(di) = Sal.Sort asgn(i).Qsort then
           Sort exist := True; -- Sort assignment existed
           Exit;
         End If:
        End Loop;
        If Sort exist = False then
         Push(Salp, Svl, Lds, di, Stable, Stk idx, Stack);
         Update Sort(Qsd(di),Csd(dj),Salp,Stable);
        End If:
        di := di + 1;
        If di > Num_sort(Qsd) then
         Num maps := Num maps + 1;
         Tstable(Num maps) := Stable;
         Tsal(Num_maps) := Salp;
        End if;
      End if;
    End if;
   End Loop;
End Sort assignment;
End Sort_assignment_pkg;
-- Module Name: asable.a
-- Description: This module determines whether two given sorts can be
-- assigned or not.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global_def;
With Text io; Use Text io;
With Integer_io; Use Integer_io;
Package Sort_Assignable_pkg is
Function Determine_sort_types(Sorti,Sortj: Natural;Sorttable:
           Sort table def) Return Natural;
Function Determine_sort_relation(Sorti,Sortj: Natural; Sorttable:
          Sort table def) Return Natural;
Function Assignable(Sorti, Sortj: Natural; Stable:
           Sort_table_def) Return Natural;
End Sort assignable pkg;
Package body Sort assignable pkg is
Function Determine sort relation(Sorti, Sortj: Natural, Sorttable:
          Sort table def) Return Natural is
```

Begin

```
-- Column 1, rows 7,8,9 or Column 1, rows 2,5
  If Sorttable.Sort_table(Sorti).Sort_type = Unconfined or
  Sorttable.Sort_table(Sortj).Sort_type = Unconfined then
     Return Unrelated;
  -- Columns 1,2 rows 4,6
  Elsif Sorttable.Sort_table(Sorti).Sort_type = Confined then
    If Sorttable.Sort_table(Sorttable.Sort_table(Sorti).Csortid).Main_sort =
    Sorttable.Sort_table(Sortj).Main sort then
      Return Related;
    Else
      Return Unrelated:
    End If;
   -- Column 1,2 row 3
   Elsif Sorttable.Sort table(Sorti).Sort type = Basic and
   Sorttable.Sort_table(Sortj).Sort_type = Basic then
     If Sorttable.Sort_table(Sorti).Main_sort =
     Sorttable.Sort_table(Sortj).Main_sort then
      Return Related;
     Else
      Return Unrelated;
     End If;
  -- Column 1,2 row 1
   Else
     If Sorttable.Sort_table(Sorttable.Sort_table(Sortj).Csortid).Main_sort =
     Sorttable.Sort_table(Sorti).Main_sort then
        Return Related;
     Else
        Return Unrelated;
    End If;
   End If;
End Determine_sort_relation;
Function Determine Sort types(Sorti, Sorti: Natural; Sorttable:
           Sort table def) Return Natural is
Sort_type_i,Sort_type_j : Natural;
Begin
  Sort type i := Sorttable.Sort table(Sorti).Sort type;
  Sort type j := Sorttable.Sort table(Sortj).Sort type;
  -- Look for row number
  If Sort_type i = Basic and Sort type j = Confined then
    Return 1:
  Elsif Sort_type_i = Basic and Sort_type_j = Unconfined then
     Return 2;
  Elsif Sort type i = Basic and Sort type i = Basic then
    Return 3;
  Elsif Sort type i = Confined and Sort type j = Basic then
  Elsif Sort type i = Confined and Sort type j = Unconfined then
    Return 5;
```

```
Elsif Sort_type_i = Confined and Sort_type_j = Confined then
    Return 6;
  Elsif Sort type i = Unconfined and Sort type_j = Basic then
    Return 7;
  Elsif Sort type i = Unconfined and Sort_type_j = Confined then
    Return 8;
  Else
    Return 9;
  End If:
End Determine sort types;
Function Assignable(Sorti, Sortj: Natural; Stable:
       Sort table def) Return Natural is
 Row, Column: Natural;
 Begin
  If Sorti = Nill or Sorti = Nill then
   Return F;
  Else
    Row := Determine Sort types(Sorti,Sortj,Stable);
    Column := Determine Sort Relation(Sorti, Sorti, Stable);
    Return(Sort assignment table(Row,Column));
  End If:
 End Assignable;
End Sort assignable_pkg;
-- Module Name: Utilop.a
-- Description: This module does the utilities functions for the main
-- Signature Matching algorithm which is Sigmat.a.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global_def;
With Text io; Use Text_io;
With Integer io; Use Integer io;
With Float_io; Use Float_io;
With Semops match pkg; Use Semops_match_pkg;
Package Op Util Mods is
 Procedure Push(Salp: In Sal_type; Stable: Sort_table_def; Oalp: In Oal_type;
       Ovlp: In Ovl type; Lopep: Lope type; fip: In Natural; Stk_idx:
       In Out Natural; Stack: Out Stack1_type);
 Function Submapof(Oal: Oal type; V: Signature_map; i: Natural)
       Return Boolean;
 Function Find_comp_op_idx(Num_ops,fi: Natural; Lope: Lope type;
       Ovl: Ovl type) return Natural;
 Procedure Reset all previous_visit(Num_ops,fi: Natural;
       Lope: out Lope_type; Ovl: in Ovl_type);
 Procedure Reset_previous_visit(Num_ops,fi,fj: Natural;
       Lope: out Lope type; Ovl: in out Ovl type);
 Procedure Pop(Stack: In Stack1_type;Stk_idx: In Out Natural;
```

```
Salp: Out Sal_type; Stable: out Sort_table_def; Oalp:
        Out Oal type; Ovlp: Out Ovl type; Lopep: Out Lope type;
        fip: Out Natural);
  Procedure Update_Oal(Qsymbol,Csymbol: In Symbol name;
        Oal: In Out Oal_type);
  Procedure Verify_Update_Rank(Sal: Sal_type;Oal: Oal_type;Stable:
        Sort table def; V: In Out Signature map; Num vmaps;
        In Out Natural; Q: Qc; c1, sn: In Out Natural; L1, U1, KwRank,
       PrfRank: Float);
 Procedure Initialize_state_variables(Sal: Out Sal type; Oal: Out Oal type;
       Ovl: out Ovl type;
       Lope: Out Lope type; fi: Out Natural);
 Function CheckTopValue(Oal: Oal_type; Q: Qc) Return Boolean;
 Procedure Push Individual Sals(Num maps: In Natural; Tsal: In Sal types;
       Tstable: in Tstables, Sal: In Out Sal type; Stable: In out
       Sort table def; Oal: In Oal_type; Ovl: In Ovl_type;
       Lope: Lope type; fi: In Natural; Stk idx: In Out Natural;
       Stack: Out Stack1 type);
 Procedure Show_V(V: Signature map; Num vmaps: Natural; Stable:
       Sort table def);
End Op_Util_Mods;
Package body Op Util Mods is
 Procedure Show_V(V: Signature_map; Num_vmaps: Natural; Stable:
       Sort_table_def) is
 Begin
  For i in 1..Num_vmaps
   Put("+++++++++"); New line;
   Put("Map #"); Put(i); New line;
   Put("+++++++++"); New line;
   Put("Sort Assignment:"); New line;
   For j in 1.. V(i). Sal. Sort acount
   Loop
    Put(String(Stable.Sort_table(V(i).Sal.Sort_asgn(j).Qsort).Sort_symbol));
    Put("->");
    Put(String(Stable.Sort_table(V(i).Sal.Sort_asgn(j).Csort).Sort_symbol));
    New Line;
   End Loop;
   Put("Operator Assignment:"); New line;
   For j in 1..V(i).Oal.Op_acount
   Loop
    Put(String(V(i).Oal.Op\_asgn(j).Qop));\\
    Put("->");
    Put(String(V(i).Oal.Op\_asgn(j).Cop));\\
    New Line;
   End Loop;
   Put("SignatureRank:");
```

```
Put(Float(V(i).SignatureRank),4,1);New_line;
 End Loop;
End Show V;
Procedure Push_Individual_Sals(Num_maps: In Natural; Tsal: In Sal_types;
      Tstable: in Tstables; Sal: In Out Sal type; Stable: In out
      Sort table def; Oal: In Oal type; Ovl: In Ovl type;
      Lope: Lope_type; fi: In Natural; Stk_idx: In Out Natural;
      Stack: Out Stack1_type) is
 Begin
  For n in 1.. Num_maps
  Loop
   Stable := Tstable(n);
   Sal.Sort asgn := Tsal(n).Sort asgn;
   Sal.Sort acount := Tsal(n).Sort acount;
   Push(Sal, Stable, Oal, Ovl, Lopc, fi, Stk_idx, Stack);
  End Loop;
 End Push Individual Sals;
Procedure Verify_Update_Rank(Sal: Sal_type;Oal: Oal_type;Stable:
      Sort table_def; V: In Out Signature_map; Num_vmaps:
      In Out Natural;Q: Qc;c1,Sn: In Out Natural;L1,U1,KwRank,
      PrfRank: Float) is
CofSuccess: Float;
i : Natural := 1;
Flag: Boolean:= True;
Ref sort, Child ref_sort, Count : Natural;
Begin
-- First verify subsort relation;
 For i in Bquery sort.. Equery_sort
  Loop
   If Stable.Sort_table(i).Sort id /= Nill and
   Stable.Sort table(i).Csortid /= Nill then
    Ref sort := Stable.Sort_table(i).Csortid;
    While Stable.Sort table(i).Children_ids(j) /= Nill
      If Stable.Sort_table(Stable.Sort_table(i).Children_ids(j)).Csortid
      /= Nill then
        Child ref sort :=
        Stable.Sort_table(Stable.Sort_table(i).Children_ids(j)).Csortid;
         If Stable.Sort table(Ref sort).Sort rank <
         Stable.Sort_table(Child_ref_sort).Sort_rank or
         Stable.Sort table(Ref_sort).Main_sort /=
         Stable.Sort_table(Child_ref_sort).Main_sort then
          Flag := False; -- Sorts are not presevered in ordered.
          Exit;
         End If;
         i := i + 1;
      End If;
      End Loop;
   End If;
```

```
End Loop;
   If Flag = True then -- Sort are presevered in ordered.
    -- Now check for uniqueness
    Count := 0;
    For i in 1..Num_vmaps
    Loop
     If not Submapof(Oal, V,i) then
      Count := Count + 1;
     End If;
    End Loop;
    If Count = Num vmaps then
     CofSuccess :=
     KwRank * PrfRank * Float(Oal.Op_acount) / Float(Q.Num ops);
     If CheckTopValue(Oal,Q)
     and then CofSuccess > L1 and then
     CofSuccess <= Ul then
      c1 := c1 + 1;
      If c1 > sn * Max maps then
       If c1 \mod Max \mod maps = 0 then
        put("Warning Max maps reach");new line;
        Num_vmaps := Max_maps;
       Else
        Num_vmaps := c1 mod Max maps;
        V(Num_vmaps).Oal.Op_asgn := Oal.Op_asgn;
        V(Num_vmaps).Oal.Op_acount := Oal.Op_acount;
        V(Num_vmaps).Sal.Sort_asgn := Sal.Sort_asgn;
        V(Num_vmaps).Sal.Sort_acount := Sal.Sort_acount;
        V(Num vmaps).SignatureRank :=
        Float(Oal.Op acount) / Float(Q.Num ops);
       End If;
     End If;
    End If:
    End If;
  End If;
End Verify_update_Rank;
Function CheckTopValue(Oal: Oal type; Q: Qc) Return Boolean is
Tempsymbol: Test_case_str;
Begin
For i in 1..Oal.Op_acount
Loop
 For j in 1..Q.Num tcases
 Loop
  Tempsymbol := (others => '');
  For m in 1.. Test case str'Length
  Loop
   If Oal.Op Asgn(i).Qop(m) = '' then
     Tempsymbol(m) := '(';
     Exit,
   End If:
   Tempsymbol(m) := Oal.Op_Asgn(i).Qop(m);
```

```
End Loop;
  If Top value(Q.Geq(j).Eqtext,Tempsymbol) then
   Return True;
  End If;
 End Loop;
End Loop;
Return False;
End CheckTopValue;
Function Submapof(Oal: Oal_type; V: Signature_map; i: Natural)
     Return Boolean is
Flag: Boolean;
Count : Natural := 0;
Begin
For m in 1..Oal.Op_acount
Loop
 Flag := False;
 For k in 1.. V(i).Oal.Op acount
 Loop
  If V(i).Oal.Op_asgn(k).Qop = Oal.Op_asgn(m).Qop and
  V(i).Oal.Op_asgn(k).Cop = Oal.Op_asgn(m).Cop then
    Flag := True;
    Count := Count + 1;
    Exit,
  End If;
 End Loop;
End Loop;
If Count = Oal.Op acount then
 Return True;
Else
 Return False;
End If;
End Submapof;
 Procedure Initialize_state_variables(Sal: Out Sal_type; Oal: Out Oal_type;
       Ovl: out Ovl type;
       Lopc: Out Lopc_type; fi: Out Natural) is
 Begin
   Sal.Sort Acount := 0; -- Note: there's no need for initialize Qsort, Csort.
   Oal.Op Acount := 0; -- Same here.
   For j in 1..Ovl'Length
  Loop
    Ovl(j) := Nill;
    Lopc(j) := False;
   End loop;
   fi := 1;
 End Initialize_state_variables;
 Function Find_comp_op_idx(Num_ops,fi: Natural; Lopc: Lopc_type;
       Ovl: Ovl type) return Natural is
 Begin
```

```
For i in 1..Num_ops
  Loop
    If Ovl(i) = fi and Lopc(i) = True then
      Return i;
    End If;
  End Loop;
  return Nill;
End Find_comp_op_idx;
Procedure Reset_all_previous_visit(Num_ops,fi: Natural;
      Lope: out Lope_type; Ovl: in Ovl type) is
Begin
  For i in 1..Num_ops
  Loop
    If Ovl(i) = fi then
     Lopc(i) := False;
    End If;
  End Loop;
End Reset all previous visit;
Procedure Reset_previous_visit(Num_ops,fi,fj: Natural;
      Lope: out Lope_type; Ovl: in out Ovl_type) is
Begin
  For i in 1..Num_ops
 Loop
    If Ovl(i) = fi and i \neq fj then
     Lopc(i) := False;
    End If;
  End Loop;
End Reset_previous_visit;
Procedure Push(Salp: In Sal_type; Stable: Sort_table_def; Oalp: In Oal_type;
      Ovlp: In Ovl_type; Lopcp: Lopc_type;fip: In Natural; Stk_idx:
      In Out Natural; Stack: Out Stack1_type) is
Begin
  Stk idx := Stk idx + 1;
  Stack(Stk_idx).Sal.Sort asgn := Salp.Sort asgn;
  Stack(Stk idx).Sal.Sort acount := Salp.Sort acount;
  Stack(Stk_idx).Oal.Op_asgn := Oalp.Op_asgn;
  Stack(Stk_idx).Oal.Op_acount := Oalp.Op acount;
  Stack(Stk_idx).Stable := Stable;
  Stack(Stk idx).Lopc := Lopep;
  Stack(Stk idx).Ovl := Ovlp;
  Stack(Stk idx).fi := fip;
End Push;
Procedure Pop(Stack: In Stack1 type; Stk idx: In Out Natural;
      Salp: Out Sal_type; Stable: out Sort_table_def; Oalp:
      Out Oal_type; Ovlp: Out Ovl type; Lopep: Out Lope type;
     fip: Out Natural) is
Begin
```

```
Salp.Sort_asgn := Stack(Stk_idx).Sal.Sort_asgn;
   Salp.Sort_acount := Stack(Stk_idx).Sal.Sort_acount;
   Oalp.Op_asgn := Stack(Stk_idx).Oal.Op_asgn;
   Oalp.Op acount := Stack(Stk_idx).Oal.Op_acount;
   Ovlp := Stack(Stk_idx).Ovl;
   Stable := Stack(Stk_idx).Stable;
   Lopep := Stack(Stk idx).Lope;
   fip := Stack(Stk_idx).fi;
   Stk idx := Stk idx - 1;
 End Pop;
 Procedure Update_Oal(Qsymbol,Csymbol:In Symbol_name; Oal: In Out Oal_type) is
   Oal.Op acount := Oal.Op_acount + 1;
   Oal.Op asgn(Oal.Op acount).Qop := Qsymbol;
   Oal.Op\_asgn(Oal.Op\_acount).Cop := Csymbol;
 End Update Oal;
End Op Util_Mods;
-- Module Name: Utilso.a
-- Description: This module does the sort utilities functions for the
-- main Signature Matching algorithm which is Sigmat.a.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global_def;
With Text io; Use Text_io;
With Integer io; Use Integer_io;
Package So_Util_Mods is
 Procedure Push(Salp: Sal_type; Svl: Svl_type; Lds: Lds_type; di: Natural;
        Stable: Sort_table_def;Stk_idx: In Out Natural; Stack:
        Out Stack2 type);
  Function Find_comp_so_idx(Num_sos,di: Natural;Svl: Svl_type; Lds: Lds_type)
       return Natural;
  Function Find_previous_comp_so_idx(Num_sos,di: Natural; Svl: Svl_type)
       return Natural;
  Procedure Pop(Stack: In Stack2_type;Stk_idx: In Out Natural;
        Salp: Out Sal_type; Svl: Out Svl_type; Lds: Out Lds_type;
        Stable: Out Sort_table_def;di: Out Natural);
  Procedure Update_Sort(Sorti,Sortj: Natural; Sal: In Out Sal_type;
        Sorttable: In Out Sort_table_def);
  Procedure Initialize_state_variables(Svl: Out Svl_type;
        Lds: Out Lds type;di: Out Natural);
  Function Num_sort(Sort_arr: Sort_type) return Natural;
End So_Util_Mods;
Package body So_Util_Mods is
```

```
Function Num_sort(Sort_arr: Sort_type) return Natural is
 Begin
  For i in 1..Sort_type'Length
  Loop
   If Sort_arr(i) = Nill then
    Return (i-1);
   End If;
  End Loop;
  Return Nill; -- Return Error if get here.
End Num_sort;
Procedure Initialize_state_variables(Svl: Out Svl_type;
      Lds: Out Lds type;di: Out Natural) is
Begin
  For j in 1..Lds'Length
   Loop
    Lds(j) := False;
    Svl(i) := Nill;
   End loop;
 di := 1;
End Initialize_state_variables;
Function Find_comp_so_idx(Num_sos,di: Natural;Svl: Svl_type; Lds: Lds_type)
      return Natural is
Begin
  For i in 1..Num_sos
  Loop
    If Svl(i) \neq di and Lds(i) \neq True then
      Return i;
    End If;
  End Loop;
  return Nill;
End Find_comp_so_idx;
Function Find previous comp so_idx(Num_sos,di: Natural; Svl: Svl type)
     return Natural is
Begin
  For i in 1.. Num_sos
  Loop
    If Svl(i) = di then
     Return i;
    End If;
  End Loop;
  return Nill;
End Find previous comp so idx;
Procedure Push(Salp: Sal_type; Svl: Svl_type; Lds: Lds_type; di: Natural;
      Stable: Sort_table_def;Stk_idx: In Out Natural; Stack:
      Out Stack2_type) is
Begin
  Stk_idx := Stk_idx + 1;
```

```
Stack(Stk idx).Sal.Sort asgn := Salp.Sort asgn;
  Stack(Stk idx).Sal.Sort acount := Salp.Sort acount;
  Stack(Stk idx).Lds := Lds;
  Stack(Stk\ idx).Svl := Svl;
  Stack(Stk idx).di := di;
  Stack(Stk idx).Stable := Stable;
End Push;
Procedure Pop(Stack: In Stack2_type;Stk_idx: In Out Natural;
      Salp: Out Sal type; Svl: Out Svl type; Lds: Out Lds_type;
      Stable: Out Sort_table_def;di: Out Natural) is
Begin
  Salp.Sort asgn := Stack(Stk idx).Sal.Sort asgn;
  Salp.Sort acount := Stack(Stk_idx).Sal.Sort_acount;
  Svl := Stack(Stk idx).Svl;
  Lds := Stack(Stk idx).Lds;
  di := Stack(Stk_idx).di;
  Stable := Stack(Stk_idx).Stable;
  Stk idx := Stk idx - 1;
End Pop;
Procedure Update Sort(Sorti, Sorti: Natural; Sal: In Out Sal_type;
      Sorttable: In Out Sort_table_def) is
Sort exist: Boolean;
Begin
  Sort exist := False;
  For i in 1.. Sal. Sort_acount
 Loop
   If Sorti = Sal.Sort_asgn(i).Qsort then
    Sort exist := True; -- Sort assignment existed
    Exit;
   End If;
  End Loop;
  If Sort_exist = False then -- New sort assignment
   Sal.Sort acount := Sal.Sort acount + 1;
   Sal.Sort asgn(Sal.Sort_acount).Qsort := Sorti;
   Sal.Sort asgn(Sal.Sort acount).Csort := Sortj;
  End If;
  If Sorttable.Sort_table(Sorti).Csortid = Nill then
   If Sorttable.Sort_table(Sorti).Sort_type = Unconfined then
    Sorttable.Sort table(Sorti).Sort type := Confined;
   End If;
   Sorttable.Sort_table(Sorti).Csortid := Sortj;
  End If:
  If Sorttable Sort_table(Sortj).Csortid = Nill then
   If Sorttable.Sort_table(Sortj).Sort_type = Unconfined then
    Sorttable Sort table(Sortj).Sort type := Confined;
   End If:
   Sorttable.Sort_table(Sortj).Csortid := Sorti;
  End If;
End Update_sort;
```

```
End So Util Mods;
-- Module Name: init.a
-- Description: This module initializes the Map table and component
-- variables for preparing for signature matching process.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
______
With Global def; Use Global def;
With text io; Use text io;
With integer io; Use integer io;
Package Init_pkg is
Procedure Initialize variables(V: Out Signature map;
      Num vmaps: Out Natural; Stable: Out Sort table def);
End Init pkg;
Package body Init pkg is
Procedure Initialize variables(V: Out Signature map;
      Num vmaps: Out Natural; Stable: Out Sort table def) is
Begin
-- Initialize Signature Map variables
Num vmaps := 0;
For i in 1.. Signature map'Length
Loop
 For j in 1.. Testequations_types'Length
  V(i).Testequations(j).evalue := (Others => ' ');
 End Loop;
End Loop;
-- Initialize Sort table for component
For i in 10..20
Loop
 Stable.Sort table(i).Sort id := Nill;
 Stable.Sort_table(i).Sort_Symbol := (Others => ' ');
 Stable.Sort table(i).Main sort := Nill;
 Stable.Sort_table(i).Sort_rank := Nill;
 Stable.Sort table(i).Sort type := Unconfined;
 Stable.Sort_table(i).Csortid := Nill;
 Stable.Sort table(i).Children ids := (Others => Nill);
 Stable.Sort_table(i).Parent_ids := (Others => Nill);
End Loop;
```

End Initialize variables;

End Init_pkg; -- End of signature match

```
-- Description: This module does the semantic matching operation.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global def;
With Semops match pkg; Use Semops_match_pkg;
With text_io; Use text_io;
With integer io; Use integer_io;
Package Semantic match pkg is
Procedure Semantic_match (Q: in QC; C: In SWC; V: In Out Signature Map;
      Stable: Sort table def; Num_vmaps: In Natural);
End Semantic_match_pkg;
Package body Semantic_match_pkg is
Procedure Semantic_match (Q: in QC; C: In SWC; V: In Out Signature_Map;
      Stable: Sort table_def;Num_vmaps: In Natural) is
Begin
  Translate\_ground\_equations(Q,C,V,Stable,Num\_vmaps);
  Execute test cases(V,Num_vmaps,Q,C.Obj_filename,Stable);
  Semantic_rank(V,Num_vmaps,Q);
End Semantic Match;
End Semantic_Match_pkg; -- End of Semantic match
-- Module Name: semat.a
-- Description: This module does the semantic matching operations for
---semat.a
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
with TEXT IO, SYSTEM;
use TEXT IO, SYSTEM;
With Global_def; Use Global_def;
With integer_io; Use integer_io;
With Float io; Use Float_io;
Package Semops_match_pkg is
Dot : Constant := 1;
Groundsort : Constant := 2;
Op: Constant := 3;
Undefined : Constant := 4;
Defined: Constant := 5;
Procedure System_call(command: String);
```

-- Module Name: semat.a

```
Procedure Convert ground sort(Tsymbol, Psymbol: Symbol name; SymbolName; In out
      Symbol_name; V : Signature map; Num arg: Natural; Num map: Natural;
      Q:QC;Stable: Sort table def);
Procedure Getasymbol(Q: Qc;Stable: Sort_table_def;V: Signature_map;
      Tcase_str:Test_case_str;Str_ptr: In Out Natural;Num_map: Natural;
      Num arg: In Out Natural; Psymbol: In Out Symbol name;
      Symbol: In Out Symbol_type;Ext_stuff: In Out Symbol_name;
      Length_Ext: Out Natural);
Procedure Translate ground equations(Q: in QC; C: In SWC; V: In Out
      Signature Map; Stable: Sort table def; Num vmaps: In Natural);
Procedure Get make statement(V: Signature map; Mapnum: Natural; Makestm: In Out
      Test_case_str;Filename: Symbol_name; Stable: Sort_table_def; Flag:
      Out Boolean);
Procedure Execute test cases(V: In Out Signature_map;Num_vmaps: Natural;Q: QC;
      Filename: Symbol name; Stable: Sort table def);
Procedure Semantic_rank(V: In Out Signature_map;Num_vmaps: Natural;
      Q: Qc);
Function Top value(Equ1, Equ2: Test case str) Return Boolean;
End Semops_match_pkg;
Package body Semops match pkg is
Function Top value(Equ1, Equ2: Test case str) Return Boolean is
i : Natural := 1;
Begin
While True
Loop
If i = Test case str'Length then
 Return True;
Elsif Equl(i) = Equ2(i) and Equ1(i) \neq '(' then
 i := i + 1; -- Normal path
Elsif Equ1(i) = Equ2(i) and Equ1(i) = '(' then
 Return True;
Else
 Return False;
End If:
End Loop;
End Top_Value;
Procedure Semantic rank(V: In Out Signature map; Num vmaps: Natural;
     Q: Qc) is
Input File: Text IO.File Type;
```

Input_Line : String(1..13);

```
Len: Integer;
equationf: Natural;
Success: Natural;
Begin
Open(Input File, In File, "testrun.dat"); -- Note, it can recreate using objfile
-- Initialize Complete flags to be false, success = 0
For i in 1..Num_vmaps
Loop
 For j in 1..Q.Num tcases
 Loop
  V(i).Testcase(j).Complete := False;
 End Loop;
End Loop;
-- Now, Calculate mu
Reset(Input File);
For i in 1.. Num vmaps
Loop
 For j in 1..Q.Num_tcases
  If V(i). Testcase(j). Complete = False then
   If V(i). Testcase(j). Top function = Undefined then
     V(i).Testcase(j).Complete := True;
     V(i).Testcase(j).Mul value := 0.0;
   Elsif V(i). Testcase(j). Top function = Defined and
   V(i). Testcase(j). Translate = False then
     V(i).Testcase(j).Complete := True;
     V(i). Testcase(j). Mul_value := 1.0;
   Elsif V(i). Testcase(j). Top_function = Defined and
   V(i). Testcase(i). Translate = True then
     -- Calculate equation(f)
    Equation f := 0;
    For m in 1..Q.Num_tcases
    Loop
      If Top_value(V(i). Testequations(m).evalue,
      V(i). Testequations(i). evalue) then
       equation f := equation f + 1;
      End if;
     End Loop;
     -- Count success(f)
     Success := 0;
     For m in 1..Q.Num_tcases
    Loop
      If Top value(V(i). Testequations(m). evalue,
      V(i). Testequations(j).evalue) and
      V(i). Testcase(m). Translate = True then
       Input line := (others => '');
       If not End Of_file(Input_File) then
        Get_line(Input_File,Input_Line,len);
```

```
If Input Line(7) = 't' OR Input Line(7) = 'T' THEN
         Success = Success + 1;
        End If:
       End If:
     End If;
    End Loop;
    V(i).Testcase(j).Mul_value :=
    1.0 + Float(Success) / Float(equationf) -
    (Float(equationf) - Float(success)) / Float(equationf),
    For m in 1..Q.Num teases -- Null out the rest of testcases
    Loop
     If Top value(V(i). Testequations(m). evalue,
       V(i). Testequations(j). evalue) then
       V(i).Testcase(m).Complete := True;
     End If;
    End Loop;
   Else Null;
   End If:
  End If:
End Loop;
End Loop;
Close(Input_File); -- Done, close inputfile
-- Initialize Complete flags to be True
For i in 1...Num vmaps
Loop
 For j in 1..Q.Num_tcases
 Loop
  V(i).Testcase(j).Complete := True;
 End Loop;
End Loop;
-- Now, Calculate SemanticRank
For i in 1..Num_vmaps
Loop
 V(i). Semantic Rank := 0.0;
 For i in 1..Q.Num tcases
 Loop
 If V(i). Testcase(j). Complete = True then
   V(i).SemanticRank := V(i).SemanticRank + V(i).Testcase(j).Mul_value;
   For m in 1..Q.Num_tcases -- Null out the rest of the test cases
   Loop
    If Top value(V(i).Testequations(m).evalue,
     V(i). Testequations(j). evalue) then
      V(i). Testcase(m). Complete := False;
    End if;
   End Loop;
  End If;
 End Loop;
End Loop;
```

End Semantic_rank;

```
Procedure Get_make_statement(V: Signature_map;Mapnum: Natural;Makestm: In Out
                 Test case str; Filename: Symbol name; Stable: Sort_table_def; Flag:
                Out Boolean) is
i,m,k: Natural;
Begin
   Flag := True;
   For i in 1.. V(Mapnum). Sal. Sort_acount
   Loop
      If \ Stable.Sort\_table(V(Mapnum).Sal.Sort\_asgn(j).Csort).Sort\_symbol(1..3) = (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3) + (1..3
       "Elt" then
          If\ Stable.Sort\_table(V(Mapnum).Sal.Sort\_asgn(j).Qsort).Sort\_symbol(1..3)
         = "NAT" or
          Stable.Sort_table(V(Mapnum).Sal.Sort_asgn(j).Qsort).Sort_symbol(1..3)
          = "INT" or
          Stable.Sort\_table(V(Mapnum).Sal.Sort\_asgn(j).Qsort).Sort\_symbol(1..3)
          = "RAT" then
             Flag := True;
             Makestm(1..16) := "make testobj is";
             i := 1;
             While True
             Loop
                If Filename(i) = '.' then
                     exit;
                 Else
                     Makestm(i+17) := Filename(i);
                     i := i + 1;
                End If:
             End Loop;
             i := i + 17;
             Makestm(i..i) := "[";
             m := 1;
              While True
             Loop
                 If\ Stable.Sort\_table(V(Mapnum).Sal.Sort\_asgn(j).Qsort).Sort\_symbol(m)
                 = ' ' then
                   Exit;
                 Else
                    Makestm(i+m) :=
                    Stable.Sort\_table(V(Mapnum).Sal.Sort\_asgn(j).Qsort).Sort\_symbol(m);
                    m := m + 1;
                 End If;
              End Loop;
              k := i + m;
             Makestm(k..k+5) := "] endm";
              exit; -- We assume there is only 1 sort assigned to Elt
           Else
             Flag := False;
          End If;
        End If:
```

```
End Loop;
End Get_make_statement;
Procedure System_call(Command: String) is
procedure system c (command: ADDRESS);
pragma INTERFACE(C, SYSTEM C);
pragma INTERFACE_NAME(SYSTEM_C, "_system");
TEMP: constant STRING := command&ASCII.NUL;
ERROR: INTEGER;
Begin
  SYSTEM_C(TEMP'ADDRESS);
End System_call;
Procedure Execute_test_cases(V: In Out Signature_map;Num_vmaps: Natural;Q: QC;
     Filename: Symbol_name; Stable: Sort_table_def) is
the file: Text io.file type;
str : String(1..70) := (Others => '');
m: Natural;
makeflag, Display_flag: Boolean;
Makestm: Test case str;
Flag: Boolean;
Begin
Create(the_file,out_file,"testcase.dat");
-- First, create testcase.dat.
For i in 1..Num_vmaps
Loop
 makeflag := False;
 Makestm := (others => ' ');
 Display flag := True;
 For j in 1..Q.Num tcases
 Loop
 If V(i). Testcase(j). Translate = True then
   If makeflag = False then
     Get_make_statement(V,i,Makestm,Filename,Stable,Flag);
    If Flag = False then
     For k in 1..Q.Num_tcases
     Loop
       V(i). Testcase(k). Translate := False;
     End Loop;
     Exit;
    End If;
    new_line(the_file);
    Put(the_file,string(Makestm));
    makeflag := True;
  End If;
```

```
If Display_flag = True then
 Display flag := False;
 new line(the file);
 Put(the file,"*** ");
 Put(the file,"++++++++++"); New_line(the_file);
 Put(the_file,"*** ");
 Put(the file, "Map #"); Put(the file,i); New_line(the_file);
 Put(the_file,"*** ");
 Put(the file,"++++++++++"); New line(the file);
 Put(the file,"*** ");
 Put(the file, "Sort Assignment:"); New line(the file);
 For jl in 1..V(i).Sal.Sort_acount
 Loop
  Put(the file, "*** ");
  For k in 1.. Symbol name 'Length
  Loop
   Put(the file,
    Stable.Sort_table(V(i).Sal.Sort_asgn(j1).Qsort).Sort_symbol(k));
  End Loop;
  Put(the_file,"->");
  For k in 1.. Symbol name'Length
  Loop
   Put(the file,
    Stable.Sort_table(V(i).Sal.Sort_asgn(j1).Csort).Sort_symbol(k));
  End Loop;
  New_line(the_file);
 End Loop;
 Put(the file,"*** ");
 Put(the file, "Operator Assignment:"); New line(the_file);
 For jl in 1.. V(i).Oal.Op_acount
 Loop
  Put(the_file,"*** ");
  For k in 1.. Symbol name'Length
   Put(the_file, V(i).Oal.Op_asgn(j1).Qop(k));
  End Loop;
  Put(the_file,"->");
  For k in 1.. Symbol name'Length
   Put(the file, V(i).Oal.Op asgn(j1).Cop(k));
  End Loop;
 New_line(the_file);
 End Loop;
 Put(the file,"*** ");
 Put(the file, "SignatureRank");
 Put(the file,Float(V(i).SignatureRank),4,1);New line(the_file);
End If;
New line(the file);
```

```
Put(the_file,"*** Grd Eq:");
     Put(the_file,String(Q.Geq(j).Eqtext));
     New_line(the file);
     Put(the_file,"*** Testcase #"); Put(the_file,j);
     New line(the file);
     Put(the_file, "reduce ");
    Put(the_file,string(V(i).Testequations(j).evalue));
    New_line(the file);
   End If;
  End Loop;
 End Loop;
 close(the file);
 -- second, cp filname testfile.obj
 str(1..4) := "cp ";
m := 1;
 While true
  If Filename(m) = ' ' or m = Symbol_name'Length then
   exit;
  Else
   str(m+4) := Filename(m);
   m := m + 1;
 End If;
End Loop;
str(16..27) := "tempfile.obj";
system_call(str);
-- Sed to remove control char
system_call("cat testcase.dat >> tempfile.obj");
system_call("cat tempfile.obj | sed -e " > testfile.obj");
-- put("I run obj now!"); new line;
system_call("runobj");
-- Save a copy for the wrapper usage later
str := (Others => ' ');
str(1..15) := "mv testfile.obi";
str(16..17) := " ";
For i in 1..m
Loop
str(18+i) := Filename(i);
End Loop;
Str(18+m..20+m) := ".tc";
system call(str);
End Execute test cases;
Procedure Convert_ground_sort(Tsymbol, Psymbol: Symbol_name; SymbolName: In out
      Symbol_name; V : Signature_map; Num_arg: Natural; Num_map: Natural;
```

```
Q:QC;Stable: Sort table def) is
Csort type, Qsort type: Natural := Nill;
Sort id,Op index,index: Natural;
Begin
 If Psymbol(1) /= ' 'then -- There exist previous symbol
  -- Get Op index
  For i in 1..Q.Num ops
  Loop
   If Q.Ops(i).Symbol = Psymbol then
    Op index := i;
    Exit;
   End If:
  End Loop;
  -- Find sort type for query and component
  Sort id := Q.Ops(Op index).dms(Num_arg);
  For j in 1.. V(Num map). Sal. Sort acount
  Loop
   If V(Num_map).Sal.Sort_asgn(j).Qsort = Sort_id then
    QSort type := Stable.Sort table(Sort id).Sort id;
    Csort type :=
    Stable.Sort_table(V(Num_map).Sal.Sort_asgn(j).Csort).Sort_id;
    Exit;
   End If;
  End Loop;
Else -- Constant stand by itself
  If Tsymbol(1) = 't' or Tsymbol(1) = 'f' or
  Tsymbol(1) = 'T' \text{ or } Tsymbol(1) = 'F' \text{ then}
   Qsort_Type := Bool_type;
  Else
   Osort type:= Nat type;
   For i in 1.. Symbol_name'Length
    If Tsymbol(i) = '-' then
     Qsort_type := Int_type;
     exit;
    Elsif Tsymbol(i) = '.' then
     Qsort type:= Rat_type;
     exit;
    Else
     Null;
    End If:
   End Loop;
  End If;
  -- Compute corresponse mapped sort for component sort
 For j in 1.. V(Num_map).Sal.Sort_acount
   If Stable.Sort_table(V(Num_map).Sal.Sort_asgn(j).Qsort).Sort_Id =
   Osort type then
    Csort_type :=
    Stable.Sort_table(V(Num_map).Sal.Sort_asgn(j).Csort).Sort_id;
    Exit;
```

```
End If;
 End loop;
End If;
-- Determine SymbolName
If Qsort type = Bool type then
 If Csort Type > 10 and Csort Type /= Elt type then
  SymbolName := Stable.Sort table(Csort_type).Ground_term;
  SymbolName := Tsymbol;
 End If:
Elsif Qsort type = Nat_type then
 If Csort Type > 10 and Csort Type /= Elt_type then
  SymbolName := Stable.Sort table(Csort type).Ground term;
 Else -- Csort type = Elt, Int, Float
  SymbolName := Tsymbol;
End If:
Elsif Qsort type = Int type then
 If Csort_Type > 10 and Csort_Type /= Elt_type then
  SymbolName := Stable.Sort table(Csort type).Ground term;
 ElsIf Csort type = Nat type and Tsymbol(1) = '-' then
  SymbolName(1..Symbol name'Length) :=
  Tsymbol(2..Symbol_name'Length) & '';
 else -- Csort type = Elt,Int,Float
  SymbolName := Tsymbol;
 End If;
Else
 if Csort Type > 10 and Csort_Type /= Elt_type then
  SymbolName := Stable.Sort table(Csort type).Ground_term;
 ElsIf Csort_type = Int_type or Csort_type = Nat_type then -- Truncate it
  For i in 1.. Symbol name Length
  Loop
   If Tsymbol(i) /= '.' then
     SymbolName(i) := Tsymbol(i);
   Else
     index := i;
     For m in i+1.. Symbol name'Length -- Found '.' here
     Loop
      If Tsymbol(m) not in '0'..'9' then
       SymbolName(Index) := Tsymbol(m);
       Index := Index + 1;
      End If;
     End Loop;
     Exit;
   End If:
  End Loop;
  If SymbolName(1) = '-' and Csort_type = Nat_type then -- Remove sign
   SymbolName(1..Symbol name'Length) :=
   SymbolName(2..Symbol_name'Length) & ' ';
  End If:
 Else -- Csort type = Float, Elt
  SymbolName := Tsymbol;
```

```
End If;
 End If;
End Convert_ground_sort;
Procedure Getasymbol(Q: Qc;Stable: Sort_table_def;V: Signature_map;
      Tcase str:Test case str;Str_ptr: In Out Natural;Num_map: Natural;
      Num arg: In Out Natural; Psymbol: In Out Symbol_name;
      Symbol: In Out Symbol_type;Ext_stuff: In Out Symbol_name;
      Length_Ext: Out Natural) is
Tsymbol : Symbol_name := (Others => ' ');
Temp_ptr: Natural := Str ptr;
Ex ptr: Natural;
Psymflag: Boolean;
Begin
 -- If first char is char
 If Tcase str(Str ptr) in 'A'..'Z' or Tcase_str(Str_ptr) in 'a'..'z'then
 While True
 Loop
  If Tcase_str(Temp_ptr) = ')' or Tcase_str(Temp_ptr) = '(' or
  Tcase str(Temp_ptr) = '' or Tcase_str(Temp_ptr) = ',' or
  Tcase str(Temp ptr) = '=' then
   Ex ptr := 0;
   Psymflag := False;
    While True -- Also get extra stuff & move ptr to
    If Tcase_str(Temp_ptr+Ex ptr) in 'A'..'Z'
     or Tcase str(Temp ptr+Ex_ptr) in 'a'..'z'
     or Tcase str(Temp ptr+Ex_ptr) in '0'..'9'
     or Tcase str(Temp ptr+Ex_ptr) = '.' then
      Exit;
     Else
      If Tcase str(Temp ptr+Ex ptr) = ' 'then
       Psymflag := True;
      End If;
      Ex_ptr := Ex_ptr + 1;
     End If;
   End Loop;
    For i in 1. Temp_ptr-Str_ptr
    Loop
     Tsymbol(i) := Tcase_str(Str_ptr+i-1);
    End Loop;
    For i in 1..Ex ptr
    Loop
     Ext stuff(i) := Tcase_str(Temp_ptr+i-1);
    End Loop;
    exit; -- One symbol found
  Else
    Temp ptr := Temp ptr + 1; -- Get pass 1 of char above to new char
```

```
End If;
End Loop;
-- If first char is numeric
Elsif Tcase_str(Str_ptr) in '0'..'9' then
While True
Loop
 If Tcase_str(Temp_ptr) = ')' or Tcase_str(Temp_ptr) = '(' or
 Tcase_str(Temp_ptr) = ' ' or Tcase_str(Temp_ptr) = ',' or
 Tcase_str(Temp_ptr) = '=' then
  Ex ptr := 0;
  Psymflag := False;
   While True -- Also get extra stuff & move ptr to
  Loop
   If Tcase_str(Temp_ptr+Ex_ptr) in 'A'..'Z'
   or Tcase_str(Temp_ptr+Ex ptr) in 'a'..'z'
   or Tcase_str(Temp_ptr+Ex_ptr) in '0'..'9'
   or Tcase str(Temp ptr+Ex ptr) = '.' then
    Exit;
   Else
     If Tcase_str(Temp_ptr+Ex_ptr) = ' 'then
      Psymflag := True;
     End If:
    Ex ptr := Ex ptr + 1;
   End If:
  End Loop;
  For i in 1..Temp_ptr-Str_ptr
  Loop
   Tsymbol(i) := Tcase str(Str ptr+i-1);
  End Loop;
  For i in 1..Ex ptr
  Loop
   Ext_stuff(i) := Tcase_str(Temp_ptr+i-1);
  End Loop;
  exit; -- One symbol found
 Else
  Temp_ptr := Temp_ptr+1; -- Get pass 1 of char above to new char
 End If;
End Loop;
Else -- Must be a dot since space is skip from above
Symbol.Symboltype := Dot;
End If:
-- Check for valid symbol
If Symbol.Symboltype /= Dot then
If Tcase_str(Str_ptr) in '0'..'9' or -- ground term
 Tcase str(Str_ptr) = '+' or
 Tcase str(Str ptr) = '-' or
 Tcase str(Str ptr) = 't' or
 Tcase_str(Str_ptr..Str_ptr+3) = "true" or
```

```
Tcase str(Str ptr..Str ptr+3) = "True" or
Tcase_str(Str_ptr..Str_ptr+4) = "False" or
Tease str(Str_ptr..Str_ptr+4) = "false" then
 If Psymflag = True then
  Psymbol := (Others => ' '); -- Set flag for constant evaluation
 End if,
 Symbol.Symboltype := Groundsort;
 Convert ground_sort(Tsymbol,Psymbol,Symbol.Name,V,Num_arg,Num_map,
 Q,Stable);
 If Psymbol(1) /= ' 'then
  Num arg := Num arg + 1;
 End If;
 Length ext := Ex_ptr;
 Str ptr := Temp ptr;
 For i in 1.. Symbol_name'Length
 Loop
  If Symbol.Name(i) = ' 'then
    Symbol.Length := i-1;
   Exit;
  End If;
 End Loop;
Else
 Symbol.Symboltype := Nill;
 For j in 1..V(Num_map).Oal.Op_acount
  If V(Num\_map).Oal.Op\_asgn(j).Qop(1..(Temp\_ptr-Str\_ptr)) =
  Tsymbol(1..(Temp ptr-Str_ptr)) then
   If Psymflag = False then
    Psymbol := V(Num\_map).Oal.Op\_asgn(j).Qop;
    Psymbol := (Others => ' '); -- Set flag for constant evaluation
   End if;
   Num arg := 1;
   Symbol. Symboltype := Op;
   Symbol.Name := V(Num map).Oal.Op_asgn(j).Cop; -- Tsymbol
   For i in 1.. Symbol name'Length
   Loop
    If Symbol. Name(i) = ' 'then
     Symbol.Length := i-1;
     Exit;
    End If;
   End Loop;
   Length_ext := Ex_ptr;
   Str_ptr := Temp_ptr;
   Exit;
  End If;
 End Loop;
 If Symbol.Symboltype /= Op then
  Symbol.Symboltype := Undefined;
 End If;
```

```
End If;
 End If;
End Getasymbol;
Procedure Translate_ground_equations(Q: in QC; C: In SWC; V: In Out
      Signature Map; Stable: Sort table def; Num_vmaps: In Natural) is
Save_ptr,Str_ptr, Num_arg : Natural;
Symbol: Symbol type;
Psymbol : Symbol_name := (Others => ' ');
Tflag: Boolean;
Ext_stuff: Symbol name := (Others => ' ');
Length Ext: Natural;
i: Natural;
Begin
 For Num_map in 1..Num_vmaps
  For tnum in 1..Q.Num_tcases
  Loop
    Num_arg := 1;
    Psymbol := (Others => ' ');
    Str_ptr := 1;
    Save ptr := Str ptr;
    Symbol.Symboltype := Nill;
    Tflag := False;
    i := 0:
    While True
    Loop
      Symbol.Name := (Others => ' ');
      Getasymbol(Q,Stable,V,Q.Geq(tnum).Eqtext,Str ptr,Num map,Num arg,
      Psymbol, Symbol, Ext stuff, Length Ext);
      i := i + 1;
      If Symbol.SymbolType = Dot then -- Done
       V(Num_map).testequations(tnum).evalue(Save_ptr+2) := '.';
       Tflag := True;
       Exit;
      Elsif Symbol.Symboltype = Undefined then
       If i = 1 then
        V(Num_map). Testcase(tnum). Top_function := Undefined;
       End If;
       Tflag := False;
       Exit;
      Else
       If i = 1 then
        V(Num_map).Testcase(tnum).Top_function := Defined;
       End If;
       Tflag := True;
       For j in 1.. Symbol. Length
       Loop
        V(Num_map).testequations(tnum).evalue(Save_ptr+j) :=
        Symbol.Name(j);
       End Loop;
```

```
For j in 1..Length Ext
       Loop
         V(Num map).testequations(tnum).evalue(Save_ptr+
         (Symbol.Length)+j) := Ext stuff(j);
        End Loop;
       Str ptr := Str ptr + Length_ext;
       save_ptr := Save_ptr+(Symbol.Length)+Length_ext;
      End If;
    End Loop;
    If Tflag = True then
     V(Num map). Testcase(tnum). Translate := True;
     V(Num_map). Testcase(tnum). Translate := False;
    End If:
  End Loop;
 End Loop;
End Translate ground equations;
End Semops Match_pkg; -- End of Semops match
-- Module Name: swb def.a
-- Description: This module defines definition for variables for
---software library.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
Package Swb_def_pkg is
 Include : Constant := 1;
 Max_node_range : Constant := 30;
 RootNode: Constant := 0;
 -- Keyword id
 Kw_Booch : Constant := 1;
 Kw DataStructure: Constant := 2;
 Kw_Stack : Constant := 3;
 Kw Binary tree: Constant := 4;
 Kw Queue: Constant := 5;
 Kw Set : Constant := 6;
 Kw_Array : Constant := 7;
 Kw Bag : Constant := 8;
Kw String: Constant := 9;
 Kw List: Constant := 10;
 Kw Ring: Constant := 11;
 Kw_Deque : Constant := 12;
 -- Obj module id
 Stack1 obj : Constant := 1;
```

```
Stack2 obj : Constant := 2;
 Bintl_obj : Constant := 3;
 Bint2_obj : Constant := 4;
 Queue obj : Constant := 5;
 Set obj : Constant := 6;
 Array obj : Constant := 7;
 Bag obj : Constant := 8;
 List1 obj : Constant := 9;
 List2_obj : Constant := 10;
 Ring obj : Constant := 11;
 Deque obj : Constant := 12;
 Type Children id list is array(1..11) of Natural;
 Type Component id list is array(1..11) of Natural;
 Type Profile id list is array(1..11) of Natural;
 Type Hasse node type is
 Record
  Visit: Boolean;
  Pipro: Boolean;
  Children list: Children id list;
  Component list: Component id list;
  Profile List: Profile id list;
 End Record;
 Type Hasse diagram type is array(0. Max node range) of Hasse node type;
End Swb def pkg;
-- Module Name: swb.a
-- Description: This module initialize components data for the
-- software library
-- Author: Nguyen Doan
-- History: Nov. 6 1995
-- Verified as a first prototyped
With Global def; Use Global def;
With Swb def pkg; Use Swb def pkg;
With text io; Use text io;
With integer_io; Use integer_io;
Package Swb pkg is
Function DetermineProfileIntersection(GeqProfile:Profilelist_def; Pprofile:
      Profile id list) Return Boolean;
Procedure FindCandidateComponents(Q: In Out Qc; Candidates: In Out
      CandidatesTable; Profile err: Out Profile err list);
Procedure IntializeSwb(H: In Out Hasse diagram type);
Procedure UpdateCandidatesTable(Candidates: Out CandidatesTable;
      H: In Out Hasse diagram type; node: Integer; Eoa: In Out
Function LookupBlockIndex(Pindex: Natural) return Integer;
```

```
Procedure PeformDfsfw(H: In Out Hasse diagram type;Q: Qc; node: Integer;
      Candidates: Out CandidatesTable; Eoa: In Out Natural);
Procedure InitComponentData(ComponentId: Natural; C: In Out SWC; Stable:
                     In Out Sort_table_def;Q: Qc; KwRank, PrfRank:
      Out Float);
Function ProfileRank(Q: Qc; C: SWC) return Float;
Function KeywordRank(Q: Qc; C: SWC) return Float;
End Swb pkg;
Package body Swb pkg is
Function KeywordRank(Q: Qc; C:SWC) return Float is
Qkeywcard,Intersect: Natural := 0;
Begin
 For i in 1. KeywordList def Length
  If Q.KeywordList(i) = Nill then
   Exit:
  Else
   Qkeywcard := Qkeywcard + 1;
   For i in 1.. KeywordList def'Length
    If Q.KeywordList(i) = C.KeywordList(j) then
     Intersect := Intersect + 1;
    End If:
   End Loop;
  End If;
 End Loop;
 If Intersect = 0 then
 Put("Warning: Incorrect Keyword ranking"); New_Line;
 Return(Float(Intersect)/Float(Qkeywcard));
 End If;
End KeywordRank;
Function ProfileRank(Q: Qc; C:SWC) return Float is
Qprofcard,Intersect : Natural := 0;
Begin
For i in 1.. Profilelist_defLength
 Loop
 If Q.ProfileList(i) = Nill then
   Exit:
  Else
   Qprofcard := Qprofcard + 1;
   For j in 1.. Profilelist_def Length
    If Q.ProfileList(i) = C.ProfileList(j) then
     Intersect := Intersect + 1;
    End If;
   End Loop;
  End If;
```

```
End Loop;
  If Intersect = 0 then
  Put("Warnging: Incorrect Profile ranking");New_Line;
 Else
  Return(Float(Intersect)/Float(Qprofcard));
 End If:
End ProfileRank;
Procedure InitComponentData(ComponentId: Natural;C: In Out SWC;Stable:
                     In Out Sort_table_def;Q: Qc; KwRank, PrfRank:
      Out Float) is
Begin
Case ComponentId is
-- ring.obj
When ring_obj =>
  -- put("Working on ring_obj"); New_line;
  -- op empty: -> ring
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "empty
  C.Ops(1).rs := 11;
 C.Ops(1).dms(1) := Nill;
 -- op copy: Ring Ring -> Ring
 C.Ops(2).Profile := 3301;
 C.Ops(2).Symbol := "copy"
 C.Ops(2).rs := 11;
 C.Ops(2).dms(1) := 11;
 C.Ops(2).dms(2) := 11;
 C.Ops(2).dms(3) := Nill;
 -- op copy: ERing ERing -> ERing
 C.Ops(3).Profile := 3301;
 C.Ops(3).Symbol := "copy
 C.Ops(3).rs := 16;
 C.Ops(3).dms(1) := 16;
 C.Ops(3).dms(2) := 16;
 C.Ops(3).dms(3) := Nill;
 -- op clear: ERing -> ERing
 C.Ops(4).Profile := 2201;
 C.Ops(4).Symbol := "clear
 C.Ops(4).rs := 16;
 C.Ops(4).dms(1) := 16;
 C.Ops(4).dms(2) := Nill;
 -- op insert: Elt Ring -> Ring
 C.Ops(5).Profile := 3211;
```

```
C.Ops(5).Symbol := "insert
C.Ops(5).rs := 11;
C.Ops(5).dms(1) := 12;
C.Ops(5).dms(2) := 11,
C.Ops(5).dms(3) := Nill;
-- op insert: Elt ERing -> ERing
C.Ops(6).Profile := 3211;
C.Ops(6). Symbol := "insert
C.Ops(6).rs := 16;
C.Ops(6).dms(1) := 12;
C.Ops(6).dms(2) := 16;
C.Ops(6).dms(3) := Nill;
-- op pop: Ring -> Ring
C.Ops(7).Profile := 2201;
C.Ops(7).Symbol := "pop
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := Nill;
-- op pop: ERing -> ERing
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "pop"
C.Ops(8).rs := 16;
C.Ops(8).dms(1) := 16;
C.Ops(8).dms(2) := Nill;
-- op rotate: Direction Ring -> Ring
C.Ops(9).Profile := 3211;
C.Ops(9).Symbol := "rotate
C.Ops(9).rs := 11;
C.Ops(9).dms(1) := 15;
C.Ops(9).dms(2) := 11;
C.Ops(9).dms(3) := Nill;
-- op rotate: Direction ERing -> ERing
C.Ops(10).Profile := 3211;
C.Ops(10).Symbol := "rotate"
C.Ops(10).rs := 16;
C.Ops(10).dms(1) := 15;
C.Ops(10).dms(2) := 16;
C.Ops(10).dms(3) := Nill;
 -- op mark: ERing -> ERing
C.Ops(11).Profile := 2201;
 C.Ops(11).Symbol := "mark"
 C.Ops(11).rs := 16;
 C.Ops(11).dms(1) := 16;
C.Ops(11).dms(2) := Nill;
```

```
-- op rotatetomark: ERing -> ERing
 C.Ops(12).Profile := 2201;
 C.Ops(12).Symbol := "rotatetomark
 C.Ops(12).rs := 16;
 C.Ops(12).dms(1) := 16;
 C.Ops(12).dms(2) := Nill;
 -- op isequal: ERing Ering -> Bool
 C.Ops(13).Profile := 3210;
 C.Ops(13).Symbol := "isequal
 C.Ops(13).rs := 13;
C.Ops(13).dms(1) := 16
C.Ops(13).dms(2) := 16;
C.Ops(13).dms(3) := Nill;
-- op extentof: Ring -> Nat
C.Ops(14).Profile := 220;
C.Ops(14).Symbol := "extentof
C.Ops(14).rs := 14;
C.Ops(14).dms(1) := 11;
C.Ops(14).dms(2) := Nill;
-- op extentof: ERing -> Nat
C.Ops(15).Profile := 220;
C.Ops(15).Symbol := "extentof
C.Ops(15).rs := 14;
C.Ops(15).dms(1) := 16;
C.Ops(15).dms(2) := Nill;
-- op isempty : ERing -> Bool
C.Ops(16).Profile := 220;
C.Ops(16).Symbol := "isempty
C.Ops(16).rs := 13;
C.Ops(16).dms(1) := 16;
C.Ops(16).dms(2) := Nill;
-- op atmark: ERing -> Bool
C.Ops(17).Profile := 220;
C.Ops(17).Symbol := "atmark"
C.Ops(17).rs := 13;
C.Ops(17).dms(1) := 16;
C.Ops(17).dms(2) := Nill;
-- op topof: Ring -> Bool
C.Ops(18).Profile := 220;
C.Ops(18).Symbol := "topof"
C.Ops(18).rs := 12;
C.Ops(18).dms(1) := 11;
C.Ops(18).dms(2) := Nill;
-- op topof: ERing -> Bool
```

```
C.Ops(19).Profile := 220;
C.Ops(19).Symbol := "topof"
C.Ops(19).rs := 12,
C.Ops(19).dms(1) := 16;
C.Ops(19).dms(2) := Nill;
-- op underflow: -> ring
C.Ops(20).Profile := 110;
C.Ops(20).Symbol := "underflow"
C.Ops(20).rs := 11;
C.Ops(20).dms(1) := Nill;
-- op rotaterror: -> ring
C.Ops(21).Profile := 110;
C.Ops(21).Symbol := "rotaterror
C.Ops(21).rs := 11;
C.Ops(21).dms(1) := Nill;
-- op underflow: -> elt
C.Ops(22).Profile := 110;
C.Ops(22).Symbol := "underflow"
C.Ops(22).rs := 12;
C.Ops(22).dms(1) := Nill;
-- op Forward: -> Direction
C.Ops(23).Profile := 110;
C.Ops(23).Symbol := "Forward"
C.Ops(23).rs := 15;
C.Ops(23).dms(1) := Nill;
-- op Backward: -> Direction
C.Ops(24).Profile := 110;
C.Ops(24).Symbol := "Backward
C.Ops(24).rs := 15;
C.Ops(24).dms(1) := Nill;
C.Num ops := 24;
C.Obj filename := "ring.obj
C.ProfileList := (110,2201,220,3211,3301,3210,Others => Nill);
C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Ring,Others => Nill);
Stable.Sort_table(11).Sort_Symbol := "Ring
Stable.Sort table(11).Ground_term := "empty
Stable.Num_of_sort := Stable.Num_of_sort + 1;
Stable.Sort_table(15).Sort_id := 15;
Stable.Sort table(15).Sort Symbol := "Direction
Stable.Sort table(15).Ground_term := "forward
Stable.Sort table(15).Main_sort := 15;
Stable.Sort table(15).Sort rank := 1;
Stable.Sort_table(15).Sort_type := Unconfined;
Stable.Sort table(15).Csortid := Nill;
```

```
Stable.Num of sort := Stable.Num of sort + 1;
  Stable.Sort table(16).Sort id := 16;
  Stable Sort_table(16) Sort_Symbol := "ERing
  Stable.Sort_table(16).Ground term := "empty
  Stable.Sort_table(16).Main_sort := 11;
  Stable.Sort_table(16).Sort_rank := 2;
  Stable.Sort_table(16).Sort_type := Unconfined;
  Stable.Sort_table(16).Csortid := Nill;
-- Bint2_obj Binary Tree version two
 When Bint2 obj =>
 -- put("Working on bint2_obj"); New_line;
  -- op null: -> Tree
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "null"
 C.Ops(1).rs := 11;
  C.Ops(1).dms(1) := Nill;
  -- op isnull: Tree -> Bool
  C.Ops(2).Profile := 220;
 C.Ops(2).Symbol := "isnull"
 C.Ops(2).rs := 13;
 C.Ops(2).dms(1) := 11;
 C.Ops(2).dms(2) := Nill;
 -- op clear.T: Tree -> Tree
 C.Ops(3).Profile := 2201;
 C.Ops(3).Symbol := "clear.T"
 C.Ops(3).rs := 11;
 C.Ops(3).dms(1) := 11;
 C.Ops(3).dms(2) := Nill;
 -- op left: -> Child
 C.Ops(4).Profile := 110;
 C.Ops(4).Symbol := "left"
 C.Ops(4).rs := 15;
 C.Ops(4).dms(1) := Nill;
 -- op right: -> Child
 C.Ops(5).Profile := 110;
 C.Ops(5).Symbol := "right"
 C.Ops(5).rs := 15;
 C.Ops(5).dms(1) := Nill;
 -- op copy.T2: Tree Tree -> Tree
 C.Ops(6).Profile := 3301;
 C.Ops(6).Symbol := "copy.T2"
 C.Ops(6).rs := 11;
```

```
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := 11;
C.Ops(6).dms(3) := Nill;
-- op itemof: Tree -> Elt
C.Ops(7).Profile := 220;
C.Ops(7).Symbol := "itemof
C.Ops(7).rs := 12;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := Nill;
-- op treeisnull: -> Tree
C.Ops(8).Profile := 110;
C.Ops(8).Symbol := "treeisnull
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := Nill;
-- op treeisnull: -> elt
C.Ops(9).Profile := 110;
C.Ops(9).Symbol := "treeisnull
C.Ops(9).rs := 12;
C.Ops(9).dms(1) := Nill;
-- op isequal : Tree Tree -> Bool
C.Ops(10).Profile := 3210;
C.Ops(10).Symbol := "isequal
C.Ops(10).rs := 13;
C.Ops(10).dms(1) := 11;
C.Ops(10).dms(2) := 11;
C.Ops(10).dms(3) := Nill;
-- op setitem.T: Elt Tree -> Tree
C.Ops(11).Profile := 3211;
C.Ops(11).Symbol := "setitem.T"
C.Ops(11).rs := 11;
C.Ops(11).dms(1) := 12;
C.Ops(11).dms(2) := 11;
C.Ops(11).dms(3) := Nill;
-- op childof: Child Tree -> Tree
C.Ops(12).Profile := 3211;
C.Ops(12).Symbol := "childof
C.Ops(12).rs := 11;
C.Ops(12).dms(1) := 15;
C.Ops(12).dms(2) := 11;
C.Ops(12).dms(3) := Nill;
-- op swapchild.T1: Child Tree Tree -> Tree
C.Ops(13).Profile := 4311;
C.Ops(13).Symbol := "swapchild.T1"
C.Ops(13).rs := 11;
```

```
C.Ops(13).dms(1) := 15;
  C.Ops(13).dms(2) := 11;
  C.Ops(13).dms(3) := 11;
  C.Ops(13).dms(4) := Nill;
  -- op swapchild.T3: Child Tree Tree -> Tree
  C.Ops(14).Profile := 4311;
  C.Ops(14).Symbol := "swapchild.T3
  C.Ops(14).rs := 11;
  C.Ops(14).dms(1) := 15;
  C.Ops(14).dms(2) := 11;
  C.Ops(14).dms(3) := 11;
  C.Ops(14).dms(4) := Nill;
  -- op construct.T: Elt Child Tree -> Tree
  C.Ops(15).Profile := 4221;
  C.Ops(15).Symbol := "construct.T"
  C.Ops(15).rs := 11;
  C.Ops(15).dms(1) := 12;
  C.Ops(15).dms(2) := 15;
  C.Ops(15).dms(3) := 11;
  C.Ops(15).dms(4) := Nill;
  C.Num ops := 15;
  C.Obj filename := "bint2.obj
  C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Binary_tree,Others => Nill);
  C.ProfileList := (110,2201,220,3211,3301,3210,4311,4221,0);
  Stable.Sort_table(11).Sort_Symbol := "Tree
  Stable.Sort table(11).Ground term := "null
  Stable.Num_of_sort := Stable.Num_of_sort + 1;
  Stable.Sort_table(15).Sort_id := 15;
  Stable.Sort_table(15).Sort_Symbol := "Child
  Stable.Sort_table(15).Ground_term := "left
  Stable.Sort table(15), Main sort := 15:
 Stable.Sort table(15).Sort rank := 1;
 Stable.Sort_table(15).Sort_type := Unconfined;
 Stable.Sort_table(15).Csortid := Nill;
-- Bag.obj
 When Bag obj =>
 -- put("Working on bag_obj");new line;
 -- op emptybag : -> Bag
 C.Ops(1).Profile := 110;
 C.Ops(1).Symbol := "empty"
 C.Ops(1).rs := 11;
 C.Ops(1).dms(1) := Nill;
 -- op isempty : Bag -> Bool
```

```
C.Ops(2).Profile := 220;
C.Ops(2).Symbol := "isempty
C.Ops(2).rs := 13;
C.Ops(2).dms(1) := 11;
C.Ops(2).dms(2) := Nill;
-- op lengthof: Bag -> Nat
C.Ops(3).Profile := 220;
C.Ops(3).Symbol := "length of"
C.Ops(3).rs := 14;
C.Ops(3).dms(1) := 11;
C.Ops(3).dms(2) := Nill;
-- op in : Elt Bag -> Bool
C.Ops(4).Profile := 330;
C.Ops(4).Symbol := "in
C.Ops(4).rs := 13;
C.Ops(4).dms(1) := 12;
C.Ops(4).dms(2) := 11;
C.Ops(4).dms(3) := Nill;
-- op clear : Bag -> Bag
C.Ops(5).Profile := 2201;
C.Ops(5).Symbol := "clear
C.Ops(5).rs := 11;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := Nill;
-- op copy: Bag Bag -> Bag
C.Ops(6).Profile := 3301;
C.Ops(6).Symbol := "copy
C.Ops(6).rs := 11;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := 11;
C.Ops(6).dms(3) := Nill;
-- op union: Bag Bag -> Bag
C.Ops(7).Profile := 3301;
C.Ops(7).Symbol := "union"
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := 11;
C.Ops(7).dms(3) := Nill;
-- op and: Bag Bag -> Bag
C.Ops(8).Profile := 3301;
C.Ops(8).Symbol := "and"
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
C.Ops(8).dms(2) := 11;
C.Ops(8).dms(3) := Nill;
```

```
-- op diff: Bag Bag -> Bag
 C.Ops(9).Profile := 3301;
 C.Ops(9).Symbol := "diff
 C.Ops(9).rs := 11;
 C.Ops(9).dms(1) := 11;
 C.Ops(9).dms(2) := 11;
 C.Ops(9).dms(3) := Nill;
 -- op UniqueExtentOf: Bag -> Nat
C.Ops(10).Profile := 220;
C.Ops(10).Symbol := "uniqueExtentOf
C.Ops(10).rs := 14;
C.Ops(10).dms(1) := 11;
C.Ops(10).dms(2) := Nill;
-- op add: Elt Bag -> Bag
C.Ops(11).Profile := 3211;
C.Ops(11).Symbol := "add"
C.Ops(11).rs := 11;
C.Ops(11).dms(1) := 12;
C.Ops(11).dms(2) := 11;
C.Ops(11).dms(3) := Nill;
-- op remove: Elt Bag -> Bag
C.Ops(12).Profile := 3211;
C.Ops(12).Symbol := "remove"
C.Ops(12).rs := 11;
C.Ops(12).dms(1) := 12;
C.Ops(12).dms(2) := 11;
C.Ops(12).dms(3) := Nill;
-- op NumberOf: Elt Bag -> Nat
C.Ops(13).Profile := 330;
C.Ops(13).Symbol := "numberOf
C.Ops(13).rs := 14;
C.Ops(13).dms(1) := 12;
C.Ops(13).dms(2) := 11;
C.Ops(13).dms(3) := Nill;
-- op singlton: Elt -> Bag
C.Ops(14).Profile := 220;
C.Ops(14).Symbol := "singlton
C.Ops(14).rs := 11;
C.Ops(14).dms(1) := 12;
C.Ops(14).dms(2) := Nili;
-- op isequal: Bag Bag -> Bool
C.Ops(15).Profile := 3210;
C.Ops(15).Symbol := "isequal
C.Ops(15).rs := 13;
```

```
C.Ops(15).dms(1) := 11;
  C.Ops(15).dms(2) := 11;
  C.Ops(15).dms(3) := Nill;
  -- op subset: Bag Bag -> Bool
  C.Ops(16).Profile := 3210;
  C.Ops(16).Symbol := "subset
  C.Ops(16).rs := 13;
  C.Ops(16).dms(1) := 11;
  C.Ops(16).dms(2) := 11;
  C.Ops(16).dms(3) := Nill;
  -- op propersubset: Bag Bag -> Bool
  C.Ops(17).Profile := 3210;
  C.Ops(17).Symbol := "propersubset"
  C.Ops(17).rs := 13;
  C.Ops(17).dms(1) := 11;
  C.Ops(17).dms(2) := 11;
  C.Ops(17).dms(3) := Nill;
  -- op bagerror : -> Bag
  C.Ops(18).Profile := 110;
  C.Ops(18).Symbol := "bagerror
  C.Ops(18).rs := 11;
  C.Ops(18).dms(1) := Nill;
  C.Num ops := 18;
  C.Obj filename := "bag.obj
  C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Bag,Others => Nill);
  C.ProfileList := (110,2201,220,3211,330,3301,3210,Others => Nill);
  Stable.Sort_table(11).Sort_Symbol := "Bag
  Stable.Sort_table(11).Ground_term := "empty
-- Array.obj
 When array obj =>
  -- put("Working with array_obj");New_line;
 -- op EmptyArray : -> Array
 C.Ops(1).Profile := 110;
 C.Ops(1).Symbol := "emptyArray
 C.Ops(1).rs := 11;
 C.Ops(1).dms(1) := Nill;
 -- op UnitArray : Elt -> Array
 C.Ops(2).Profile := 220;
 C.Ops(2).Symbol := "unitArray
 C.Ops(2).rs := 11;
 C.Ops(2).dms(1) := 12;
 C.Ops(2).dms(2) := Nill;
 -- op AbuttedTo: Array Array -> Array
```

```
C.Ops(3).Profile := 3301;
 C.Ops(3).Symbol := "abuttedTo"
 C.Ops(3).rs := 11;
 C.Ops(3).dms(1) := 11;
 C.Ops(3).dms(2) := 11;
 C.Ops(3).dms(3) := Nill;
 -- op Copy: Array Array -> Array
 C.Ops(4).Profile := 3301;
 C.Ops(4).Symbol := "copy"
 C.Ops(4).rs := 11;
 C.Ops(4).dms(1) := 11;
 C.Ops(4).dms(2) := 11;
 C.Ops(4).dms(3) := Nill;
-- op IsEqual: Array Array -> Bool
C.Ops(5).Profile := 3210;
C.Ops(5).Symbol := "isEqual
C.Ops(5).rs := 13;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := 11;
C.Ops(5).dms(3) := Nill;
-- op Isempty: Array Array -> Bool
C.Ops(6).Profile := 3210;
C.Ops(6).Symbol := "isempty
C.Ops(6).rs := 13;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := 11;
C.Ops(6).dms(3) := Nill;
-- op Sizeof: Array -> Nat
C.Ops(7).Profile := 220;
C.Ops(7).Symbol := "sizeOf"
C.Ops(7).rs := 14;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := Nill;
-- op Clear: Array -> Array
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "clear
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
C.Ops(8).dms(2) := Nill;
-- op delete: Nat Array -> Bool
C.Ops(9).Profile := 3211;
C.Ops(9).Symbol := "delete
C.Ops(9).rs := 13;
C.Ops(9).dms(1) := 14;
C.Ops(9).dms(2) := 11;
```

```
C.Ops(9).dms(3) := Nill;
  -- op EltUnderflow: -> Elt
  C.Ops(10).Profile := 110;
  C.Ops(10).Symbol := "eltUnderflow
  C.Ops(10).rs := 12;
  C.Ops(10).dms(1) := Nill;
  -- op NatUnderflow: -> Nat
  C.Ops(11).Profile := 110;
  C.Ops(11).Symbol := "natUnderflow
  C.Ops(11).rs := 13;
  C.Ops(11).dms(1) := Nill;
  -- op CopyError: -> Array
  C.Ops(12).Profile := 110;
  C.Ops(12).Symbol := "arrayError
  C.Ops(12).rs := 11;
  C.Ops(12).dms(1) := Nill;
  -- op ComponentOf: Nat Array -> Elt
  C.Ops(13).Profile := 330;
  C.Ops(13).Symbol := "componentOf
  C.Ops(13).rs := 12;
  C.Ops(13).dms(1) := 14;
  C.Ops(13).dms(2) := 11;
  C.Ops(13).dms(3) := Nill;
  C.Num ops := 13;
  C.Obj filename := "array.obj
  C.KeywordList := (Kw Booch, Kw DataStructure, Kw Array, Others => Nill);
  C.ProfileList := (110,2201,220,3211,330,3301,3210,Others => Nill);
  Stable.Sort table(11).Sort Symbol := "Array
  Stable.Sort table(11).Ground_term := "emptyarray
  ______
-- listl.obj, Generic version
 When list1_obj =>
  -- put("Working on list1.obj");New_line;
  -- op nil : -> List
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "nil"
  C.Ops(1).rs := 11;
  C.Ops(1).dms(1) := Nill;
  -- op isnull: List -> Bool
  C.Ops(2).Profile := 220;
  C.Ops(2).Symbol := "isnull"
  C.Ops(2).rs := 13; -- Alias to Bool sortid 4
  C.Ops(2).dms(1) := 11;
  C.Ops(2).dms(2) := Nill;
```

```
-- op cons: Elt List -> List
 C.Ops(3).Profile := 3211;
 C.Ops(3).Symbol := "cons
 C.Ops(3).rs := 11;
 C.Ops(3).dms(1) := 12;
 C.Ops(3).dms(2) := 11;
 C.Ops(3).dms(3) := Nill;
 -- op tailof: List -> List
 C.Ops(4).Profile := 2201;
 C.Ops(4).Symbol := "tailof
 C.Ops(4).rs := 11;
 C.Ops(4).dms(1) := 11;
 C.Ops(4).dms(2) := Nill;
 -- op headof: List -> Elt
 C.Ops(5).Profile := 220;
C.Ops(5).Symbol := "headof
C.Ops(5).rs := 12;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := Nill;
-- op lengthof: List -> Nat
C.Ops(6).Profile := 220;
C.Ops(6).Symbol := "lengthof
C.Ops(6).rs := 14;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := Nill;
-- op Listerror: -> List
C.Ops(7).Profile := 110;
C.Ops(7).Symbol := "listerror
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := Nill;
-- op clear: List -> List
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "clear
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
C.Ops(8).dms(2) := Nill;
-- op elterror : -> Elt
C.Ops(9).Profile := 110;
C.Ops(9).Symbol := "elterror
C.Ops(9).rs := 12;
C.Ops(9).dms(1) := Nill;
-- op copy: List List -> List
C.Ops(10).Profile := 3301;
```

```
C.Ops(10).Symbol := "copy
  C.Ops(10).rs := 11;
  C.Ops(10).dms(1) := 11;
 C.Ops(10).dms(2) := 11;
 C.Ops(10).dms(3) := Nill;
 -- op clearhead: List -> List
 C.Ops(11).Profile := 2201;
  C.Ops(11).Symbol := "clearhead
 C.Ops(11).rs := 11;
 C.Ops(11).dms(1) := 11;
 C.Ops(11).dms(2) := Nill;
 -- op contains: Elt List -> Bool
 C.Ops(12).Profile := 330;
  C.Ops(12).Symbol := "contains
 C.Ops(12).rs := 13;
 C.Ops(12).dms(1) := 12;
  C.Ops(12).dms(2) := 11;
  C.Ops(12).dms(3) := Nill;
  -- op sethead: Elt List -> List
  C.Ops(13).Profile := 3211;
 C.Ops(13).Symbol := "sethead"
 C.Ops(13).rs := 11;
  C.Ops(13).dms(1) := 12;
  C.Ops(13).dms(2) := 11;
 C.Ops(13).dms(3) := Nill;
  -- op isequal: List List -> Bool
 C.Ops(14).Profile := 3210;
 C.Ops(14).Symbol := "isequal"
  C.Ops(14).rs := 13;
  C.Ops(14).dms(1) := 11;
  C.Ops(14).dms(2) := 11;
  C.Ops(14).dms(3) := Nill;
  C.Num_ops := 14;
  C.Obj filename := "listl.obj
 C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_List,Others => Nill);
 C.ProfileList := (110,2201,220,3211,330,3301,3210,Others => Nill);
  Stable.Sort_table(11).Sort_Symbol := "List
  Stable.Sort_table(11).Ground_term := "nil
-- list2.obj Natural List
When List2 obj =>
  -- put("Working on List2. obj");New_line;
  -- op nil : -> List
  C.Ops(1).Profile := 110;
```

```
C.Ops(1).Symbol := "nil"
                                   ۳,
 C.Ops(1).rs := 11;
 C.Ops(1).dms(1) := Nill;
 -- op isnull: List -> Bool
C.Ops(2).Profile := 220;
C.Ops(2).Symbol := "isnull"
C.Ops(2).rs := 13; -- Alias to Bool sortid 4
C.Ops(2).dms(1) := 11;
C.Ops(2).dms(2) := Nill;
-- op cons: Nat List -> List
C.Ops(3).Profile := 3211;
C.Ops(3).Symbol := "cons
C.Ops(3).rs := 11;
C.Ops(3).dms(1) := 14;
C.Ops(3).dms(2) := 11;
C.Ops(3).dms(3) := Nill;
 -- op tailof: List -> List
C.Ops(4).Profile := 2201;
C.Ops(4).Symbol := "tailof
C.Ops(4).rs := 11;
C.Ops(4).dms(1) := 11;
C.Ops(4).dms(2) := Nill;
-- op headof: List -> Nat
C.Ops(5).Profile := 220;
C.Ops(5).Symbol := "headof
C.Ops(5).rs := 14;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := Nill;
-- op lengthof: List -> Nat
C.Ops(6).Profile := 220;
C.Ops(6).Symbol := "lengthof
C.Ops(6).rs := 14;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := Nill;
-- op Listerror: -> List
C.Ops(7).Profile := 110;
C.Ops(7).Symbol := "listerror
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := Nill,
-- op clear: List -> List
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "clear
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
```

```
C.Ops(8).dms(2) := Nill;
-- op elterror : -> Nat
C.Ops(9).Profile := 110;
C.Ops(9).Symbol := "elterror
C.Ops(9).rs := 14;
C.Ops(9).dms(1) := Nill;
-- op copy: List List -> List
C.Ops(10).Profile := 3301;
C.Ops(10).Symbol := "copy
C.Ops(10).rs := 11;
C.Ops(10).dms(1) := 11;
C.Ops(10).dms(2) := 11;
C.Ops(10).dms(3) := Nill;
-- op clearhead: List -> List
C.Ops(11).Profile := 2201;
C.Ops(11).Symbol := "clearhead
C.Ops(11).rs := 11;
C.Ops(11).dms(1) := 11;
C.Ops(11).dms(2) := Nill;
-- op contains: Nat List -> Bool
C.Ops(12).Profile := 330;
C.Ops(12).Symbol := "contains
C.Ops(12).rs := 13;
C.Ops(12).dms(1) := 14;
C.Ops(12).dms(2) := 11;
C.Ops(12).dms(3) := Nill;
-- op sethead: Nat List -> List
C.Ops(13).Profile := 3211;
C.Ops(13).Symbol := "sethead
C.Ops(13).rs := 11;
C.Ops(13).dms(1) := 14;
C.Ops(13).dms(2) := 11;
C.Ops(13).dms(3) := Nill;
-- op isequal: List List -> Bool
C.Ops(14).Profile := 3210;
C.Ops(14).Symbol := "isequal
C.Ops(14).rs := 13;
C.Ops(14).dms(1) := 11;
C.Ops(14).dms(2) := 11;
C.Ops(14).dms(3) := Nill;
C.Num_ops := 14;
C.Obj filename := "list2.obj
C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_List,Others => Nill);
C.ProfileList := (110,2201,220,3211,330,3301,3210,Others => Nill);
```

```
Stable.Sort_table(11).Sort_Symbol := "List
  Stable.Sort table(11).Ground term := "nil
-- deque.obj
 When deque obj =>
  -- put("Working with deque.obj"); New_line;
  -- op empty : -> deque
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "empty
  C.Ops(1).rs := 11;
  C.Ops(1).dms := (Others => Nill);
  -- op underflow : -> deque
  C.Ops(2).Profile := 110;
  C.Ops(2).Symbol := "underflow
  C.Ops(2).rs := 11;
  C.Ops(2).dms := (Others => Nill);
  -- op underflow : -> elt
  C.Ops(3).Profile := 110;
 C.Ops(3).Symbol := "underflow
 C.Ops(3).rs := 12;
 C.Ops(3).dms := (Others => Nill);
 -- op Front : -> Location
 C.Ops(4).Profile := 110;
 C.Ops(4).Symbol := "front
 C.Ops(4).rs := 15;
 C.Ops(4).dms := (Others => Nill);
 -- op Back : -> Location
 C.Ops(5).Profile := 110;
 C.Ops(5).Symbol := "back"
 C.Ops(5).rs := 15;
 C.Ops(5).dms := (Others => Nill);
 -- op isempty: Deque -> Bool
 C.Ops(6).Profile := 220;
 C.Ops(6).Symbol := "isempty
 C.Ops(6).rs := 13;
 C.Ops(6).dms := (11,Others => Nill);
 -- op clear: deque -> deque
 C.Ops(7).Profile := 2201;
 C.Ops(7).Symbol := "clear
 C.Ops(7).rs := 11;
 C.Ops(7).dms := (11, others => Nill);
 -- op lengthof: deque -> Nat
```

```
C.Ops(8).Profile := 220;
C.Ops(8).Symbol := "length of"
C.Ops(8).rs := 14;
C.Ops(8).dms := (11, others => Nill);
-- op frontof: deque -> Elt
C.Ops(9).Profile := 220;
C.Ops(9).Symbol := "frontof
C.Ops(9).rs := 12;
C.Ops(9).dms := (11, others => Nill);
-- op backof: deque -> Elt
C.Ops(10).Profile := 220;
C.Ops(10).Symbol := "backof
\mathbb{C} Ops(10).rs := 12;
C.Ops(10) dms := (11, others \Rightarrow Nill);
-- op isequal: deque deque -> Bool
C.Ops(11).Profile := 3210;
C.Ops(11).Symbol := "isequal"
C.Ops(11).rs := 13;
C.Ops(11).dms := (11,11,others=> Nill);
-- op copy: deque deque -> deque
C.Ops(12).Profile := 3301;
C.Ops(12).Symbol := "copy"
C.Ops(12).rs := 11;
C.Ops(12).dms := (11,11,others=> Nill);
-- op pop: location deque -> deque
C.Ops(13).Profile := 3211;
C.Ops(13).Symbol := "pop"
C.Ops(13).rs := 11;
C.Ops(13).dms := (15,11,others => Nill);
-- op add: Elt location deque -> deque
C.Ops(14).Profile := 4221;
C.Ops(14).Symbol := "add"
C.Ops(14).rs := 11;
C.Ops(14).dms := (12,15,11,others => Nill);
C.Num ops = 14;
C.Obj filename := "deque.obj
C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Deque,Others => Nill);
C.ProfileList := (110,2201,220,3211,3301,3210,4211,Others => Nill);
Stable.Sort_table(11).Sort_Symbol := "Deque
Stable.Sort table(11).Ground term := "empty
Stable Num_of_sort := Stable.Num_of_sort + 1;
Stable.Sort table(15).Sort id := 15;
Stable.Sort_table(15).Sort_Symbol := "Location
```

```
Stable.Sort table(15).Ground term := "front
  Stable.Sort table(15).Main sort := 15;
  Stable.Sort table(15).Sort rank := 1;
  Stable.Sort table(15).Sort type := Unconfined;
  Stable.Sort table(15).Csortid := Nill;
  Stable.Sort table(15).Children ids(1) := Nill;
-- Bint1.obj, Binary Tree Obj version one.
When Bintl obj =>
  -- put("Working with binary tree version one"); New line;
  -- op empty : -> bintree
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "empty
  C.Ops(1).rs := 11;
  C.Ops(1).dms(1) := Nill;
  -- op isempty: bintree -> Bool
  C.Ops(2).Profile := 220;
  C.Ops(2).Symbol := "isempty
  C.Ops(2).rs := 13; -- Alias to Bool sortid 4
  C.Ops(2).dms(1) := 11;
  C.Ops(2).dms(2) := Nill;
  -- op node : bintree -> elt
  C.Ops(3).Profile := 220;
  C.Ops(3).Symbol := "node"
  C.Ops(3).rs := 12;
  C.Ops(3).dms := (11,Others => Nill);
  -- op left : bintree -> bintree
  C.Ops(4).Profile := 2201;
  C.Ops(4).Symbol := "left
  C.Ops(4).rs := 11;
  C.Ops(4).dms(1) := 11;
  C.Ops(4).dms(2) := Nill;
  -- op right : bintree -> bintree
  C.Ops(5).Profile := 2201;
  C.Ops(5).Symbol := "right
 C.Ops(5).rs := 11;
 C.Ops(5).dms(1) := 11;
 C.Ops(5).dms(2) := Nill;
 -- op height : bintree -> Nat
 C.Ops(6).Profile := 220;
 C.Ops(6).Symbol := "height
 C.Ops(6).rs := 14;
 C.Ops(6).dms := (11,Others => Nill);
```

```
-- op isin: Elt bintree -> Bool
  C.Ops(7).Profile := 330;
  C.Ops(7).Symbol := "isin"
  C.Ops(7).rs := 13;
  C.Ops(7).dms := (12,11,Others => Nill);
  -- op naterror : -> Elt
  C.Ops(8).Profile := 110;
  C.Ops(8).Symbol := "naterror
  C.Ops(8).rs := 12;
  C.Ops(8).dms := (Others \Rightarrow Nill);
  -- op make: Elt bintree bintree -> bintree
  C.Ops(9).Profile := 4311;
  C.Ops(9).Symbol := "make"
  C.Ops(9).rs := 11;
  C.Ops(9).dms := (12,11,11,Others => Nill);
  C.Num ops := 9;
  C.Obj filename := "bintl.obj
  C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Binary_tree,Others => Nill);
  C.ProfileList := (110,2201,220,330,4311,Others => Nill);
  Stable.Sort table(11).Sort Symbol := "Tree
  Stable.Sort table(11).Ground term := "empty
-- Set.obj
 When set_obj =>
  -- put("Working on set_obj"), New_line;
  -- op create : -> set
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "create
  C.Ops(1).rs := 11;
  C.Ops(1).dms(1) := Nill;
  -- op isempty: set -> Bool
  C.Ops(2).Profile := 220;
  C.Ops(2).Symbol := "isempty
  C.Ops(2).rs := 13; -- Alias to Bool sortid 4
  C.Ops(2).dms(1) := 11;
  C.Ops(2).dms(2) := Nill;
  -- op add: Elt set -> set
  C.Ops(3).Profile := 3211;
  C.Ops(3).Symbol := "add"
  C.Ops(3).rs := 11;
  C.Ops(3).dms(1) := 12;
  C.Ops(3).dms(2) := 11;
  C.Ops(3).dms(3) := Nill;
  -- op clear: set -> set
```

```
C.Ops(4).Profile := 2201;
 C.Ops(4).Symbol := "clear
 C.Ops(4).rs := 11;
 C.Ops(4).dms(1) := 11;
 C.Ops(4).dms(2) := Nill;
 -- op cardinality: set -> Nat
 C.Ops(5).Profile := 220;
 C.Ops(5).Symbol := "cardinality
 C.Ops(5).rs := 14;
 C.Ops(5).dms(1) := 11;
 C.Ops(5).dms(2) := Nill;
 -- op seterror: -> set
 C.Ops(6).Profile := 110;
C.Ops(6).Symbol := "seterror
C.Ops(6).rs := 11;
C.Ops(6).dms(1) := Nill;
-- op copy: set set -> set
C.Ops(7).Profile := 3301;
C.Ops(7).Symbol := "copy"
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := 11;
C.Ops(7).dms(3) := Nill;
-- op union: set set -> set
C.Ops(8).Profile := 3301;
C.Ops(8).Symbol := "union"
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
C.Ops(8).dms(2) := 11;
C.Ops(8).dms(3) := Nill;
-- op intersection: set set -> set
C.Ops(9).Profile := 3301;
C.Ops(9).Symbol := "intersection
C.Ops(9).rs := 11;
C.Ops(9).dms(1) := 11;
C.Ops(9).dms(2) := 11;
C.Ops(9).dms(3) := Nill;
-- op remove: Elt set -> set
C.Ops(10).Profile := 3211;
C.Ops(10).Symbol := "remove
C.Ops(10).rs := 11;
C.Ops(10).dms(1) := 12;
C.Ops(10).dms(2) := 11;
C.Ops(10).dms(3) := Nill;
```

```
-- op isequal: set set -> Bool
  C.Ops(11).Profile := 3210;
  C.Ops(11).Symbol := "isequal
  C.Ops(11).rs := 13;
  C.Ops(11).dms(1) := 11;
  C.Ops(11).dms(2) := 11;
  C.Ops(11).dms(3) := Nill;
  -- op subsetof: set set -> Bool
  C.Ops(12).Profile := 3210;
  C.Ops(12).Symbol := "subset of"
  C.Ops(12).rs := 13;
  C.Ops(12).dms(1) := 11;
  C.Ops(12).dms(2) := 11;
  C.Ops(12).dms(3) := Nill;
  -- op prosubsetof: set set -> Bool
  C.Ops(13).Profile := 3210;
  C.Ops(13).Symbol := "prosubsetof
  C.Ops(13).rs := 13;
  C.Ops(13).dms(1) := 11;
  C.Ops(13).dms(2) := 11;
  C.Ops(13).dms(3) := Nill;
  -- op memberof: Elt Set -> Bool
  C.Ops(14).Profile := 330;
  C.Ops(14).Symbol := "memberof
  C.Ops(14).rs := 13;
  C.Ops(14).dms(1) := 12;
  C.Ops(14).dms(2) := 11;
  C.Ops(14).dms(3) := Nill;
  C.Num ops := 14;
  C.Obj filename := "set.obj
  C.KeywordList := (Kw Booch, Kw DataStructure, Kw Set, Others => Nill);
  C.ProfileList := (110,2201,220,3211,3210,330,3301,Others => Nill);
  Stable.Sort table(11).Sort Symbol := "Set
  Stable.Sort table(11).Ground_term := "create
-- stack l.obj
 When Stack 1 obj =>
  -- put("Working on Stack1_obj"); New_line;
  -- op create: -> Stack
  C.Ops(1).Profile := 110;
  C.Ops(1).Symbol := "create
  C.Ops(1).rs := 11;
  C.Ops(1).dms(1) := Nill;
  -- op isempty: Stack -> Bool
```

```
C.Ops(2).Profile := 220
 C.Ops(2).Symbol := "isempty
 C.Ops(2).rs := 13; -- Alias to Bool sortid 4
 C.Ops(2).dms(1) := 11;
 C.Ops(2).dms(2) := Nill;
 -- op push: Elt Stack -> Stack
 C.Ops(3).Profile := 3211;
 C.Ops(3).Symbol := "push"
 C.Ops(3).rs := 11;
 C.Ops(3).dms(1) := 12;
 C.Ops(3).dms(2) := 11;
 C.Ops(3).dms(3) := Nill;
 -- op pop: Stack -> Stack
 C.Ops(4).Profile := 2201;
 C.Ops(4).Symbol := "pop"
 C.Ops(4).rs := 11;
 C.Ops(4).dms(1) := 11;
 C.Ops(4).dms(2) := Nill;
 -- op top: Stack -> Elt
 C.Ops(5).Profile := 220;
C.Ops(5).Symbol := "top"
C.Ops(5).rs := 12;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := Nill;
 -- op stacksize: Stack -> Nat
C.Ops(6).Profile := 220;
C.Ops(6).Symbol := "stacksize
C.Ops(6).rs := 14;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := Nill;
-- op emptyerror: -> Stack
C.Ops(7).Profile := 110;
C.Ops(7).Symbol := "emptyerror
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := Nill;
-- op clear: stack -> Stack
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "clear
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
C.Ops(8).dms(2) := Nill;
C.Num ops := 8;
C.Obj filename := "stackl.obj
C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Stack,Others => Nill);
```

```
C.ProfileList := (220,2201,110,3211,Others => Nill);
      Stable.Sort table(11).Sort Symbol := "Stack
      Stable.Sort_table(11).Ground_term := "create
-- queue.obj
   When queue obj =>
      -- put("Working on queue"); New_line;
      -- op empty: -> queue
     C.Ops(1).Profile := 110;
      C.Ops(1).Symbol := "empty
      C.Ops(1).rs := 11;
      C.Ops(1).dms(1) := Nill;
       -- op pop.Q : queue -> queue
     C.Ops(2).Profile := 2201;
     C.Ops(2).Symbol := "pop.Q"
     C.Ops(2).rs := 11;
     C.Ops(2).dms(1) := 11;
     C.Ops(2).dms(2) := Nill;
     -- op add.Q: Elt queue -> queue
     C.Ops(3).Profile := 3211;
     C.Ops(3).Symbol := "add.Q"
     C.Ops(3).rs := 11;
     C.Ops(3).dms(1) := 12; -- Elt generic sort
     C.Ops(3).dms(2) := 11;
     C.Ops(3).dms(3) := Nill;
      -- op frontof: queue -> elt
     C.Ops(4).Profile := 220;
     C.Ops(4).Symbol := "front of of other or other
     C.Ops(4).rs := 12;
     C.Ops(4).dms(1) := 11;
     C.Ops(4).dms(2) := Nill;
      -- op isempty: queue -> Bool
     C.Ops(5).Profile := 220;
    C.Ops(5).Symbol := "isempty
    C.Ops(5).rs := 13; -- Alias to 4 for Bool
    C.Ops(5).dms(1) := 11;
    C.Ops(5).dms(2) := Nill;
    -- op underflow: -> queue
    C.Ops(6).Profile := 110;
    C.Ops(6).Symbol := "underflow
    C.Ops(6).rs := 11;
    C.Ops(6).dms(1) := Nill;
    -- op underflow: -> Elt
```

```
C.Ops(7).Profile := 110;
       C.Ops(7).Symbol := "underflow
       C.Ops(7).rs := 12;
       C.Ops(7).dms(1) := Nill;
       -- op lengthof: queue -> Nat
       C.Ops(8).Profile := 220;
       C.Ops(8).Symbol := "length of or continuous continuou
       C.Ops(8).rs := 14;
       C.Ops(8).dms(1) := 11;
       C.Ops(8).dms(2) := Nill;
       -- op isequal: queue queue -> Bool
       C.Ops(9).Profile := 3210;
       C.Ops(9).Symbol := "isequal
       C.Ops(9).rs := 13;
      C.Ops(9).dms(1) := 11;
      C.Ops(9).dms(2) := 11;
      C.Ops(9).dms(3) := Nill;
      -- op copy.Q2: queue queue -> queue
      C.Ops(10).Profile := 3301;
      C.Ops(10).Symbol := "copy.Q2
      C.Ops(10).rs := 11;
      C.Ops(10).dms(1) := 11;
      C.Ops(10).dms(2) := 11;
      C.Ops(10).dms(3) := Nill;
      -- op clear.Q : queue -> queue
      C.Ops(11).Profile := 2201;
      C.Ops(11).Symbol := "clear.Q"
     C.Ops(11).rs := 11;
     C.Ops(11).dms(1) := 11;
     C.Ops(11).dms(2) := Nill;
     C.Num_{ops} := 11;
     C.Obj_filename := "queue.obj
     C.ProfileList := (110,2201,220,3211,3301,3210,Others => Nill);
     C.KeywordList := (Kw_Booch, Kw_DataStructure, Kw_Queue, Others => Nill);
     Stable.Sort table(11).Sort Symbol := "Queue
     Stable.Sort_table(11).Ground_term := "empty
-- stack2.obj
   When others =>
    -- put("Working on stack2_obj"); New_line;
     -- op create: -> Stack
    C.Ops(1).Profile := 110;
    C.Ops(1).Symbol := "create
    C.Ops(1).rs := 11;
```

```
C.Ops(1).dms(1) := Nill;
-- op isempty: Stack -> Bool
C.Ops(2).Profile := 220;
C.Ops(2).Symbol := "isempty
C.Ops(2).rs := 13; -- Alias to Bool sortid 4
C.Ops(2).dms(1) := 11;
C.Ops(2).dms(2) := Nill;
-- op push: Elt Stack -> Stack
C.Ops(3).Profile := 3211;
C.Ops(3).Symbol := "push"
C.Ops(3).rs := 11,
C.Ops(3).dms(1) := 12;
C.Ops(3).dms(2) := 11;
C.Ops(3).dms(3) := Nill;
 -- op pop: Stack -> Stack
C.Ops(4).Profile := 2201;
C.Ops(4).Symbol := "pop
C.Ops(4).rs := 11;
C.Ops(4).dms(1) := 11;
C.Ops(4).dms(2) := Nill;
-- op top: Stack -> Elt
C.Ops(5).Profile := 220;
C.Ops(5).Symbol := "top"
C.Ops(5).rs := 12;
C.Ops(5).dms(1) := 11;
C.Ops(5).dms(2) := Nill;
-- op depthof: Stack -> Nat
C.Ops(6).Profile := 220;
C.Ops(6).Symbol := "depthof
C.Ops(6).rs := 14;
C.Ops(6).dms(1) := 11;
C.Ops(6).dms(2) := Nill;
-- op copy: Stack Stack -> Stack
C.Ops(7).Profile := 3301;
C.Ops(7).Symbol := "copy"
C.Ops(7).rs := 11;
C.Ops(7).dms(1) := 11;
C.Ops(7).dms(2) := 11;
C.Ops(7).dms(3) := Nill;
-- op clear: stack -> Stack
C.Ops(8).Profile := 2201;
C.Ops(8).Symbol := "clear
C.Ops(8).rs := 11;
C.Ops(8).dms(1) := 11;
```

```
C.Ops(8).dms(2) := Nill;
   -- op empty : -> Stack
   C.Ops(9).Profile := 110;
   C.Ops(9).Symbol := "empty"
   C.Ops(9).rs := 11;
   C.Ops(9).dms(1) := Nill;
   -- op StackError : -> Stack
   C.Ops(10).Profile := 110;
   C.Ops(10).Symbol := "StackError
   C.Ops(10).rs := 11;
   C.Ops(10).dms(1) := Nill;
  -- op StackError : -> Elt
  C.Ops(11).Profile := 110;
  C.Ops(11).Symbol := "StackError
  C.Ops(11).rs := 12;
  C.Ops(11).dms(1) := Nill;
  -- op isequal : Stack Stack -> Bool
  C.Ops(12).Profile := 3210;
  C.Ops(12).Symbol := "isequal
  C.Ops(12).rs := 13;
  C.Ops(12).dms(1) := 11;
  C.Ops(12).dms(2) := 11;
  C.Ops(12).dms(3) := Nill;
  C.Num_ops := 12;
  C.Obj filename := "stack2.obj
  C.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Stack,Others => Nill);
  C.ProfileList := (220,2201,110,3211,3301,3210,Others => Nill);
  Stable.Sort_table(11).Sort_Symbol := "Stack
  Stable.Sort_table(11).Ground_term := "create
End Case;
-- Now, common sorts Initialization
Stable.Num_of_sort := Stable.Num_of_sort + 1;
Stable.Sort_table(11).Sort_id := 11;
Stable.Sort_table(11).Main_sort := 11;
Stable.Sort_table(11).Sort_rank := 1;
Stable.Sort_table(11).Sort_type := Unconfined;
Stable.Sort table(11).Csortid := Nill;
Stable.Sort table(11).Children ids(1) := Nill;
Stable.Sort_table(11).Parent_ids(1) := Nill;
Stable.Num_of_sort := Stable.Num_of_sort + 1;
Stable.Sort table(12).Sort id := 12;
Stable.Sort_table(12).Sort_Symbol := "Elt
Stable.Sort table(12).Main sort := 12;
Stable.Sort table(12).Sort rank := 1;
```

```
Stable.Sort_table(12).Sort_type := Unconfined;
Stable.Sort table(12).Csortid := Nill;
Stable.Sort_table(12).Children_ids(1) := Nill;
Stable.Sort_table(12).Parent_ids(1) := Nill;
Stable.Num of sort := Stable.Num_of sort + 1;
Stable.Sort_table(13) := Stable.Sort_table(Bool_type); -- Alias to bool
Stable.Num of sort := Stable.Num of sort + 1;
Stable.Sort_table(14) := Stable.Sort_table(Nat_type); -- Alias to nat
KwRank := KeywordRank(Q,C);
PrfRank := ProfileRank(Q,C);
End InitComponentData;
Function LookupBlockIndex(Pindex: Natural) return Integer is
Profile table: Array (0..18) of Integer :=
(0, 110, 2201, 220, 3211, 330, 3301, 3210, 4311, 4221, Nill, 11, 12, 13, 14, 15, 16, 17, 18);\\
Begin
For i in 0..18
Loop
 If Profile_table(i) = Pindex then
  Return i;
 End If:
End Loop;
Return(Nill);
End LookupBlockIndex;
Procedure UpdateCandidatesTable(Candidates: Out CandidatesTable;
                  H: In Out Hasse diagram type; node: Integer; Eoa: In Out
                  Natural) is
Begin
 -- Get component(s) in current node
 For i in 1.. Component id_list'Length
 Loop
  If H(LookupBlockIndex(node)).Component_list(i) /= Nill then
   Candidates(Eoa).ComponentId := H(LookupBlockIndex(node)).Component_list(i);
   Eoa := Eoa + 1;
  Else
   Candidates(Eoa).ComponentId := Nill;
   Exit;
  End If;
 End Loop:
 H(LookupBlockIndex(node)). Visit := True; -- Mark node visit
 -- now get component in children nodes
 For i in 1.. Children id list'Length
 Loop
  If H(LookupBlockIndex(node)).Children_list(i) /= Nill then
   For j in 1..Component_id_list'Length
   Loop
```

```
If H(LookupBlockIndex(H(LookupBlockIndex(node)).Children_list(i))).Visit = False then
 H(LookupBlockIndex(H(LookupBlockIndex(node)).Children\_list(i))).Component\_List(j)
                   /= Nill then
                   Candidates(Eoa).ComponentId :=
 H(LookupBlockIndex(H(LookupBlockIndex(node)).Children_list(i))).Component_List(i);
                   Eoa := Eoa + 1;
                  Else
                   Candidates(Eoa).ComponentId := Nill;
                   Exit;
                  End If:
     End If:
    End Loop;
    If H(LookupBlockIndex(H(LookupBlockIndex(node)).Children list(i))). Visit = False then
                  H(LookupBlockIndex(H(LookupBlockIndex(node)).Children list(i))).Visit := True:
    End If;
   End If:
  End Loop;
End UpdateCandidatesTable;
Procedure FindCandidateComponents(Q: In Out Qc; Candidates: In Out
                   Candidates Table; Profile_err: Out Profile_err_list) is
H: Hasse diagram type;
m : Natural := 1;
Eoa: Natural := 1;
Begin
-- Check for valid frequency in each test cases
For i in 1..Q.Num tcases
Loop
 For j in 1. ProfileList def Length
 Loop
  If Q.Geq(i).ProfileList(j) /= Nill Then
    If LookupBlockIndex(Q.Geq(i).ProfileList(j)) = Nill then
                 Profile err(m) := Q.Geq(i).ProfileList(j);
                 m := m + 1;
                 Profile_err(m) := Nill;
                 Q.Geq(i).Status := Void;
    End If;
  End If;
 End Loop;
End Loop;
-- Initialize Hasse diagram with components from CS4520 course
IntializeSwb(H);
-- Now, start searching
PeformDfsfw(H,Q,RootNode,Candidates,Eoa);
End FindCandidateComponents;
Function DetermineProfileIntersection(GeqProfile:Profilelist def; Pprofile:
     Profile_id_list) Return Boolean is
```

```
Found: Boolean;
Begin
For i in 1.. Profilelist def'Length
Loop
  Found := False;
  If GeaProfile(i) /= Nill then
  For j in 1...Profile_id_list'Length
    If GeqProfile(i) = Pprofile(j) then
     Found := True;
     Exit;
    End If;
  End Loop;
  If Found = False then
   Return False;
  End If;
 Else
  Exit,
 End If;
End Loop;
Return True;
End DetermineProfileIntersection;
Procedure PeformDfsfw(H: In Out Hasse diagram type;Q: Qc; node: Integer;
                  Candidates: Out CandidatesTable; Eoa: In Out Natural) is
Begin
 H(LookupBlockIndex(node)). Visit := True; -- Mark node visit
 For j in 1..Q.Num_tcases
 Loop
  If Q.Geq(j).Status /= Void then
   If DetermineProfileIntersection(Q.Geq(j).ProfileList,
   H(LookupBlockIndex(node)).Profile List) then
                   UpdateCandidatesTable(Candidates,H,node,Eoa);
                   Exit:
                  End If;
  End If;
 End Loop;
 For j in 1. Children id list'Length
 Loop
  If H(LookupBlockIndex(node)). Children list(j) /= Nill then
   If H(LookupBlockIndex(H(LookupBlockIndex(node)). Children list(j))). Visit = False then
                 PeformDfsfw(H,Q,H(LookupBlockIndex(node)).Children list(j),Candidates,Eoa);
   End If;
  End If;
 End Loop;
End PeformDfsfw;
Procedure IntializeSwb(H: In Out Hasse_diagram_type) is
Begin
```

```
-- Root node
 H(LookupBlockIndex(0)).Pipro := True;
 H(LookupBlockIndex(0)). Visit := False;
 -- No need to put all children for pi prime node
 H(LookupBlockIndex(0)).Children list :=
 (110,2201,220,3211,330,3301,3210,4311,4221,Others => Nill);
 H(LookupBlockIndex(0)).Component_list := (Others => Nill);
 H(LookupBlockIndex(0)).Profile_list := (0,Others => Nill);
 -- -> A profile, P1
 H(LookupBlockIndex(110)).Pipro := True;
 H(LookupBlockIndex(110)). Visit := False;
 -- No need to put all children for pi prime node
 H(LookupBlockIndex(110)).Children_list := (12,17,Others => Nill);
 H(LookupBlockIndex(110)).Component list := (Others => Nill):
 H(LookupBlockIndex(110)).Profile list := (110,Others => Nill);
 -- A -> A profile, P2
 H(LookupBlockIndex(2201)).Pipro := True;
 H(LookupBlockIndex(2201)). Visit := False;
 -- No need to put all children for pi prime node
 H(LookupBlockIndex(2201)).Children_list := (12,17,Others => Nill);
H(LookupBlockIndex(2201)).Component list := (Others => Nill);
H(LookupBlockIndex(2201)).Profile_list := (2201,Others => Nill);
-- A -> B profile, P3
H(LookupBlockIndex(220)).Pipro := True;
H(LookupBlockIndex(220)). Visit := False;
-- No need to put all children for pi prime node
H(LookupBlockIndex(220)).Children_list := (12,17,Others => Nill);
H(LookupBlockIndex(220)).Component_list := (Others => Nill);
H(LookupBlockIndex(220)).Profile_list := (220,Others => Nill);
-- A B -> A profile, P4
H(LookupBlockIndex(3211)).Pipro := True;
H(LookupBlockIndex(3211)). Visit := False;
-- No need to put all children for pi prime node
H(LookupBlockIndex(3211)). Children_list := (12,Others => Nill);
H(LookupBlockIndex(3211)).Component_list := (Others => Nill);
H(LookupBlockIndex(3211)).Profile_list := (3211,Others => Nill);
-- A B -> C profile, P5
H(LookupBlockIndex(330)).Pipro := True;
H(LookupBlockIndex(330)). Visit := False;
H(LookupBlockIndex(330)).Children list := (14,17,0thers => Nill);
H(LookupBlockIndex(330)).Component_list := (Others => Nill);
H(LookupBlockIndex(330)).Profile_list := (330,Others => Nill);
-- A A -> A profile, P6
H(LookupBlockIndex(3301)).Pipro := True;
H(LookupBlockIndex(3301)). Visit := False;
```

```
-- No need to put all children for pi prime node
 H(LookupBlockIndex(3301)) Children list := (14,Others => Nill);
 H(LookupBlockIndex(3301)). Component list := (Others => Nill);
 H(LookupBlockIndex(3301)).Profile list := (3301,Others => Nill);
 -- A A -> B profile, P7
 H(LookupBlockIndex(3210)).Pipro := True;
 H(LookupBlockIndex(3210)). Visit := False;
 -- No need to put all children for pi prime node
 H(LookupBlockIndex(3210)). Children list := (13,Others => Nill);
 H(LookupBlockIndex(3210)).Component list := (Others => Nill):
 H(LookupBlockIndex(3210)).Profile list := (3210,Others => Nill);
 -- ABB->B profile, P8
H(LookupBlockIndex(4311)).Pipro := True;
 H(LookupBlockIndex(4311)). Visit := False;
 -- No need to put all children for pi prime node
 H(LookupBlockIndex(4311)). Children list := (18,Others => Nill);
 H(LookupBlockIndex(4311)).Component list := (Others => Nill);
H(LookupBlockIndex(4311)).Profile_list := (4311,Others => Nill);
 -- ABC->B profile, P9
H(LookupBlockIndex(4221)).Pipro := True;
H(LookupBlockIndex(4221)). Visit := False;
 -- No need to put all children for pi prime node
H(LookupBlockIndex(4221)). Children list := (16,Others => Nill);
H(LookupBlockIndex(4221)). Component list := (Others => Nill);
H(LookupBlockIndex(4221)).Profile_list := (4221,Others => Nill);
-- Profile index 1,2,3,4, P12 Stack2
H(LookupBlockIndex(12)).Pipro := False;
H(LookupBlockIndex(12)). Visit := False;
H(LookupBlockIndex(12)).Children list := (13,14,15,16,18,Others => Nill);
H(LookupBlockIndex(12)).Component list := (Stack2 obj,Others => Nill);
H(LookupBlockIndex(12)).Profile list := (110,2201,220,3211,Others => Nill);
-- Profile index 1,2,3,4,6,7, P13, Stack1, Queue, Ring
H(LookupBlockIndex(13)).Pipro := False;
H(LookupBlockIndex(13)). Visit := False;
H(LookupBlockIndex(13)).Children_list := (15,16,18,Others => Nill);
H(LookupBlockIndex(13)).Component_list := (Stack1 obj,Ring obj,Queue obj,Others => Nill);
H(LookupBlockIndex(13)).Profile_list := (110,2201,220,3211,3301,3210,Others => Nill);
-- Profile index 1,2,3,4,5,6, P14, Set
H(LookupBlockIndex(14)).Pipro := False;
H(LookupBlockIndex(14)). Visit := False;
H(LookupBlockIndex(14)).Children list := (15,Others => Nill);
H(LookupBlockIndex(14)).Component list := (Set obj.Others => Nill);
H(LookupBlockIndex(14)). Profile list := (110,2201,220,3210,3211,330,3301,Others => Nill);
-- Profile index 1,2,3,4,5,6,7, P15a, Array, Bag, List1, List2
```

```
H(LookupBlockIndex(15)).Pipro := False;
  H(LookupBlockIndex(15)). Visit := False;
  H(LookupBlockIndex(15)).Children_list := (Others => Nill);
  H(LookupBlockIndex(15)).Component_list := (Array_obj,Bag_obj,List1_obj,List2_obj,Others => Nill);
  H(LookupBlockIndex(15)).Profile_list := (110,2201,220,3211,330,3301,3210,Others => Nill);
  -- Profile index 1,2,3,4,6,7,9, P16, Deque
  H(LookupBlockIndex(16)).Pipro := False;
  H(LookupBlockIndex(16)). Visit := False;
  H(LookupBlockIndex(16)).Children_list := (18,Others => Nill);
 H(LookupBlockIndex(16)).Component_list := (Deque_obj,Others => Nill);
 H(LookupBlockIndex(16)).Profile list = (110,2201,220,3211,3301,3210,
                                                         4221,Others => Nill);
  -- Profile index 1,2,3,5,8, P17, Bint1
 H(LookupBlockIndex(17)).Pipro := False;
 H(LookupBlockIndex(17)). Visit := False;
 H(LookupBlockIndex(17)).Children_list := (Others => Nill);
 H(LookupBlockIndex(17)).Component list := (Bint1_obj,Others => Nill);
 H(LookupBlockIndex(17)).Profile_list := (110,2201,220,330,4311,
                                                         Others => Nill);
 -- Profile index 1,2,3,4,6,7,8,9, P18, Bint2
 H(LookupBlockIndex(18)).Pipro := False;
 H(LookupBlockIndex(18)). Visit := False;
 H(LookupBlockIndex(18)).Children_list := (Others => Nill);
 H(LookupBlockIndex(18)).Component list := (Bint2 obj,Others => Nill);
 H(LookupBlockIndex(18)).Profile_list := (110,2201,220,3211,3301,3210,4311,4221,
                                                        Others => Nill);
 End IntializeSwb;
 End Swb_pkg;
 -- Module Name: getquery.a
 -- Description: This module initialize stack query data.
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global_def;
With Swb_def_pkg; Use Swb_def_pkg;
With Float io; Use Float io;
With Integer_io; Use Integer_io;
With Text_io; Use Text_io;
Package Query_Processing_pkg is
Procedure Get_Query(Q: out QC; Stable: in out Sort_table_def);
End Query_Processing_pkg;
Package body Query_processing_pkg is
Procedure Get_Query(Q: out QC; Stable: in out Sort_table_def) is
Begin
```

```
-- Query spec
-- op empty -> Stack
Q.Ops(1).Profile := 110;
Q.Ops(1).Symbol := "Empty
Q.Ops(1).rs := 21;
Q.Ops(1).dms(1) := Nill;
-- op top Stack -> Nat
Q.Ops(4).Profile := 220;
Q.Ops(4).Symbol := "Top
Q.Ops(4).rs := 22; -- Nat alias to sortid 3
Q.Ops(4).dms(1) := 21;
Q.Ops(4).dms(2) := Nill;
-- op push Nat Stack -> Stack
Q.Ops(2).Profile := 3211;
Q.Ops(2).Symbol := "Push"
Q.Ops(2).rs := 21;
Q.Ops(2).dms(1) := 22; -- Nat alias to sortid 3
Q.Ops(2).dms(2) := 21;
Q.Ops(2).dms(3) := Nill;
-- op pop Stack -> Stack
Q.Ops(3).Profile := 2201;
Q.Ops(3).Symbol := "Pop
Q.Ops(3).rs := 21;
Q.Ops(3).dms(1) := 21;
Q.Ops(3).dms(2) := Nill;
-- op depthof: Stack -> Nat
Q.Ops(5).Profile := 220;
Q.Ops(5).Symbol := "Depthof"
Q.Ops(5).rs := 22;
Q.Ops(5).dms(1) := 21;
Q.Ops(5).dms(2) := Nill;
Q.Num_ops := 4;
Q.Num tcases := 1;
Q.Geq(1) ProfileList := (220,3211,110,2201, Others => Nill);
Q.Geq(1).Eqtext = "Top(Push(1,Empty)) == Top(Pop(Push(6,Push(1,Empty))))
Q.Geq(2).ProfileList := (220,3211,110,Others => Nill);
Q.Geq(2).Eqtext := "Depthof(Push(1,Push(2,Push(3,Empty)))) == 3
Q.KeywordList := (Kw_Booch,Kw_DataStructure,Kw_Stack,Others => Nill);
Q.ProfileList := (2201,3211,110,220,Others => Nill);
Q.Geq(1).Status := Unvoid;
Q.Geq(2).Status := Unvoid;
```

```
-- Initialize predefine sort
   Stable :=
   (5,((1,
"FLOAT
                  ",1,Basic,1,Nill,(2,3,others => Nill),(others => Nill),
(others => ' ')),
  (2,
"INT
                ",1,Basic,2,Nill,(3,others => Nill),(others => Nill),
(others => ' ')),
  (3,
"NAT
                ",1,Basic,3,Nill,(others => Nill),(others=> Nill),
(others => ' ')),
  (4,
                 ",4,Basic,1,Nill,(others => Nill),(others=> Nill),
"BOOL
(others => ' ')),
  (5,
"CHAR
                 ",5,Basic,1,Nill,(others => Nill),(others=> Nill),
(others => ''))
others => -- To be initialized by program
(Nill,
             ",Nill,Nill,Nill,Nill,(others=>Nill),(others=>Nill),
(others => ' '))));
  -- Now initialize sort table for query sort
  Stable.Num_of_sort := Stable.Num_of_sort + 1;
  Stable.Sort_table(21).Sort_id := 21;
  Stable.Sort_table(21).Sort_Symbol := "Stack
  Stable.Sort table(21).Main sort := 21;
  Stable.Sort table(21).Sort rank := 1;
  Stable.Sort_table(21).Sort_type := Unconfined;
  Stable.Sort_table(21).Csortid := Nill;
  Stable.Sort_table(21).Children_ids(1) := Nill;
  Stable.Sort table(21).Parent ids(1) := Nill;
  Stable.Num of sort := Stable.Num of sort + 1;
  Stable.Sort_table(22) := Stable.Sort_table(Nat_type);
End Get_Query;
End Query_processing_pkg; -- End of query processing
-- Module Name: fresult.a
-- Description: This module calculated the total rank and formulate the
-- result and output to the user
-- Author: Nguyen Doan
-- History: Nov, 6 1995
-- Verified as a first prototyped
With Global def; Use Global def;
With text_io; Use text_io;
With integer_io; Use integer_io;
```

```
With Float io; Use Float_io;
Package Formulate Result Output_pkg is
Procedure Display_invalid_operations(Q: Qc;Profile_err: Profile_err_list);
Procedure Sort Display Result(SortArray:In Out Asort_Array;Count: Natural);
Procedure Calculate_total_rank(V: Signature_Map; Q: Qc; C:SWC;
               Idx, Num_vmaps: Natural; SortArray: In Out Asort_Array;
               KeywordRank, ProfileRank: Float);
End Formulate Result Output pkg;
Package body Formulate_Result_Output_pkg is
Procedure Display invalid operations(Q: Qc; Profile err: Profile err_list) is
Begin
If Profile_err(1) /= Nill then
   New line;
   Put("The following operation(s) is unknown:"); New_line;
   For i in 1..Profile_err_list'Length
   Loop
     If Profile_{err}(i) = Nill then
        Exit;
      Else
         For k in 1..Q.Num ops
         Loop
           If O.Ops(k).Profile = Profile err(i) then
               Put(String(Q.Ops(k).Symbol)); New_line;
            End If:
         End Loop;
     End If;
   End Loop;
End If;
End Display_invalid_operations;
Procedure Sort_Display_Result(SortArray :In Out Asort_Array;Count : Natural) is
Smallest: Integer;
Temp: Sort Rank,
Begin
    -- Selection Sort
   For j in 1 .. Count-1
   Loop
      Smallest := j;
      For q in j+1.. Count
         If\ SortArray(q). Maxover all Rank < SortArray(Smallest). Maxover all Rank\ then the sortArray(Smallest). Maxover all Rank the sortArray(Smallest). Maxover al
            Smallest := q;
         End If;
      End Loop;
      If smallest > i then
          Temp := SortArray(Smallest);
          SortArray(Smallest) := SortArray(j);
          SortArray(i) := Temp;
```

```
End If;
 End Loop;
 -- Now display result
 For i in reverse 1.. Count
 Loop
  If SortArray(i). Mapnum /= 0 then
   New line;
   put("Find Component: ");
   put(String(SortArray(i).ModuleName)); New_line;
   put("Using Map Number: ");
   put(SortArray(i).Mapnum); New line;
   put("KeywordRank: ");
   put(Float(SortArray(i).SelKeywordRank),4,1);
   put(", ProfileRank: ");
   put(Float(SortArray(i).SelProfileRank),4,1);New line;
   put("SignatureRank: ");
   put(Float(SortArray(i).SelSignatureRank),4,1);
   put(", SemanticRank:");
   put(Float(SortArray(i).SelSemanticRank),4,1);New_line;
   put("The ComponentRank: ");
   put(Float(SortArray(i).MaxoverallRank),4,1); New line;
  Else
   New line;
   put("Find Component: ");
   put(String(SortArray(i).ModuleName)); New line;
   put("KeywordRank: ");
   put(Float(SortArray(i).SelKeywordRank),4,1);
   put(", ProfileRank: ");
   put(Float(SortArray(i).SelProfileRank),4,1);New line;
   put("No map is found!");New_line;
  End If:
 End Loop;
End Sort_Display_Result;
Procedure Calculate total rank(V: Signature Map; Q: Qc; C:SWC;
     Idx,Num_vmaps: Natural;SortArray : In Out Asort_Array;
     KeywordRank, ProfileRank: Float) is
Interm Rank, MaxoverallRank: Float := 0.0;
SelSemanticRank, SelSignatureRank: Float := 0.0;
Mapnum: Natural := 0;
SortArray(idx).ModuleName := C.Obj_filename;
SortArray(idx). SelKeywordRank := KeywordRank;
SortArray(idx).SelProfileRank := ProfileRank;
For i in 1.. Num vmaps
Loop
Interm_Rank :=
```

```
ProfileRank * KeywordRank * v(i).SemanticRank * v(i).SignatureRank;
if Interm_Rank > SortArray(idx).MaxoverallRank then
 SortArray(idx).SelSignatureRank := v(i).SignatureRank;
 SortArray(idx). SelSemanticRank := v(i). SemanticRank;
 SortArray(idx).MaxoverallRank := Interm_Rank;
 SortArray(idx).Mapnum := i;
End If;
end loop;
If SortArray(Idx).SelSemanticRank <= 0.0 then
 -- Recaculate SelSignatureRank
 SelSignatureRank := 0.0;
 For i in 1..Num_vmaps
 Loop
  If SortArray(idx).SelSignatureRank <= V(i).SignatureRank then
    SortArray(idx). SelSignatureRank := V(i). SignatureRank;
    SortArray(idx).Mapnum := i;
  End If;
 End Loop;
End If;
End Calculate_total_rank;
End Formulate_Result_Output_pkg; -- End of Formulate_Result_Output_pkg
```

APPENDIX D - RUNOBJ AND SCS BUILD FILES

This is runobj script file. It is invoked from the SCS to do perform term rewriting on the # translate ground equations. # Author: Nguyen, Doan # Date: 12/4/95 obj < testfile.obj | grep result | sed -e 's/.*result //' > testrun.dat # This is SCS build file. It is used to build the SCS prototype # Author: Nguyen, Doan # Date: 12/4/95 a.cleanlib ada gldef.a; ada asable.a; ada semops.a; ada utilop.a; ada utilso.a; ada nsa.a; ada sigmat.a; ada semat.a; ada fresult.a; ada swb def.a; ada getquery.a; ada swb.a; ada init.a; ada scs.a a.ld Main -o SCS

APPENDIX E - A PROOF FOR THEOREM 1

In this appendix contains two parts. First, we will show that \equiv is an equivalence relation on the transitivity-closure(symmetry-closure(\leq)). Secondly, we will prove the Theorem 1.

A. ASSUMPTION: The subsort relation \leq is a partial ordering relation.

B. DEFINITION: The relation \equiv is defined to be the transitive closure of symmetry closure of the symmetry closure of \leq .

A. SHOW **■** IS AN EQUIVALENCE RELATION

- Reflexivity: Yes, because $x \le x$. $x \equiv x$.
- Symmetry: Yes, because the symmetric closure of any relation is symmetric and R ≤ transitive closure R.
- Transitivity: Yes, because the transitive closure of any relation is transitive for any relation R.

The important consequence of this equivalence relation is that sort group are equivalence classes and any two equivalence classes must be equal or disjoint. This is important for our next proof.

B. PROOF OF THEOREM 1

Theorem 1: Given a query operation and a component operation with their corresponding profile values, if these profile values are not equal, then these operations can not possibly be related by a signature match.

Proof:

• Case 1: Consider query and component operators which do not have the same number of sort occurrences. The profile values for both operators are different

by rule 1 of definition 4.

By the requirement 7 of section IV.D, the number of argument sorts, n, must be the same for both operators. Therefore, these query and component operators can not be matched.

Case 2: Consider query and component operators which have the same number of sort occurences. The number of sort group in query operator is less than component operator. The profile values for both operators are different by rules 2, 3, and 4 of definition 4.

Since the number of sort groups of query is less than the sort groups of component, the correspond mapping will be result in an non injective map. By the requirement 1 of section IV.D, the sort mapping must be injective. Therefore, these query and component operators can not be matched.

• Case 3: Consider query and component operators which have the same number of sort occurrences. The number of sort groups in query operator is greater than component operator. The profile values for both operators are different by rules 2, 3, and 4 of definition 4.

Since the number of sort groups is of query operator is greater than the sort groups of component operator, the correspond mapping will be result in an non injective map. By the requirement 1 of section IV.D, the sort mapping must be injective. Therefore, these query and component operators can not be matched.

• Case 4: Consider query and component operators which have the same number of sort occurrences and the same number of sort groups. The cardinality of one sort group in query operator is not equal to a cardinality of any operator's sort groups. The profile values for both operators are different by rules 2, 3, and 4 of definition 4.

Since one query sort group has a cardinality different from any other sort group of the component, there are one of the two possible violations of the mapping can be happened. First, the injective sort mapping is violated. One of the sort in this sort group in the query would map to more than two components sorts or two or more sort in this sort group in the query would map to one component's sort. Second, the requirement 7 of section IV.D is violated if any sort from query or component operator is left dangling. Therefore, these query and component operators can not be matched.

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